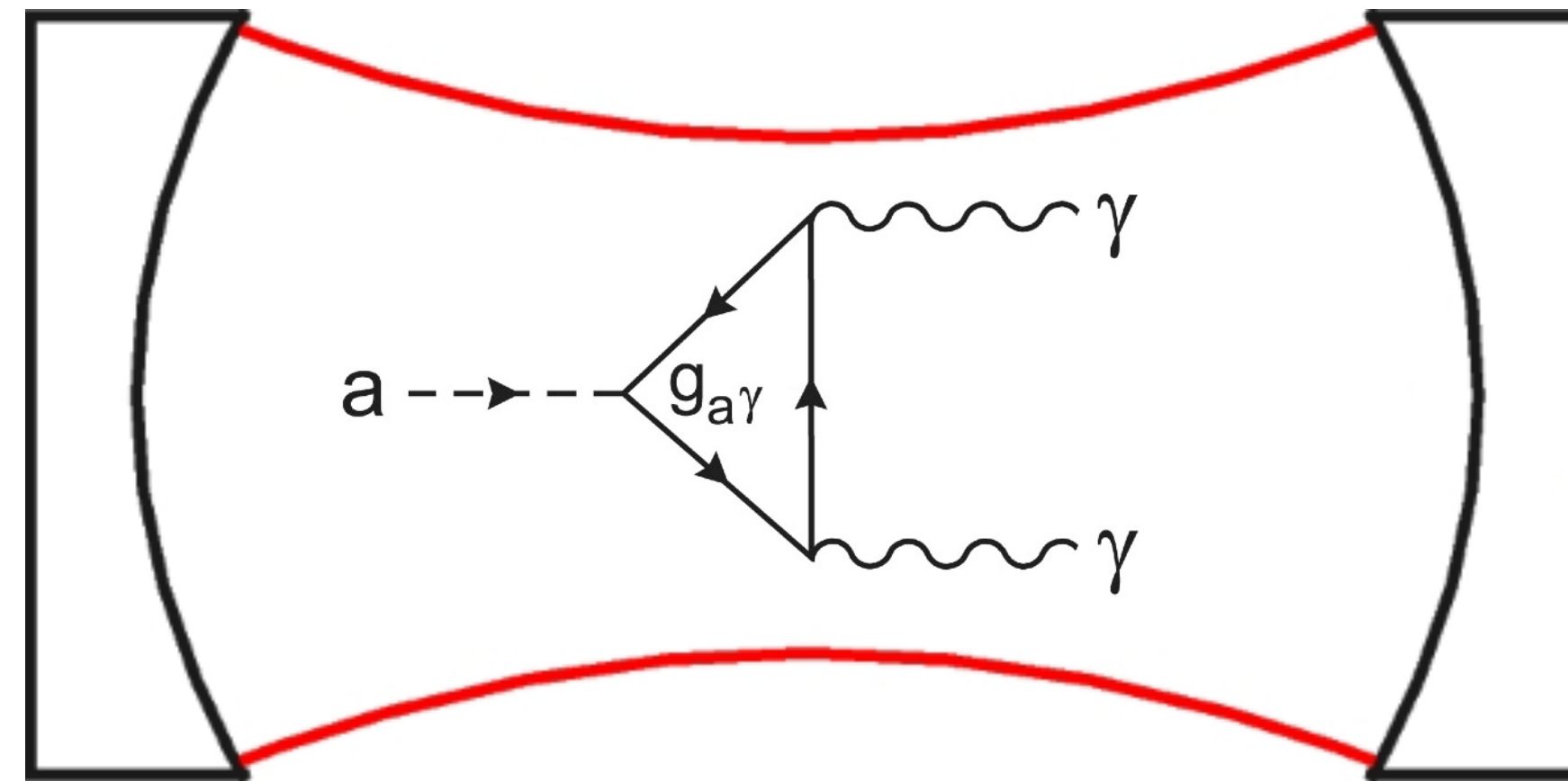


Resonant enhancement of axion dark matter decay



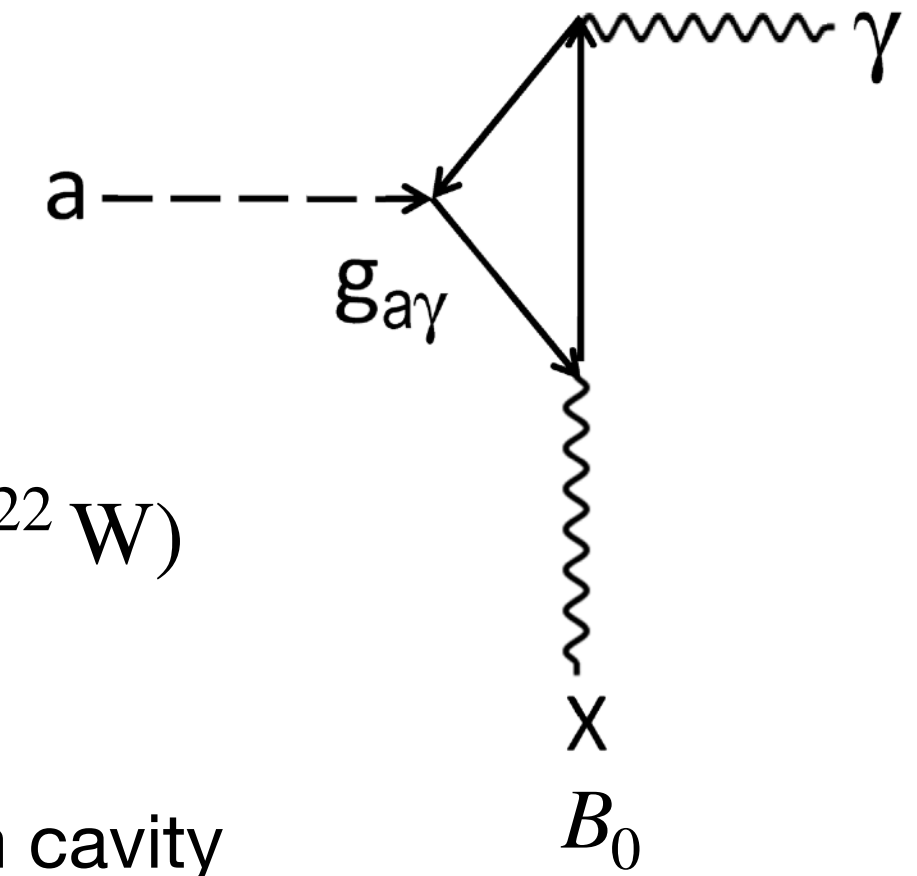
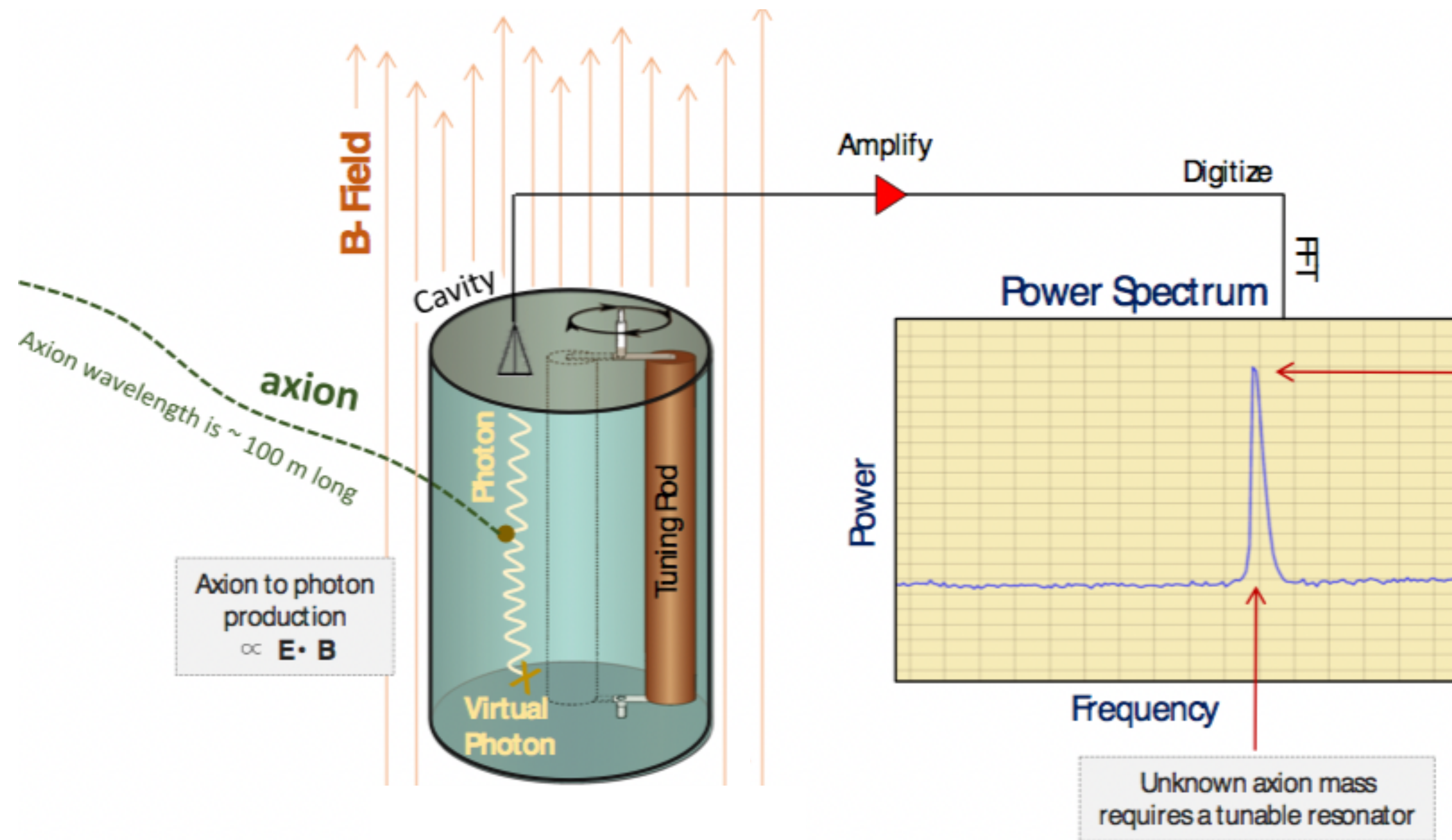
Nick Houston, Beijing University of Technology, nhouston@bjut.edu.cn

Based on 2507.18508 (Phys.Rev.Res. 8 (2026) 1, 013334) with Bilal Ahmad and Yu-Ang Liu

Axion 2026, Qingdao

Supported by NSFC grant no: 12150410317, BJNSF grant no: IS23025

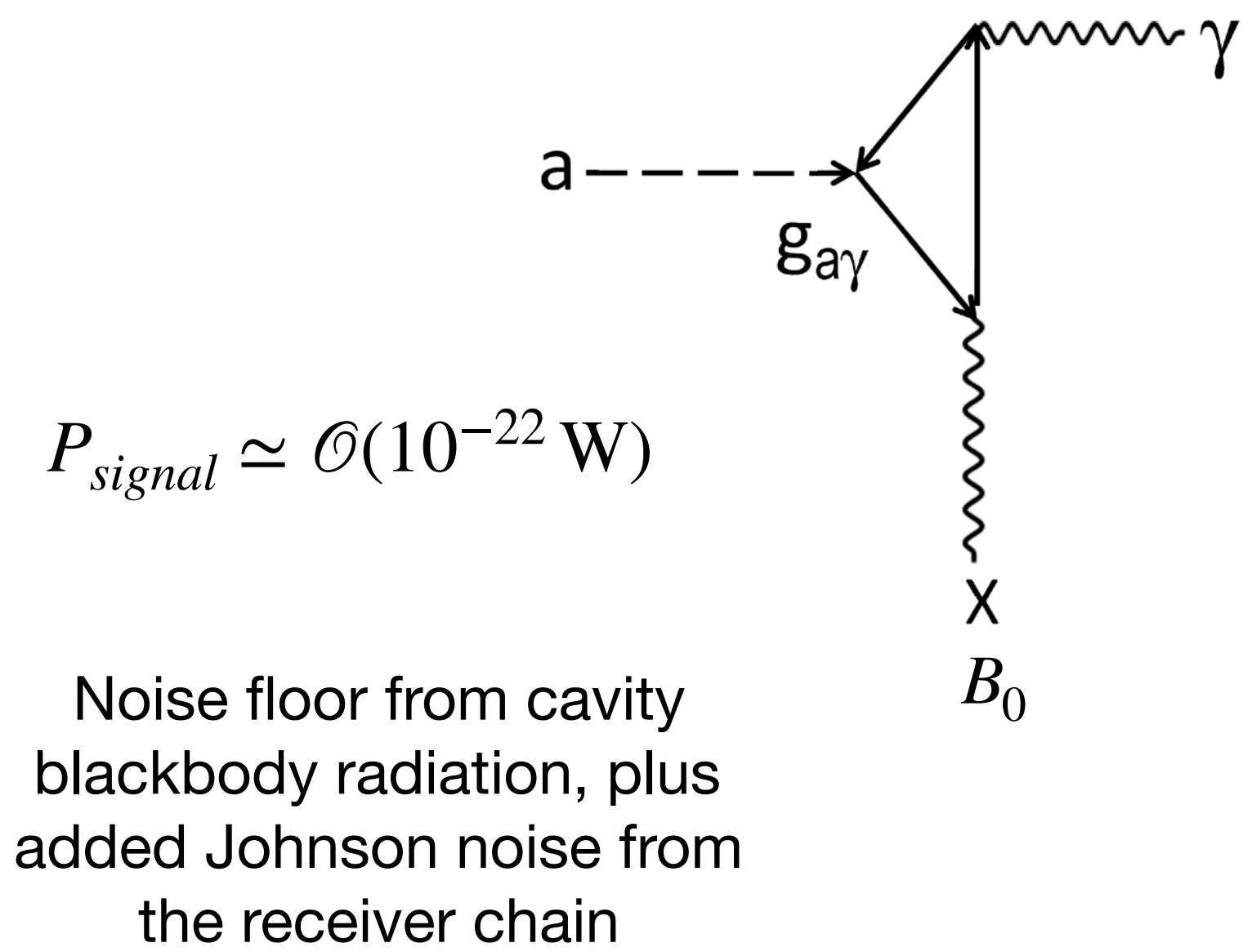
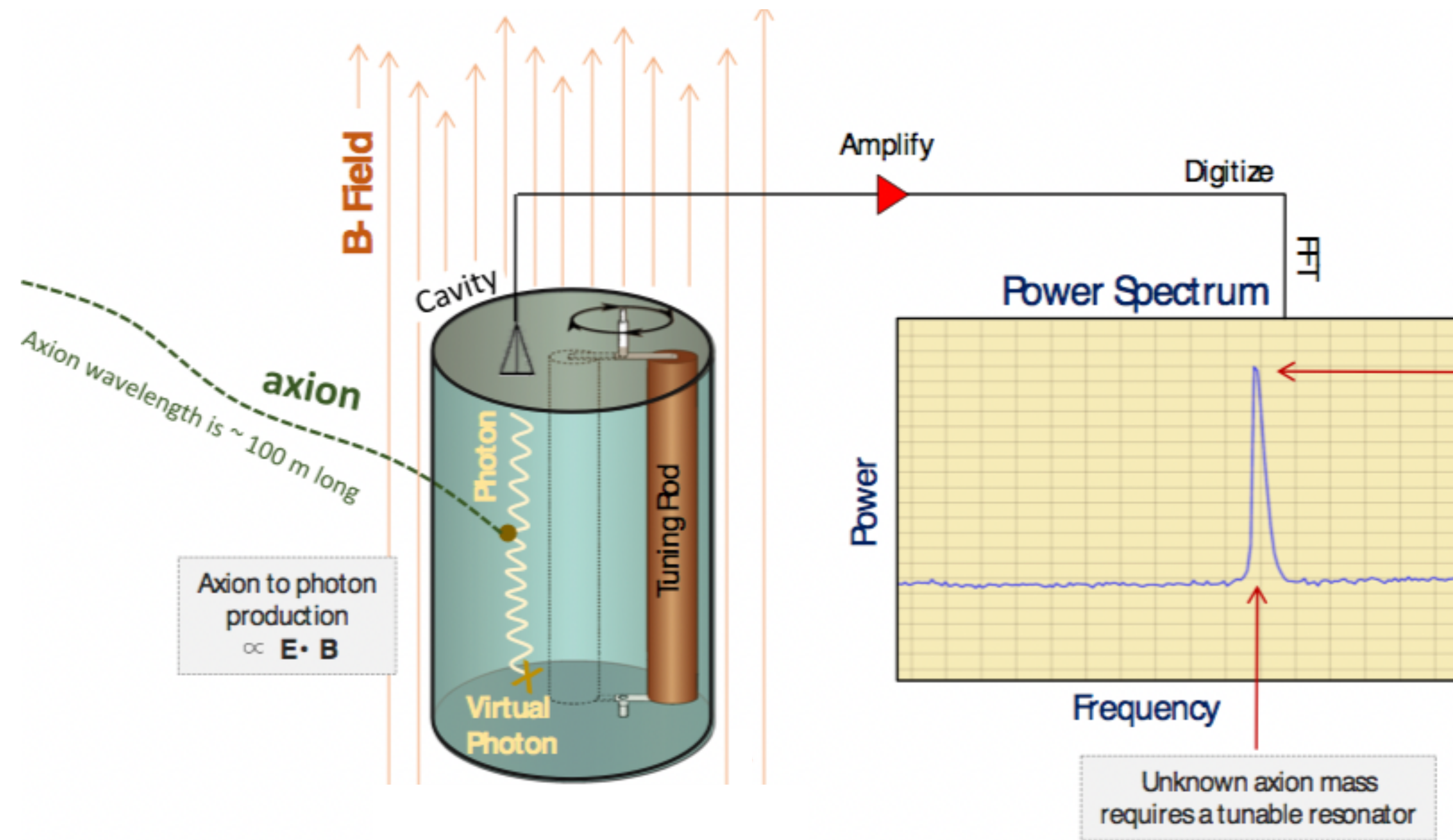
Key technology: cavity haloscopes



$$P_{\text{signal}} \approx \mathcal{O}(10^{-22} \text{ W})$$

Noise floor from cavity
blackbody radiation, plus
added Johnson noise from
the receiver chain

Key technology: cavity haloscopes



Why does this enhance detection?

$$\Gamma_{a \rightarrow \gamma} \simeq 2\pi \left| \langle f | H_{\text{int}} | i \rangle \right|^2 \left(\frac{dn}{dE} \right)$$

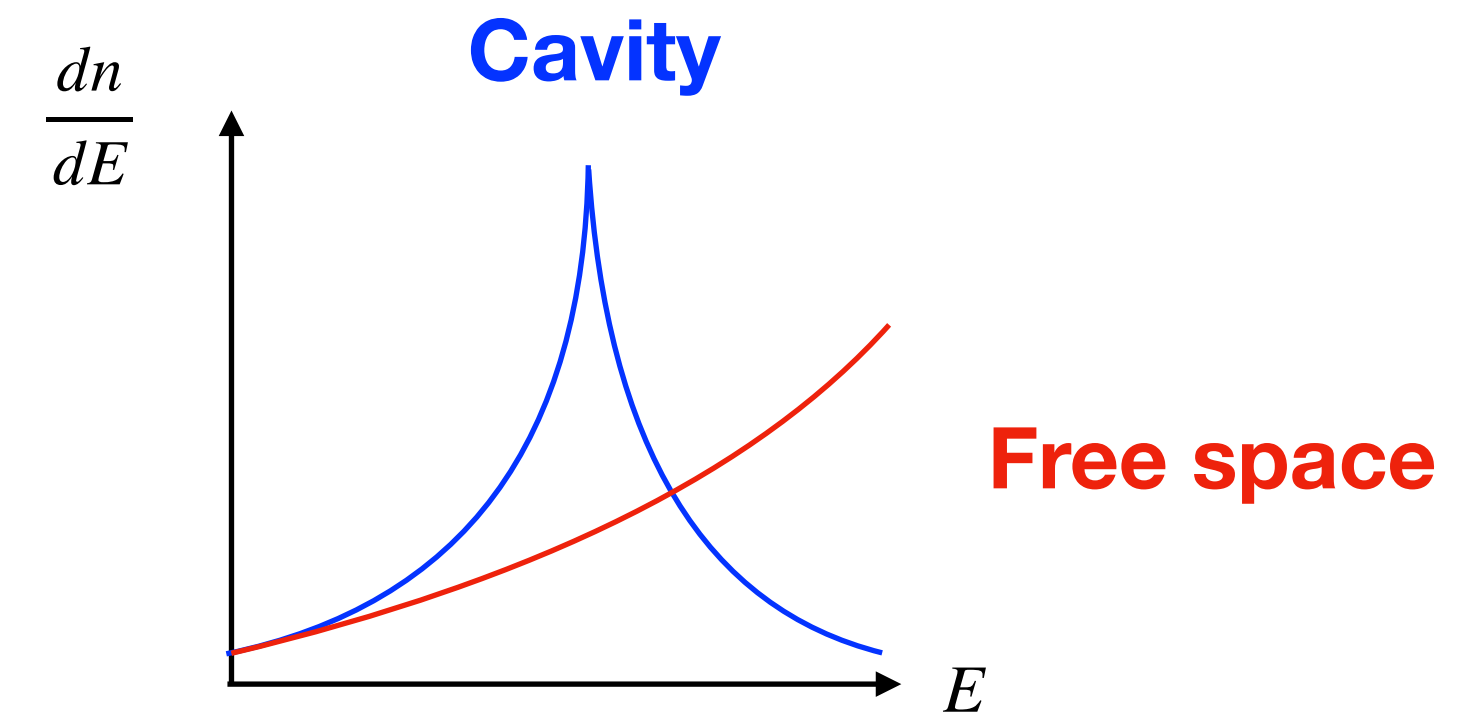


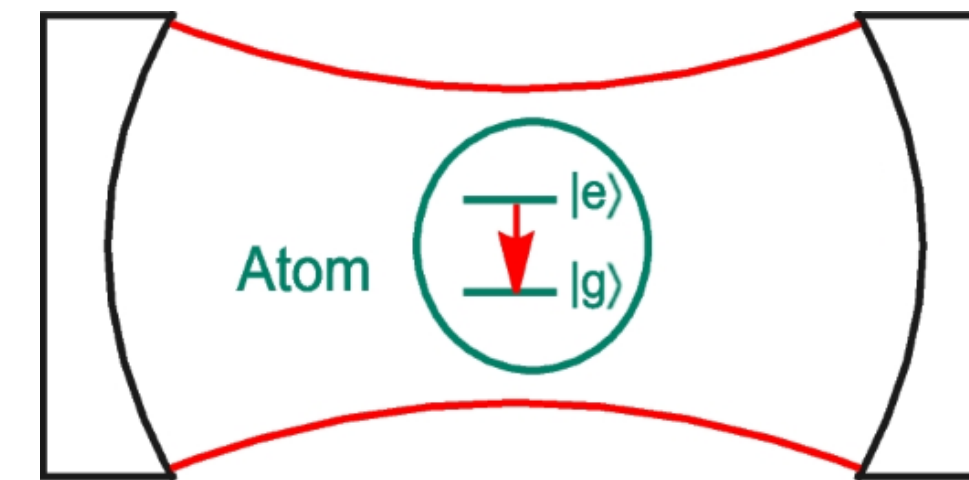
Figure courtesy of C. Boutan

The Purcell effect



- This enhancement can be understood as a specific example of a general effect
- Purcell found that for atoms inside a resonant cavity, spontaneous emission rates are enhanced by

$$F_{\text{Purcell}} = \frac{\tau_{\text{free}}}{\tau_{\text{cavity}}} = \frac{3\lambda^3}{4\pi^2} \left(\frac{Q}{V} \right)$$



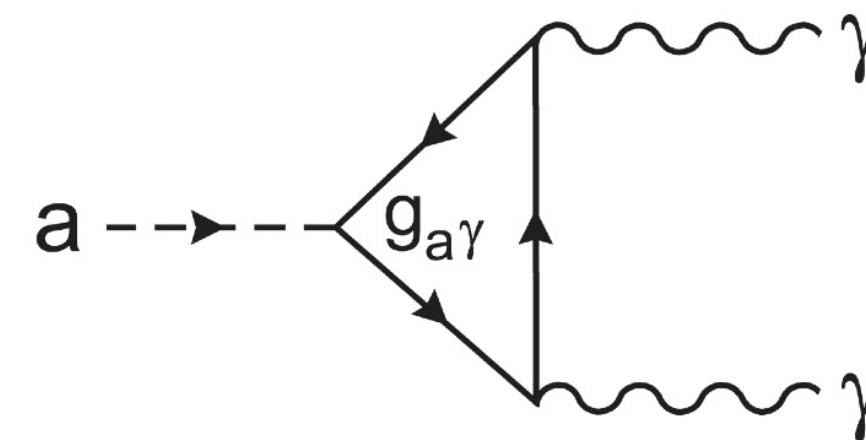
Spontaneous emission probabilities at radio frequencies

EM Purcell - Confined electrons and photons: new physics and ...,

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- Axions can decay too. Is this also enhanced? Can we use this to search for DM?

$$\mathcal{L} = g_{a\gamma} a \vec{E} \cdot \vec{B}$$



Feasibility

- Axion DM must have a lifetime $\gg$ the age of the Universe. Can we really enhance decay to observable levels?

$$\text{decays/s} \simeq \Gamma_{a \rightarrow \gamma\gamma} \times N_a \times F_{\text{Purcell}}$$

$$\simeq \frac{g_{a\gamma}^2 m_a^3}{64\pi} \times \frac{\rho_{DM} V}{m_a} \times \frac{3\lambda^3}{4\pi^2} \left(\frac{Q}{V} \right)$$

$$\left(F_{\text{Purcell}} = \frac{\tau_{\text{free}}}{\tau_{\text{cavity}}} \right)$$

$$\simeq \frac{10^{-24}}{s} \left(\frac{g_{a\gamma}}{10^{-16}/\text{GeV}} \right)^2 \left(\frac{\text{GHz}}{m_a} \right) \left(\frac{Q}{10^{11}} \right) \left(\frac{\rho_{DM}}{0.4 \text{ GeV/cm}^3} \right)$$

Feasibility

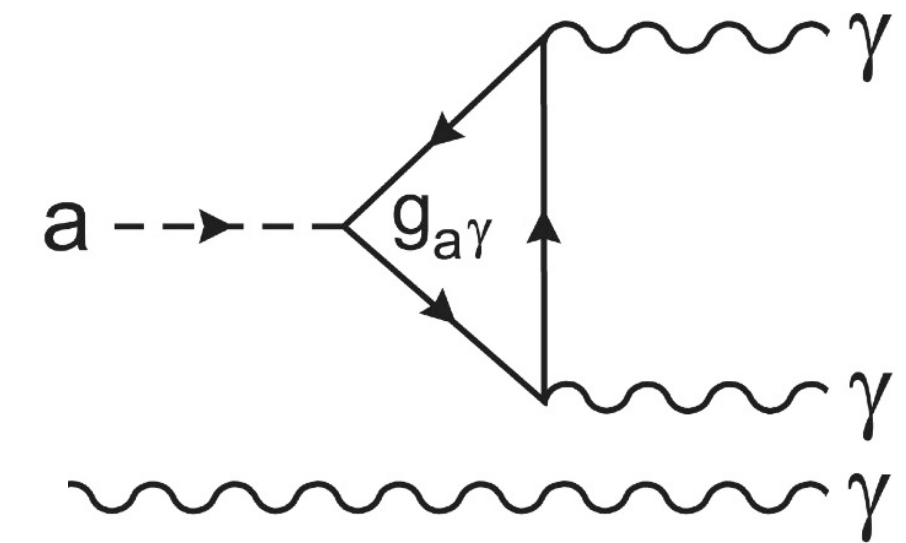
- Axion DM must have a lifetime $\gg$ the age of the Universe. Can we really enhance decay to observable levels?

$$\begin{aligned}
 \text{decays/s} &\simeq \underbrace{\Gamma_{a \rightarrow \gamma\gamma}}_{\text{blue}} \times \underbrace{N_a}_{\text{green}} \times \underbrace{F_{\text{Purcell}}}_{\text{red}} \\
 &\simeq \underbrace{\frac{g_{a\gamma}^2 m_a^3}{64\pi}}_{\text{blue}} \times \underbrace{\frac{\rho_{DM} V}{m_a}}_{\text{green}} \times \underbrace{\frac{3\lambda^3}{4\pi^2} \left(\frac{Q}{V}\right)}_{\text{red}} \quad \left(F_{\text{Purcell}} = \frac{\tau_{\text{free}}}{\tau_{\text{cavity}}}\right) \\
 &\simeq \frac{10^{-24}}{s} \left(\frac{g_{a\gamma}}{10^{-16}/\text{GeV}}\right)^2 \left(\frac{\text{GHz}}{m_a}\right) \left(\frac{Q}{10^{11}}\right) \left(\frac{\rho_{DM}}{0.4 \text{ GeV/cm}^3}\right)
 \end{aligned}$$

- For stimulated decay though, $\text{decays/s} \simeq \Gamma_{a \rightarrow \gamma\gamma} \times N_a \times F_{\text{Purcell}} \times \boxed{(1 + N_\gamma)}$

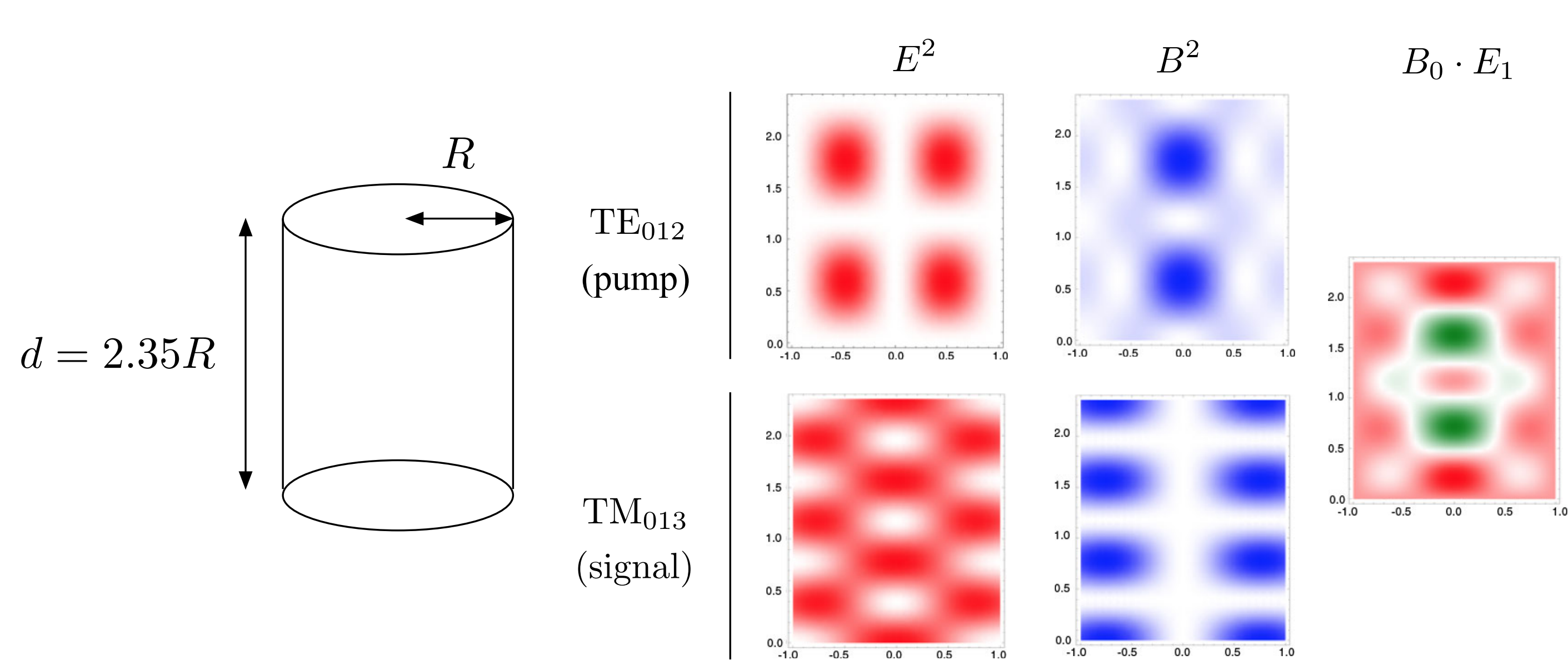
- For ultrahigh Q cavities, we can have $N_\gamma = \frac{U}{E_\gamma} \simeq 10^{28} \left(\frac{U}{\text{kJ}}\right) \left(\frac{\text{GHz}}{E_\gamma}\right)$

$$10^{-24} \times 10^{28} = 10^4 \text{ decays/s}$$

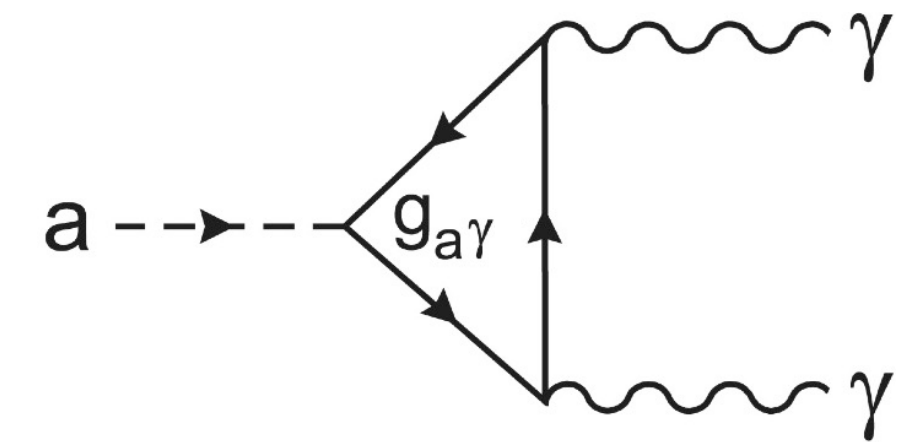


What would we require?

- A high Q cavity with two resonant modes (pump and signal), satisfying $\vec{E} \cdot \vec{B} \neq 0$



$$\mathcal{L} = g_{a\gamma} a \vec{E} \cdot \vec{B}$$

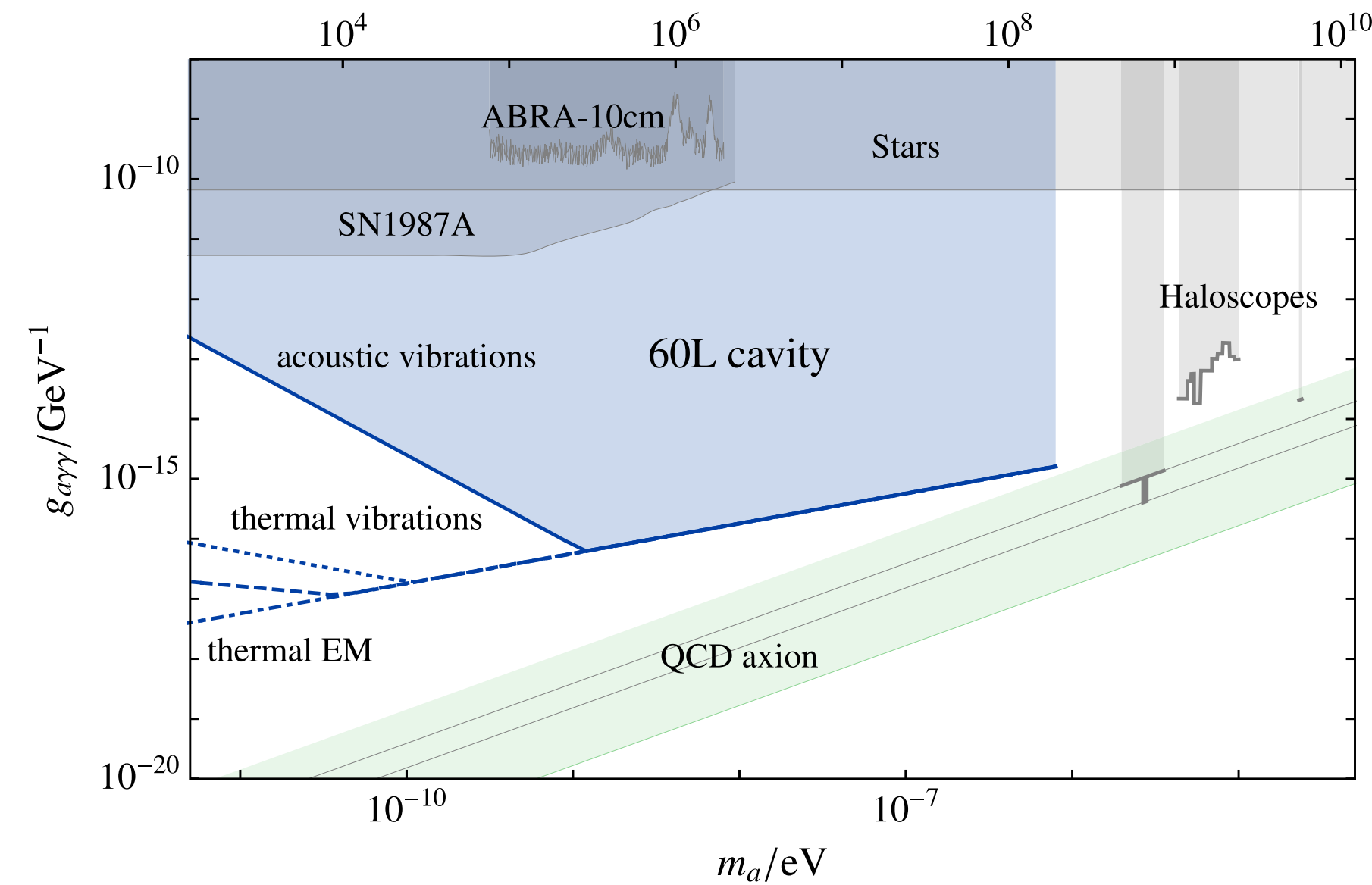
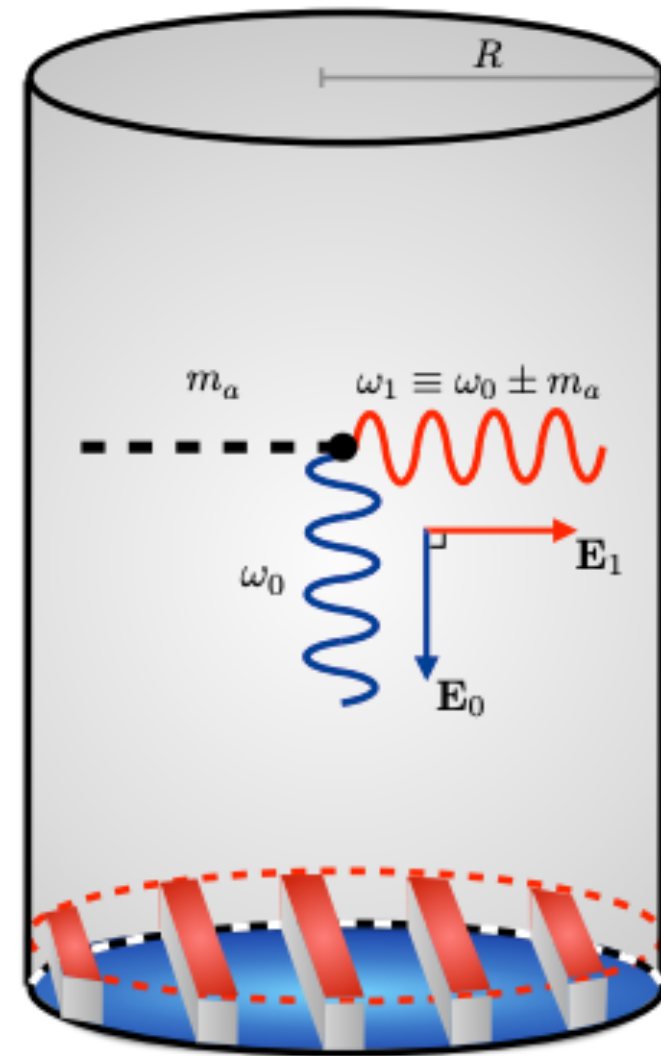
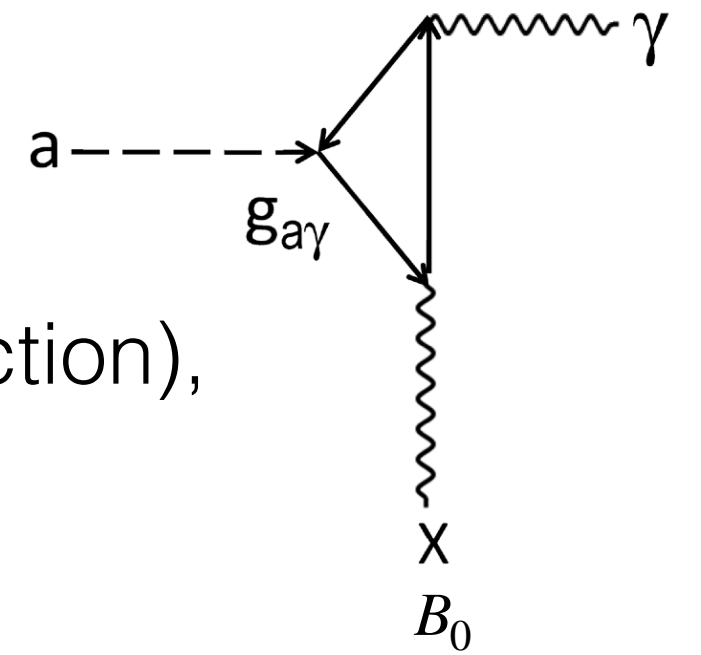


$$\xi \equiv \frac{\left| \int_V \mathbf{E}_1^* \cdot \mathbf{B}_0 \right|}{\sqrt{\int_V |\mathbf{E}_1|^2} \sqrt{\int_V |\mathbf{B}_0|^2}} \leq 1$$

- Spontaneous and stimulated decay both possible: in the latter case we pump one mode, and so need to be able to reject pump output, and cool the cavity effectively

Is this experimentally feasible?

- Dual-mode cavity Primakoff experiments have actually already been explored ('axion heterodyne detection), where instead of a static B field, we use the B field of the pump mode



The only difference here is actually kinematic: heterodyne experiments are sensitive to $m_a = \omega_s - \omega_p$, axion decay is sensitive to $m_a = \omega_s + \omega_p$. With a single cavity we can simultaneously search for both!

“Microwave cavity searches for low-frequency axion dark matter”, R. Lasenby, 1912.11056 , “Axion Dark Matter Detection by Superconducting Resonant Frequency Conversion”, A. Berlin *et al*, 1912.11048

Let's calculate

- Use input/output formalism for signal/pump mode creation/annihilation operators (c_s, c_p)

$$\langle N_s \rangle \equiv \frac{1}{T} \int_0^T dt \langle c_s^\dagger(t) c_s(t) \rangle \simeq \frac{g_{a\gamma}^2 |\xi|^2 Q \omega_p \rho_{DM}}{4m_a^2} F_{DM}(\omega_s + \omega_p) (1 + \langle N_p \rangle)$$

number of signal photons
 axion energy distribution
 $\omega_a = \omega_s + \omega_p$
 spontaneous decay
 Number of pump mode photons, giving stimulated decay

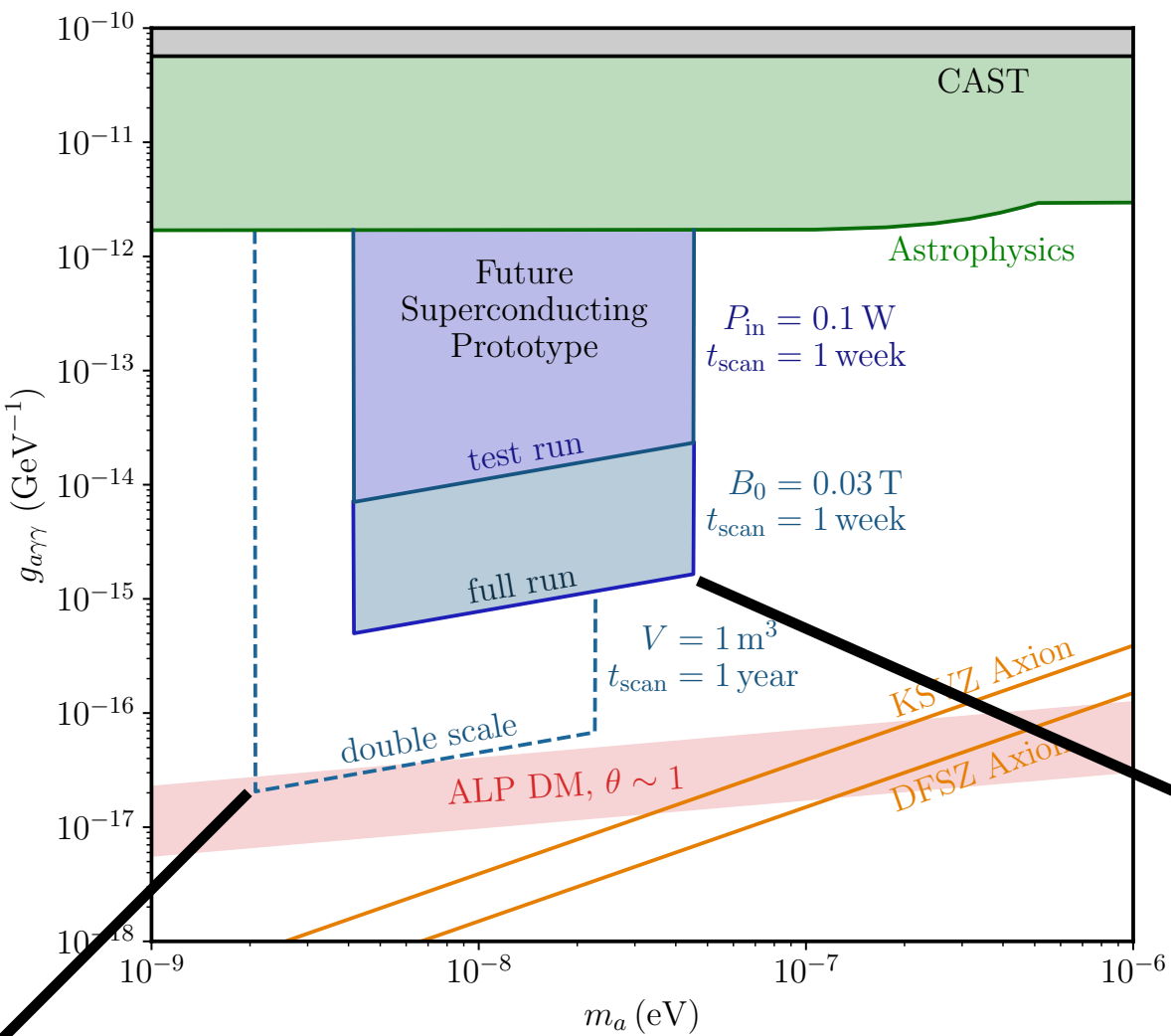
No B field required - can use ultrahigh Q superconducting cavities

- V dependence? Naively: $\langle N_s \rangle \propto N_{\text{axions}} F_{\text{Purcell}} \propto \rho_{DM} V \times Q/V$, however $\max(N_p) \sim V$

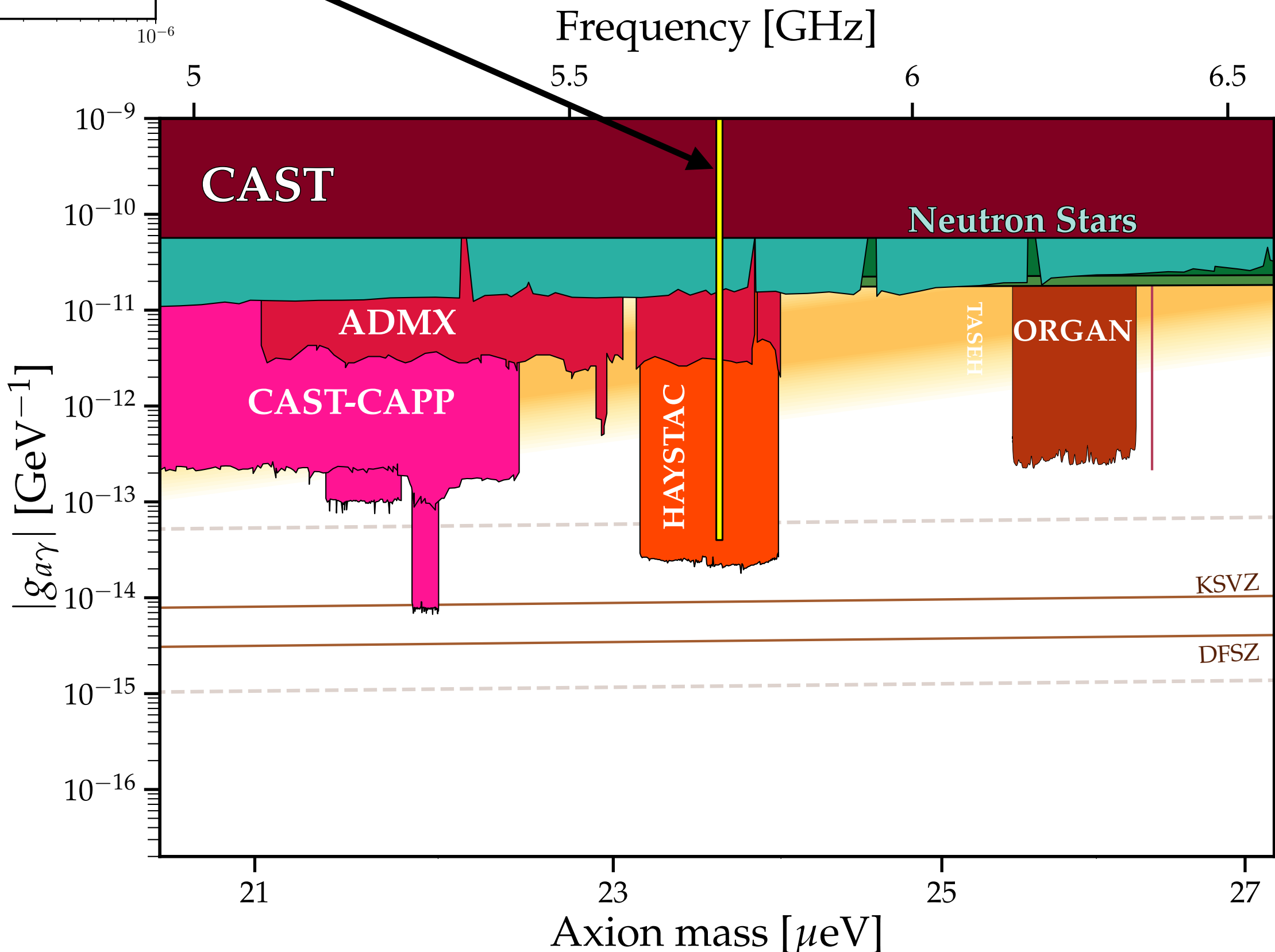
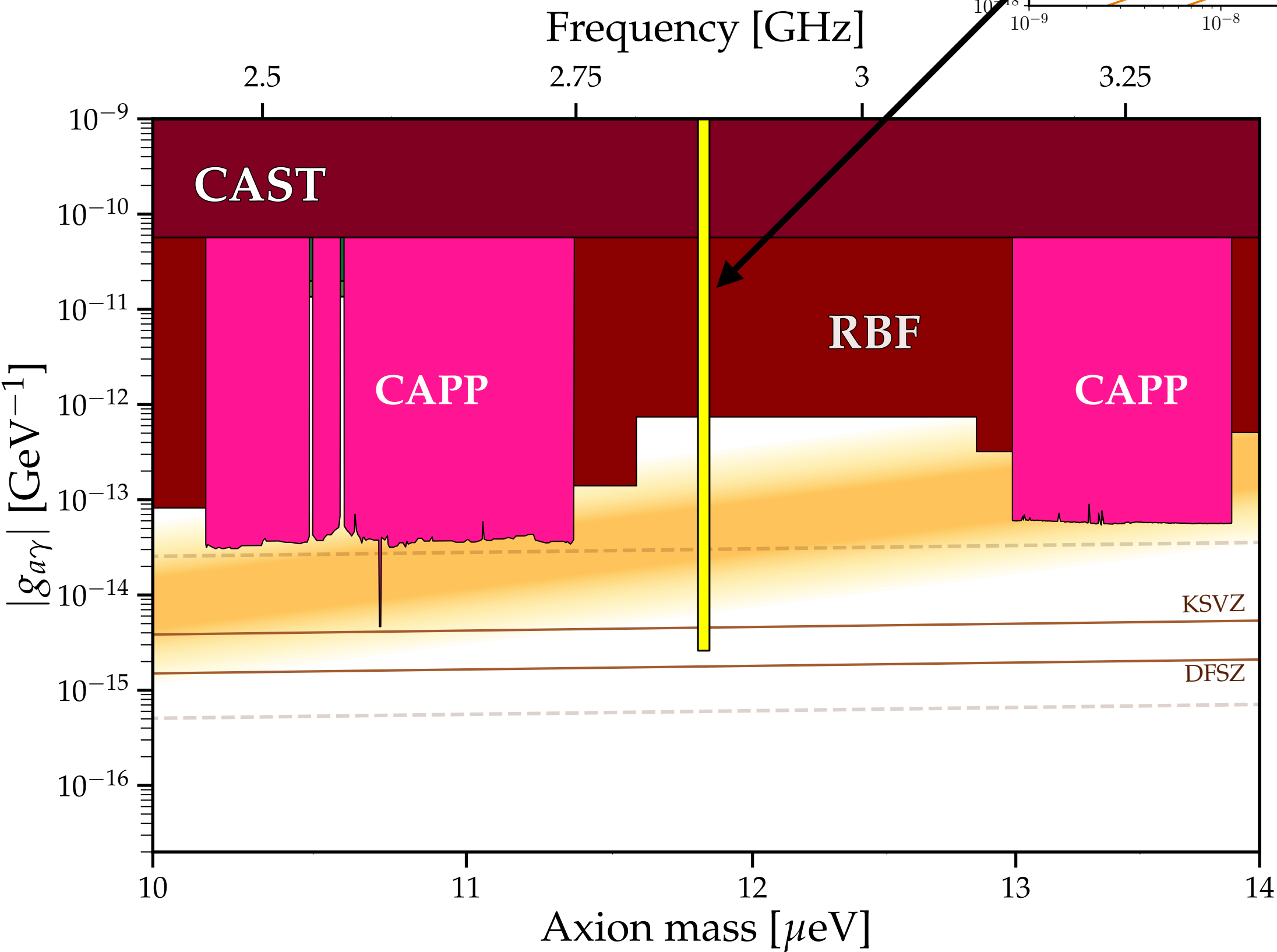
Repurposing heterodyne axion experiments

“A Prototype Hybrid Mode Cavity for Heterodyne Axion Detection”,
Z. Li et al, 2507.07173

- ‘Heterodyne’ experiments search for $m_a = w_s - w_p$
- These experiments are also sensitive to $m_a = w_s + w_p$



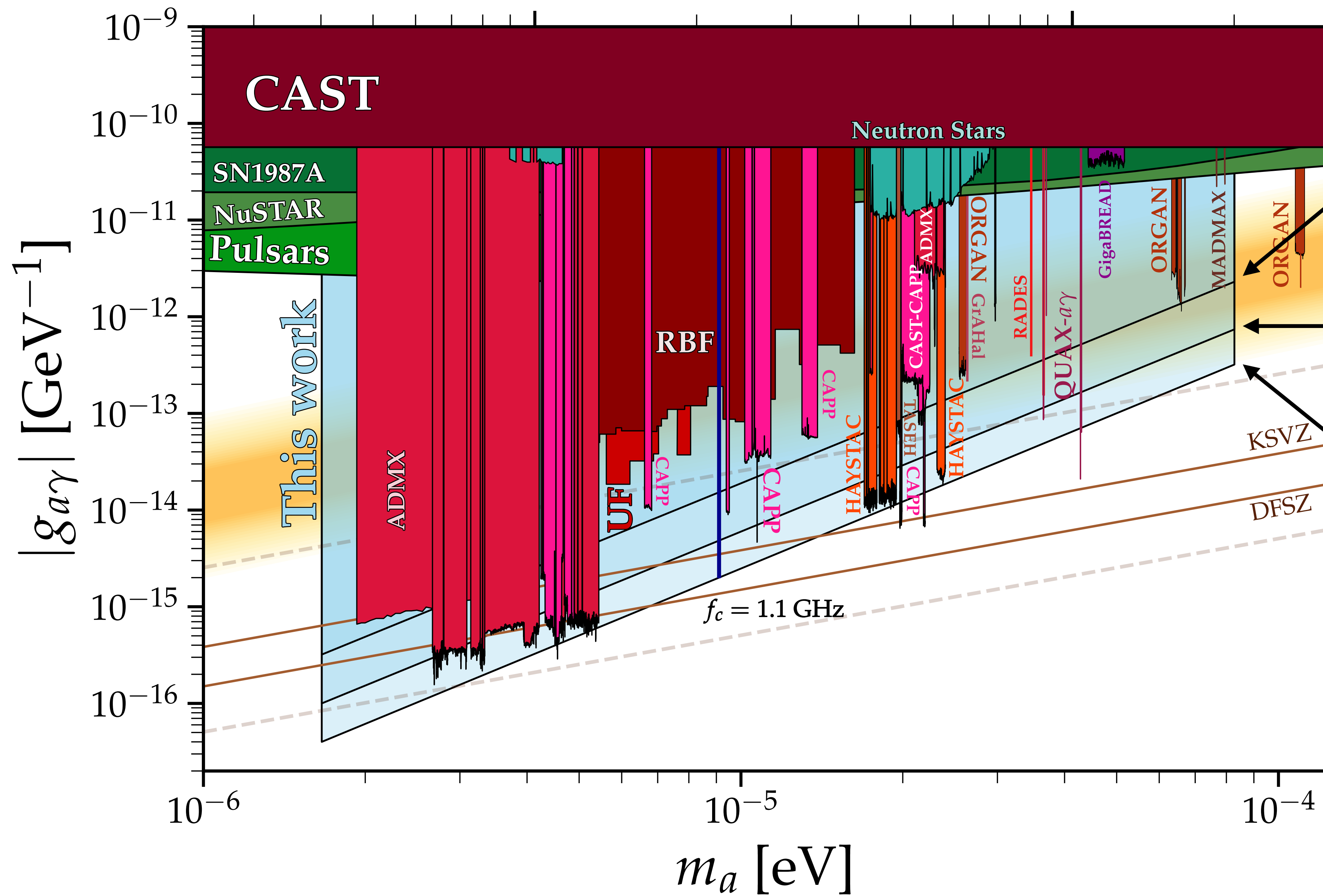
- Development underway at SLAC, Fermilab, CERN, Peking. UPLOAD (Australia) already has results (2301.06778)
- Pro: ‘free’. Con: tuning range



Frequency [MHz]

10^3

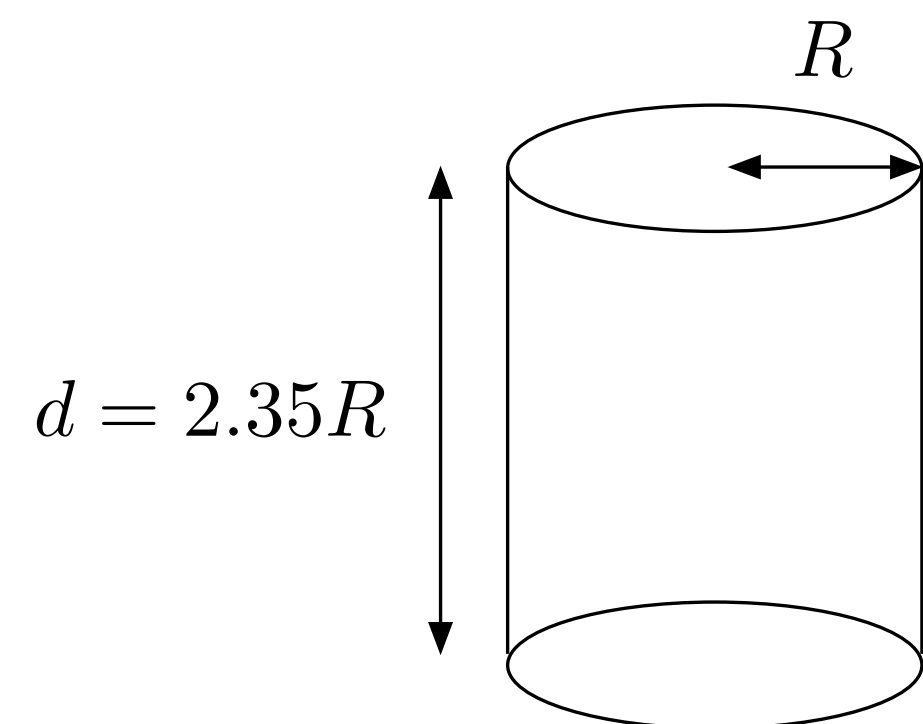
10^4



$Q_{\text{int}} \simeq 2 \times 10^9,$
 $t_{\text{int}} \simeq 100 \text{ s},$
 $T \simeq 2 \text{ K}$

$Q_{\text{int}} \simeq 2 \times 10^{11},$
 $t_{\text{int}} \simeq 100 \text{ s},$
 $T \simeq 2 \text{ K}$

$Q_{\text{int}} \simeq 2 \times 10^{11},$
 $t_{\text{int}} \simeq 1000 \text{ s},$
 $T \simeq 1 \text{ K}$

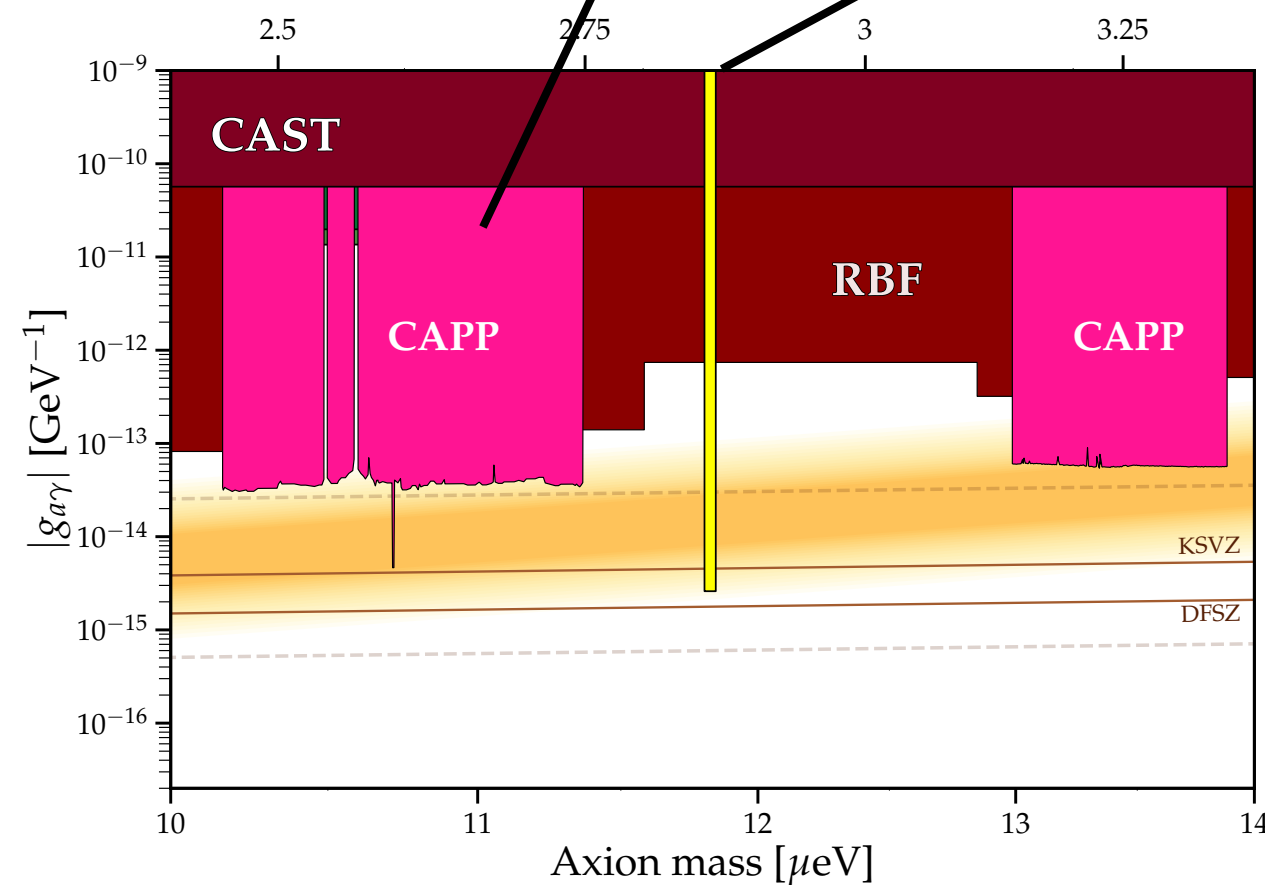


What about a dedicated experiment?

- $m_a = w_s + w_p \sim \mathcal{O}(\text{GHz})$, similar to existing Primakoff haloscopes. Where is the advantage?

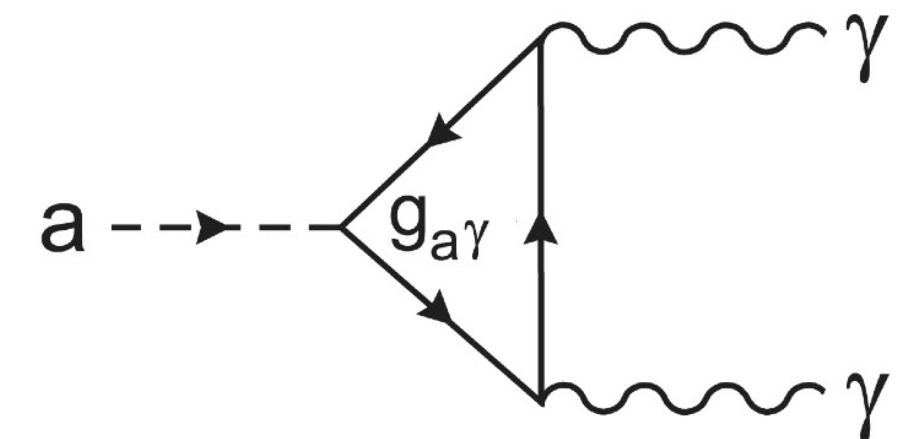
$$\left. \frac{df}{dt} \right|_{\text{CAPP}} \simeq 0.1 \text{GHz/yr} \left(\frac{Q_L}{10^5} \right) \left(\frac{B_0}{7.2 \text{ T}} \right)^4 \left(\frac{11 \mu\text{eV}}{m_a} \right)^2 \left(\frac{V}{1.12 \text{ L}} \right)^2 \left(\frac{1.2 \text{ K}}{T_{\text{sys}}} \right)^2$$

$$\left. \frac{df}{dt} \right|_{\text{Purcell}} \simeq \text{GHz/yr} \left(\frac{Q_{\text{int}}}{2 \times 10^{11}} \right) \left(\frac{\langle N_p \rangle}{2 \times 10^{26}} \right)^2 \left(\frac{2 \text{ K}}{T_{\text{sys}}} \right)^2$$



Assuming $g_{a\gamma} = g_{\text{KSVZ}}$, SNR = 2, optimal β , standard Q_a and ρ_{DM}

This method also produces pairs of entangled photons.
- quantum sensing enhancement?



Any other benefits?

Frequency scaling

- Primakoff haloscopes typically scale poorly with increasing frequency:

$$\frac{df}{dt} = g_{a\gamma}^4 \frac{\rho_a^2}{m_a^2} \frac{1}{\text{SNR}^2} \frac{B_0^4 V^2 \xi^2}{T_{\text{sys}}^2} \frac{\beta^2}{(1 + \beta)^2} Q_a \min(Q_L, Q_a) \sim f^{-10.66}$$

$$\begin{aligned} m_a &\sim f \\ V &\sim f^{-3} \\ Q &\sim f^{-2/3} \\ T_{\text{sys}} &\sim f \end{aligned}$$

- Typically necessitates multi-cavity setups, higher order modes, dielectric/plasma haloscopes

However, the Purcell/heterodyne approach separates m_a and f

- We can work at a frequency which is experimentally more convenient
- For $\omega_s \simeq n \times \omega_p$ a 1 GHz experiment probes $n + 1$ GHz axions. Scan rate benefit can be $\mathcal{O}(n^7)$!
- Analysis required here to determine optimal approach

Discussion and conclusions

We propose a novel dark matter search strategy: cavity enhanced axion decay

Pros	Cons
1. No B field, allowing ultrahigh Q superconducting cavities 2. Can simultaneously search for $m_a = w_s + w_p$ and $m_a = w_s - w_p$, using heterodyne experiments ‘for free’ 3. With plausible parameters, can probe a classic region for QCD axion DM, with enhanced high frequency performance	1. Must work with two cavity modes - additional cavity design constraints and tuning complexity 2. Must pump one mode for good sensitivity: require good pump mode rejection and cavity cooling
Questions How much tuning is possible? What would an optimal cavity enhanced axion decay experiment look like?	