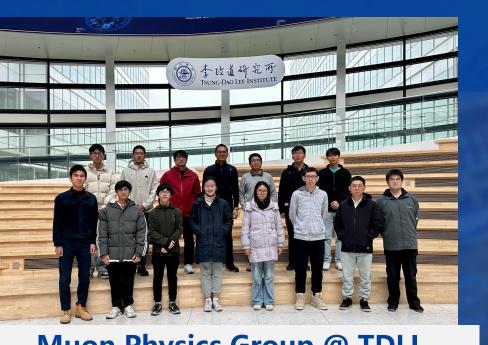


Kim Siang Khaw
Axion 2025
Nanjing 2025.07.29















Magnetic moment and g-factor

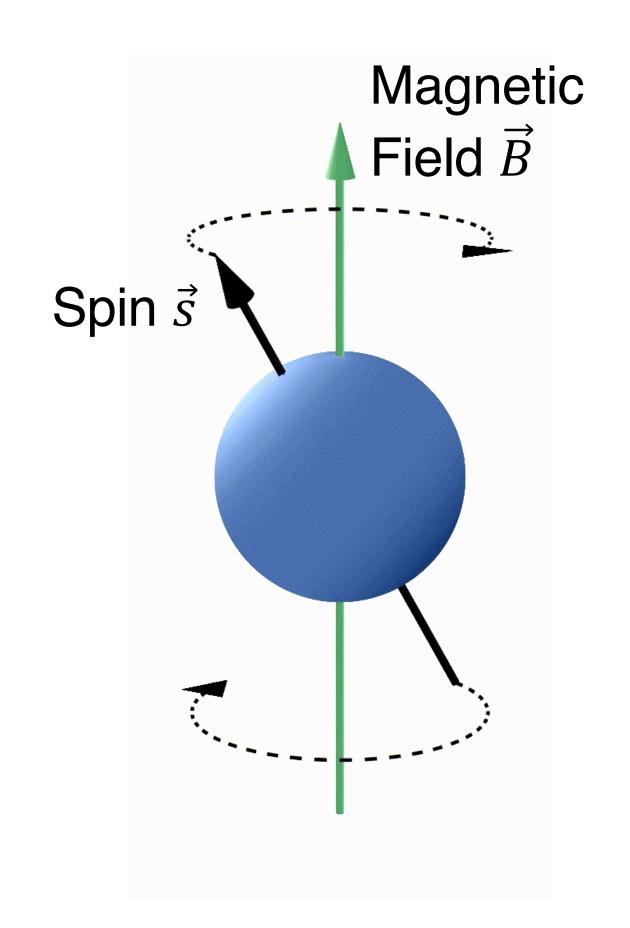


• g-factor connects the spin (\vec{s}) of a particle to its magnetic moment $(\vec{\mu})$

$$\vec{\mu} = \frac{g}{2m} \vec{s}$$

• Spin precesses in a magnetic field; larger g-factor, higher spin precession frequency (ω_s)

$$\omega_{s} = \frac{g}{2} \frac{e}{m} B$$



100 years of g-factor



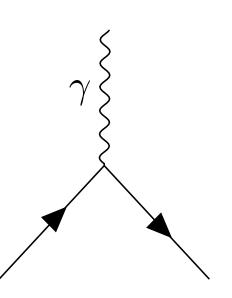
Studies on the g-factor have laid the foundation of the Standard Model

g = 1 for classical current loop

• Stern-Gerlach (1922) and atomic spectroscopy found $g_e \approx 2$

g = 2 for a "free" spin-1/2 Dirac particle

A prediction of Dirac's equation (1928)





g > 2 due to interactions with virtual particles (quantum fluctuations)

- Kusch and Forley (1947) studied Zeeman effect in Ga atom and found g ~ 2.002
- J. Schwinger (1947) calculated the 1st order QED correction

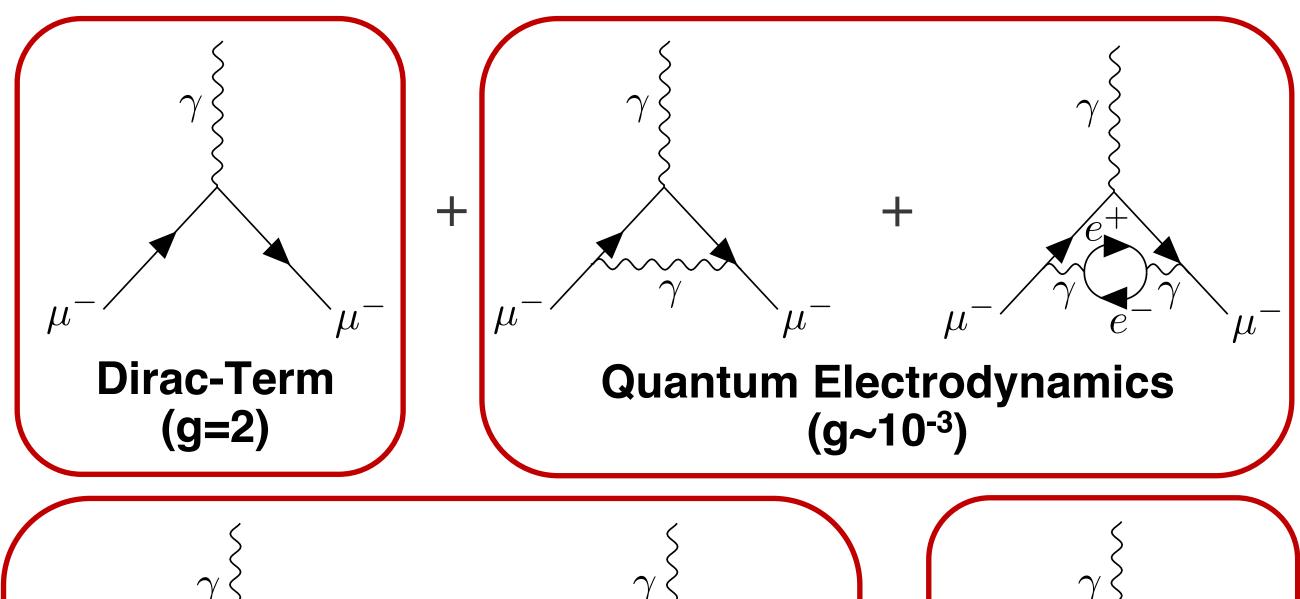


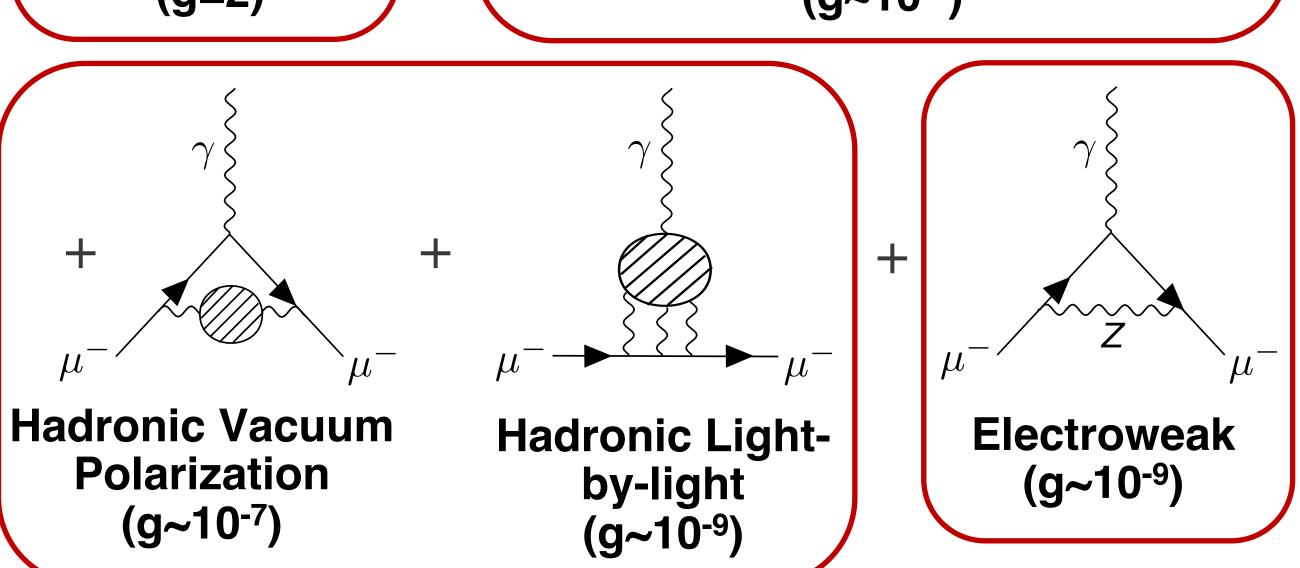


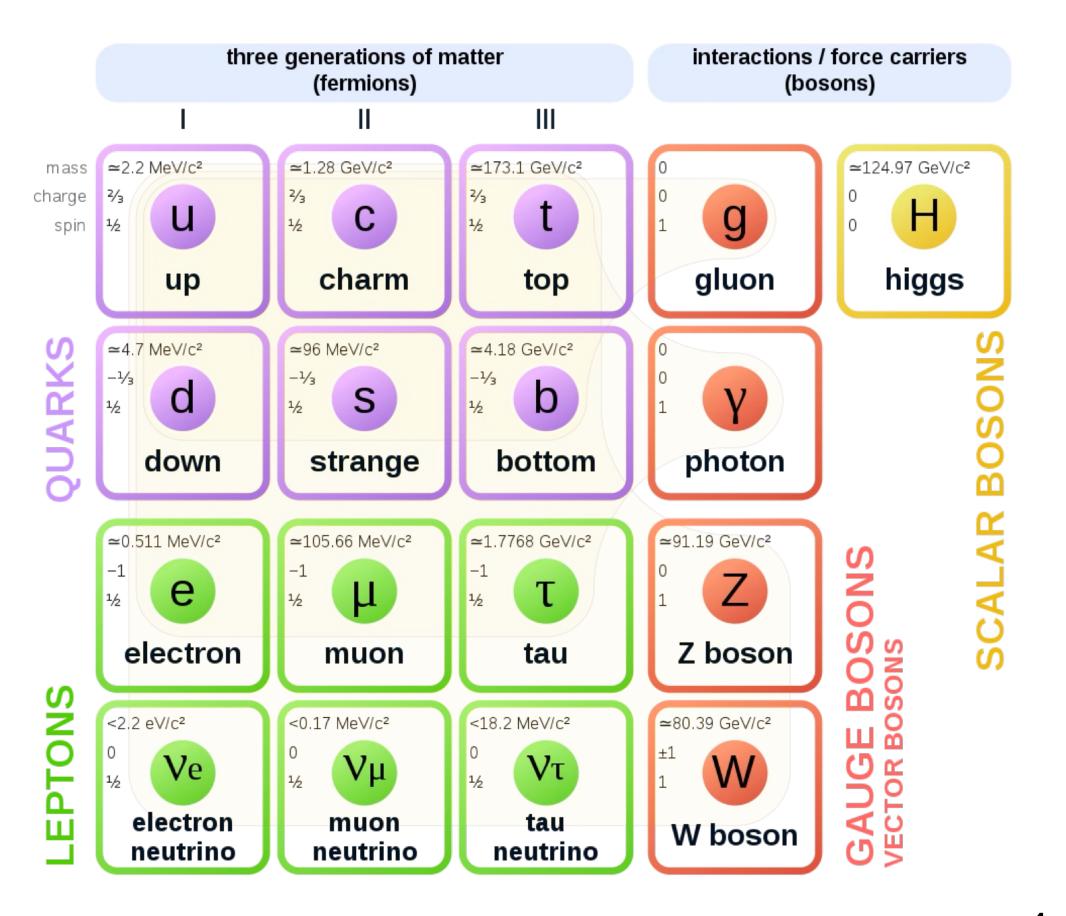
Testing Standard Model with the g-factor



Measuring the size of quantum fluctuations reveals the particle and force content of the universe







Source: Wikipedia/Cush

Probing New Physics with Muon g-2

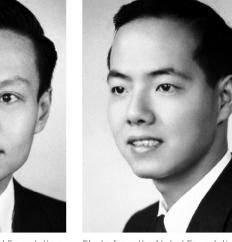




Parity violation in weak decay (1956)



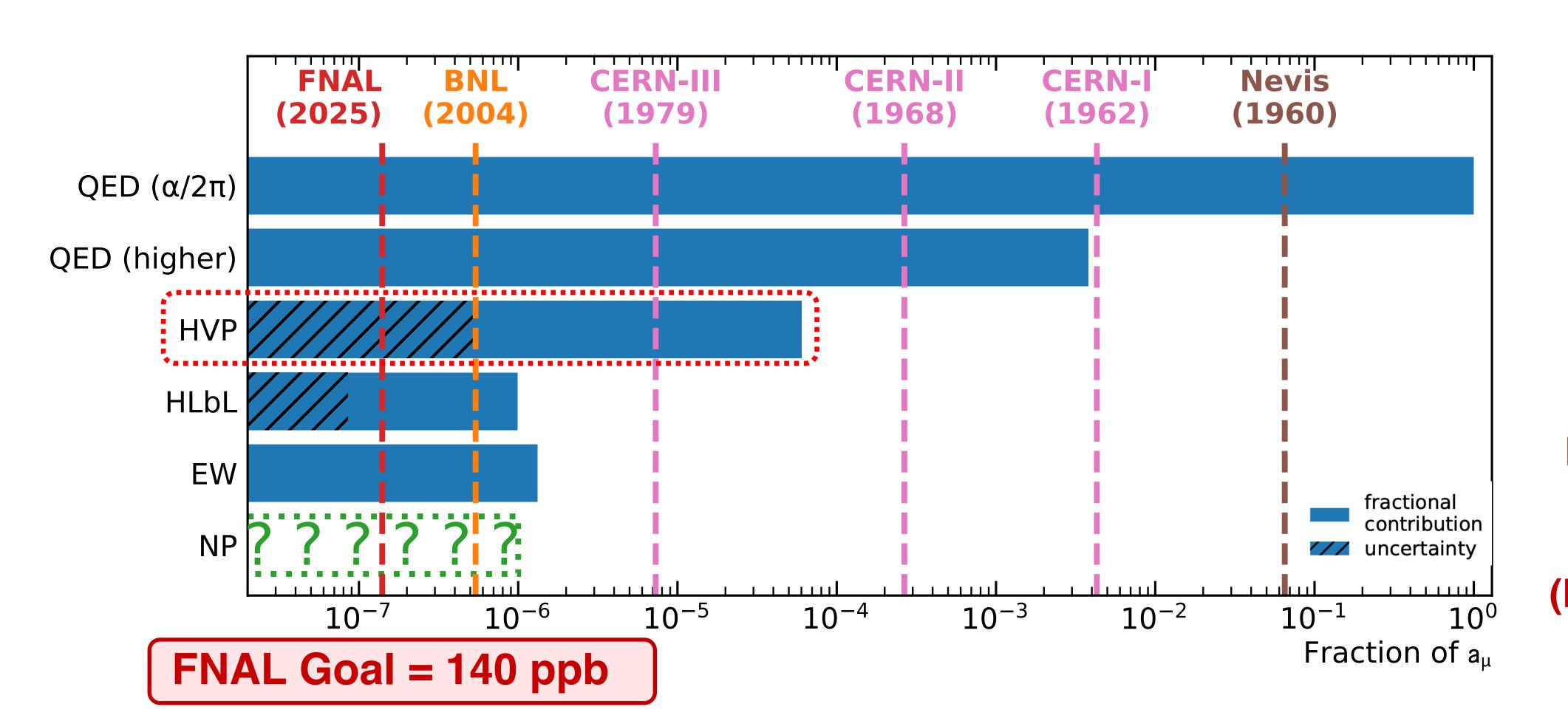
Chen Ning Yang



Tsung-Dao (T.D.) Lee

Parity violation in muon decay and g~2





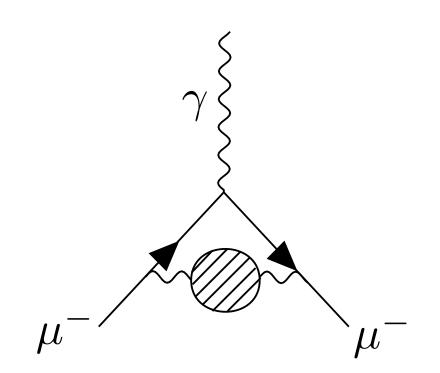
Is there any new physics (in the experiment) that is not in the Standard Model (calculation)?

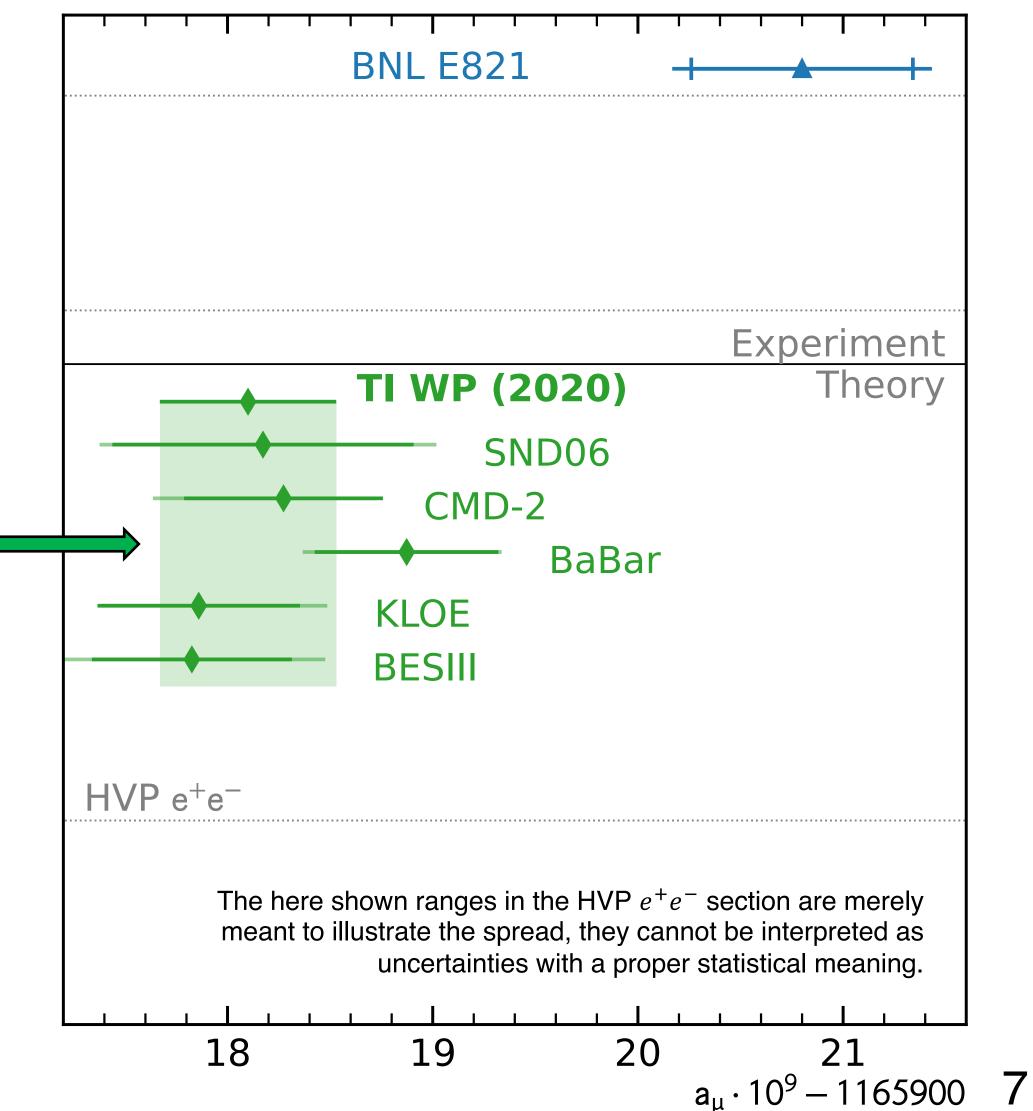


2020: Muon g-2 Theory Initiative



- 100+ theorist compile the theoretical input and provide recommendations (muon-gm2-theory.illinois.edu)
- TI White Paper 2020 Physics Reports 887 (2020) 1-166
- data-driven dispersive approach from $\sigma(e^+e^- \rightarrow hadrons)$ data from different experiments over 20+ years



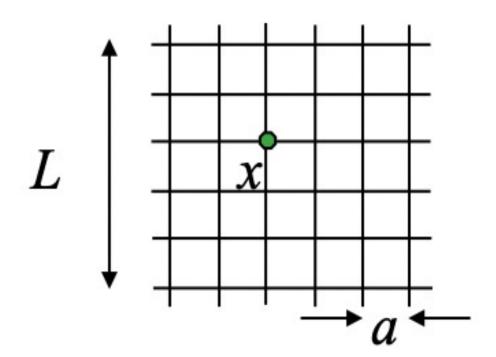


2021: Run-1 vs Lattice CQD

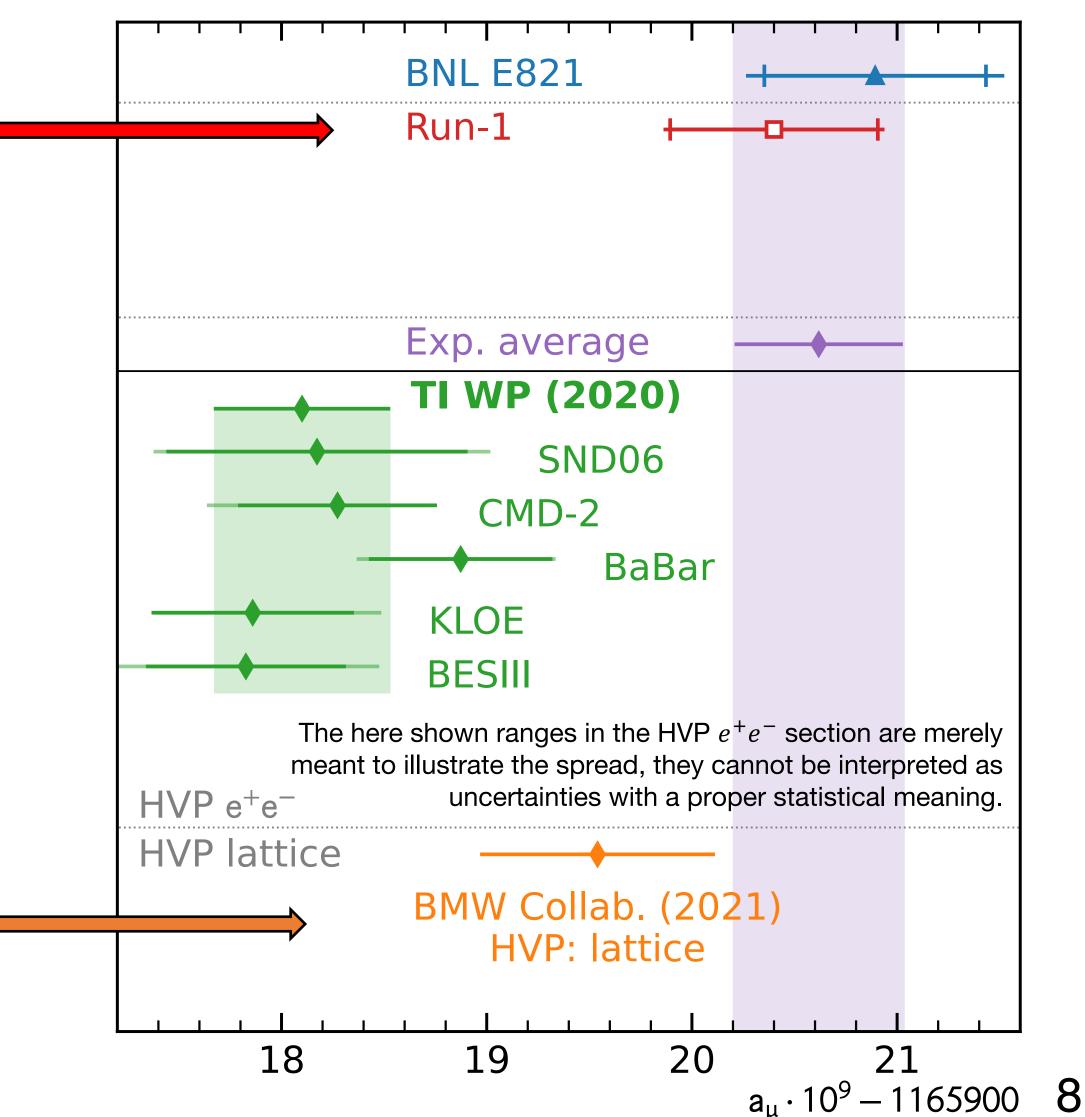


- First result using 5% of our full dataset (Run-1 in 2018)
- In good agreement with previous results

• First high-precision ab-initio calculations of HVP on QCD-lattice



 in tension with the data-driven approach $(e^+e^- \rightarrow hadrons)$



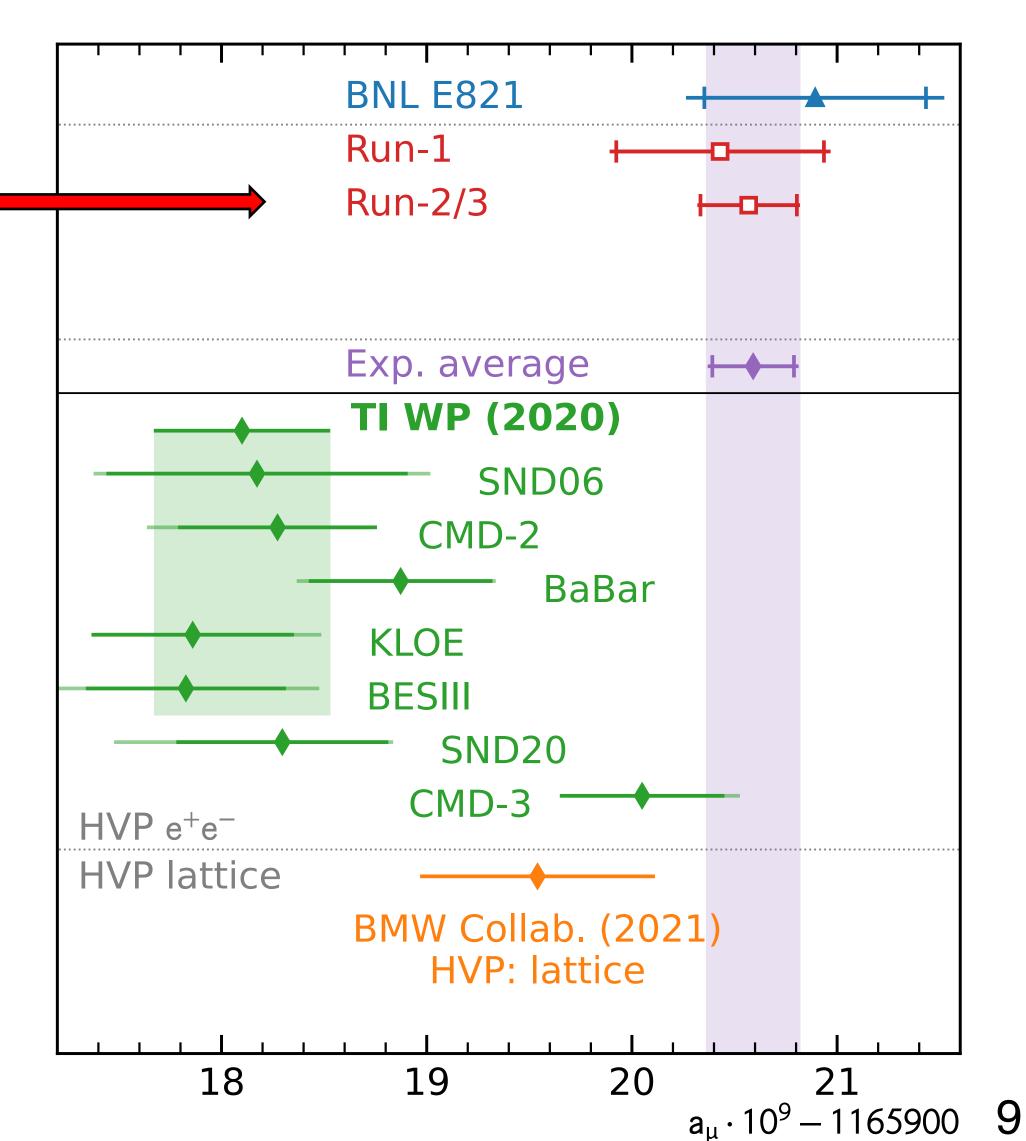
2023: Run-2/3



- Second result using 4.6 times more data (Run-2/3 in 2019 and 2020)
- More than a two-fold increase in precision



Muon g-2 collaboration @ Liverpool in 2023



2025: Theory Initiative Update

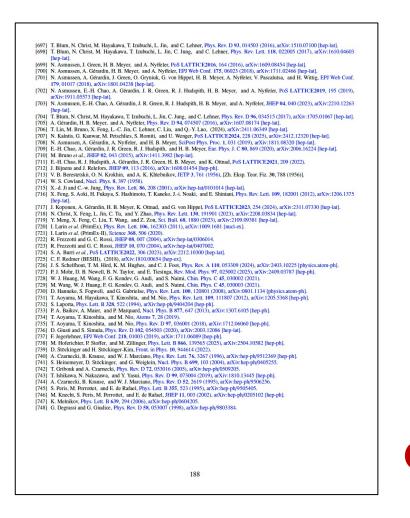


Two months ago:

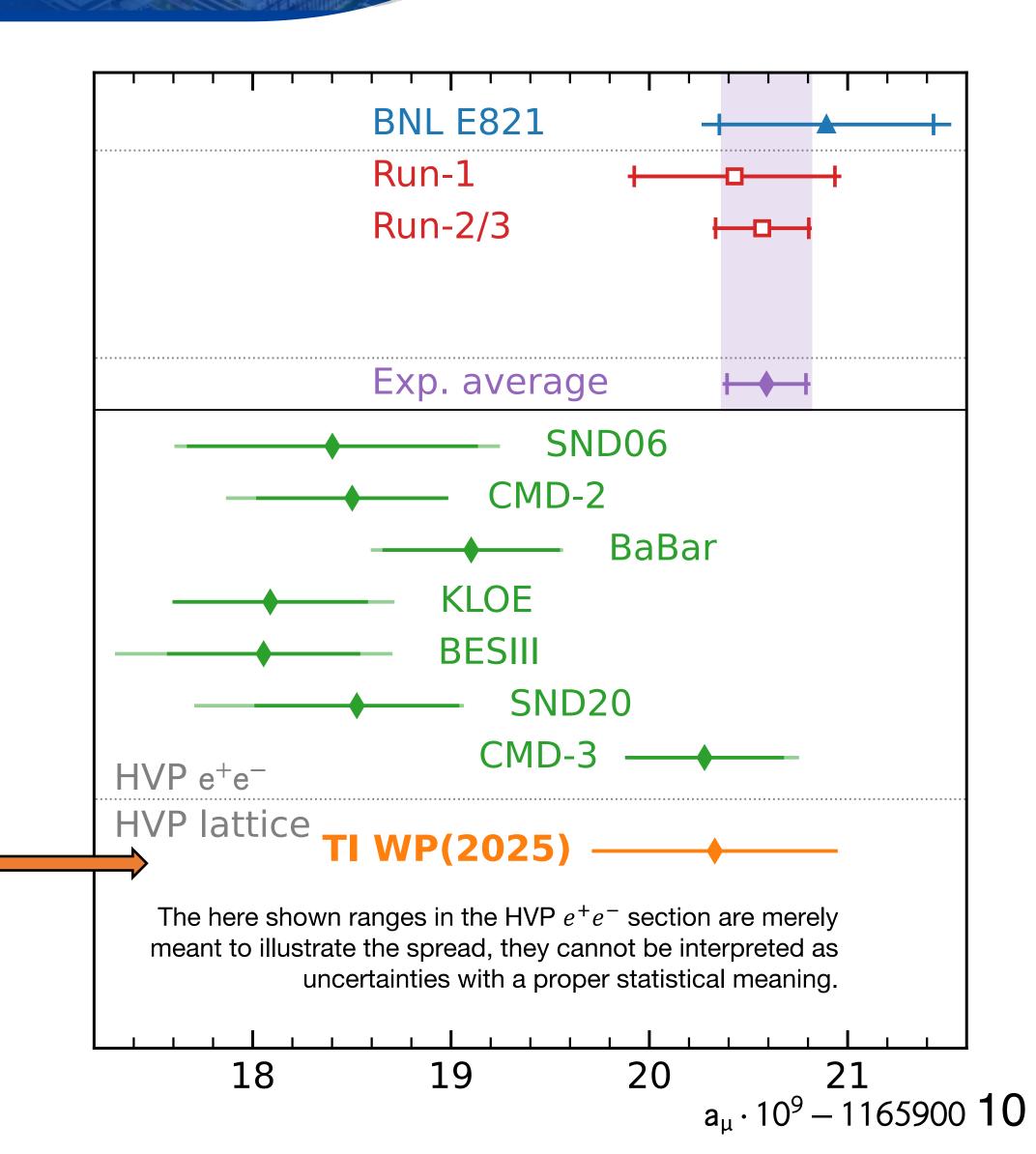
New TI White Paper (2025) using only QCD-lattice based (LO-)HVP determination

All the details in **TI White Paper 2025** arXiv:2505.21476





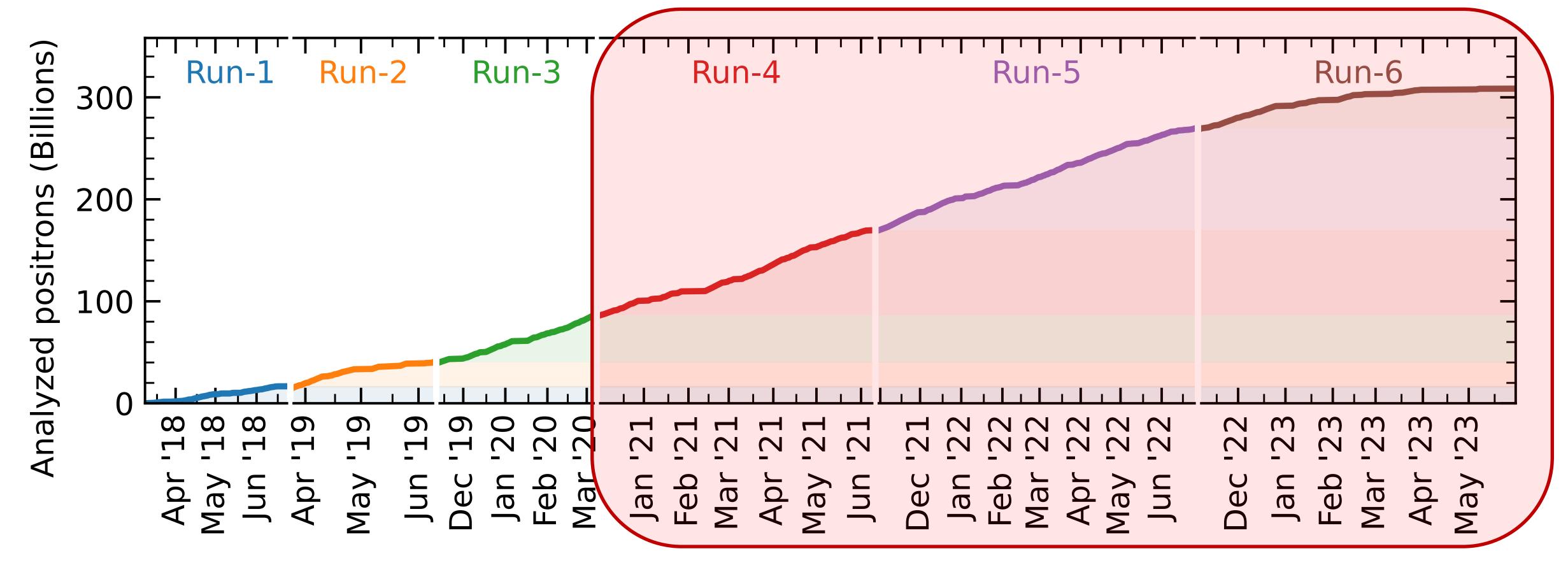
~ 100 authors only 188 pages



Data Collection – 6 Runs over 7 Years



(2017-2023)



April 2021: Run-1 results

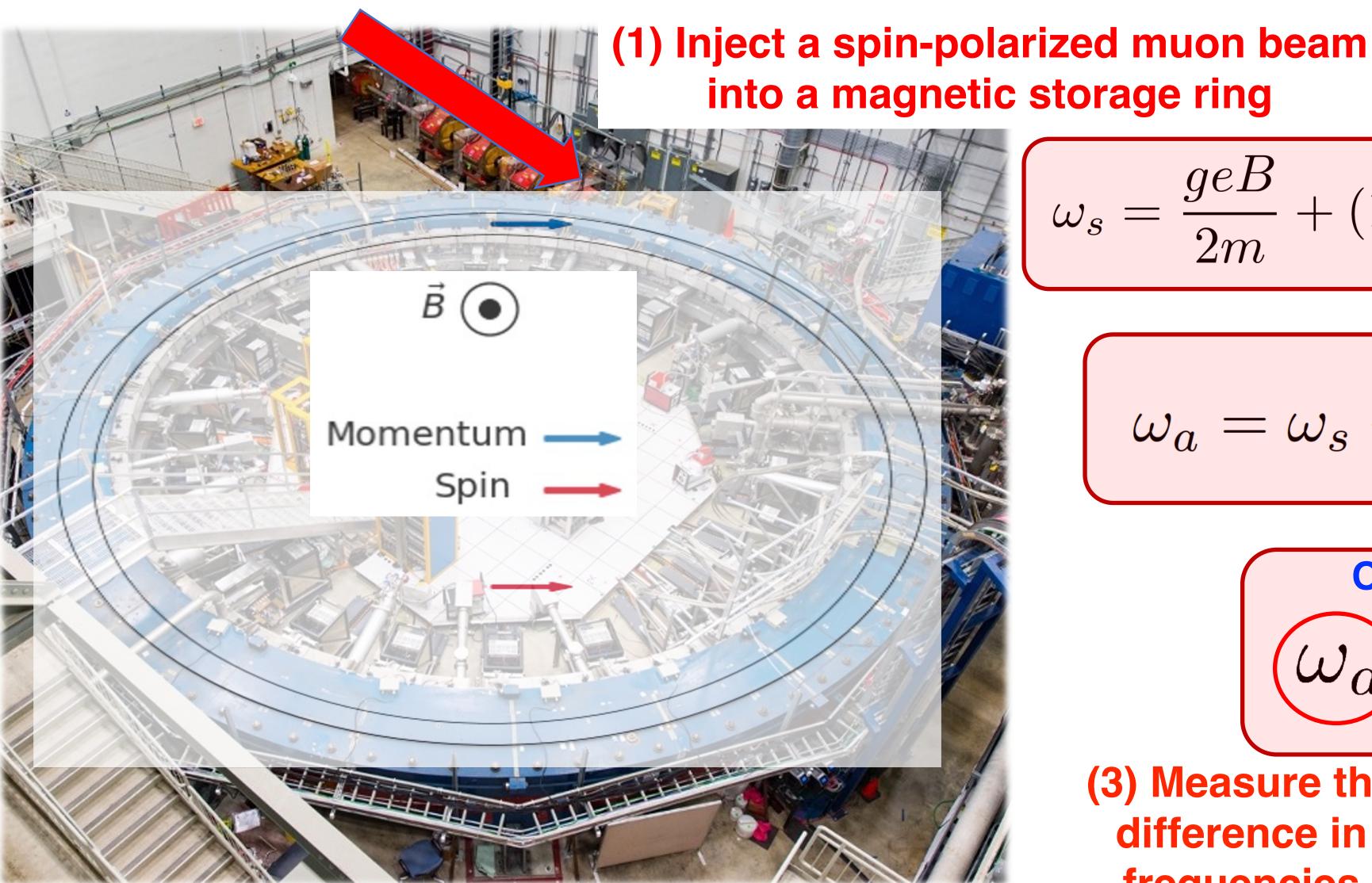
August 2023: Run-2/3 results

Today: Run-4/5/6 results

2.6 times more data

Principle of g-2 measurement





$$\omega_s = \frac{geB}{2m} + (1 - \gamma) \frac{eB}{\gamma m}$$

$$\omega_c = \frac{eB}{\gamma m}$$

$$\omega_a = \omega_s - \omega_c = \left(\frac{g-2}{2}\right) \frac{eB}{m}$$

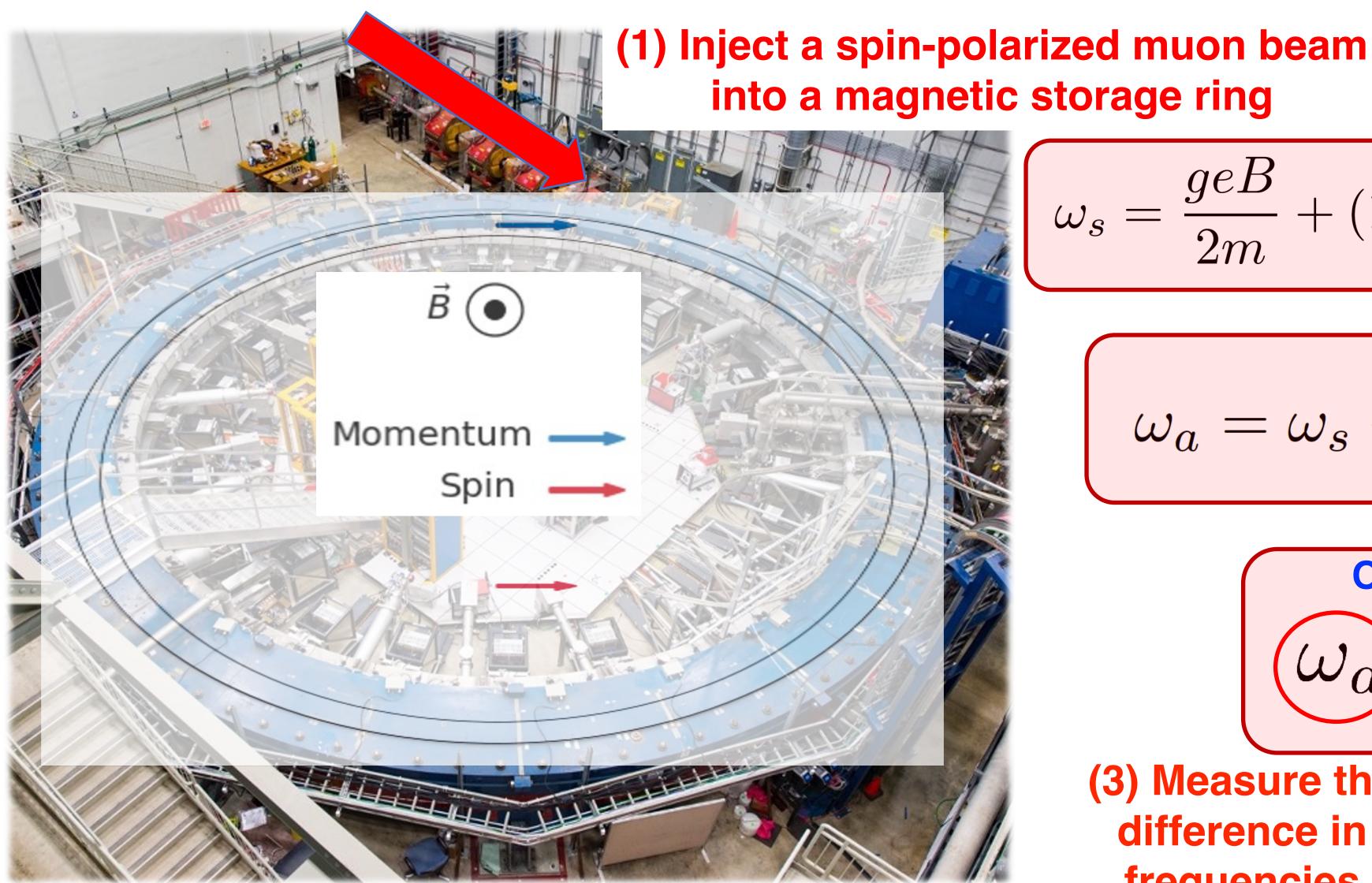
$$(\omega_a) = (a_\mu) \frac{eB}{m}$$

(3) Measure the difference in frequencies

(2) Measure the storage ring magnetic field 12

Principle of g-2 measurement





$$\omega_s = \frac{geB}{2m} + (1 - \gamma) \frac{eB}{\gamma m}$$

$$\omega_c = \frac{eB}{\gamma m}$$

$$\omega_a = \omega_s - \omega_c = \left(\frac{g-2}{2}\right) \frac{eB}{m}$$

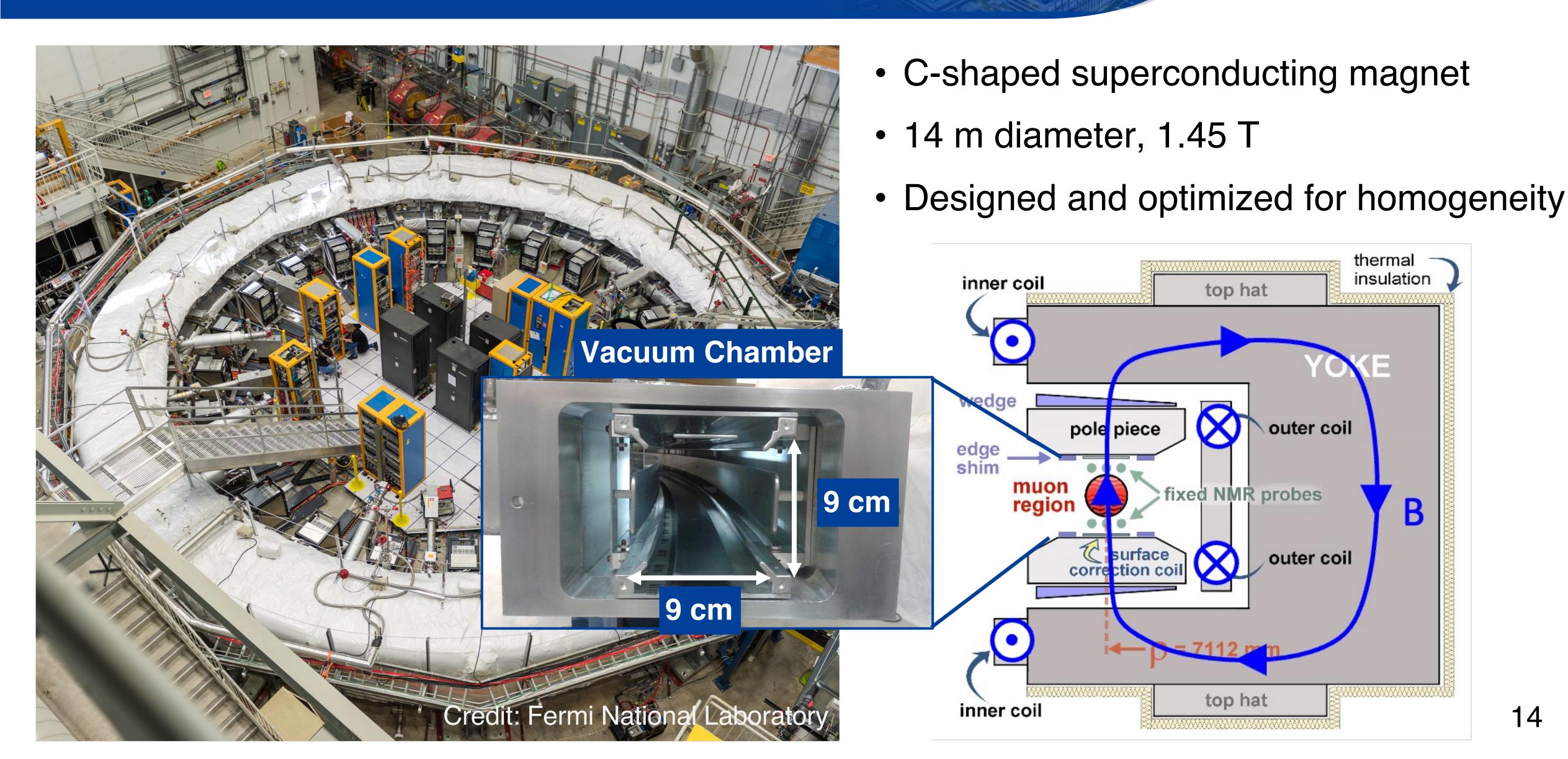
$$(\omega_a) = (a_\mu) \frac{eB}{m}$$

(3) Measure the difference in frequencies

(2) Measure the storage ring magnetic field

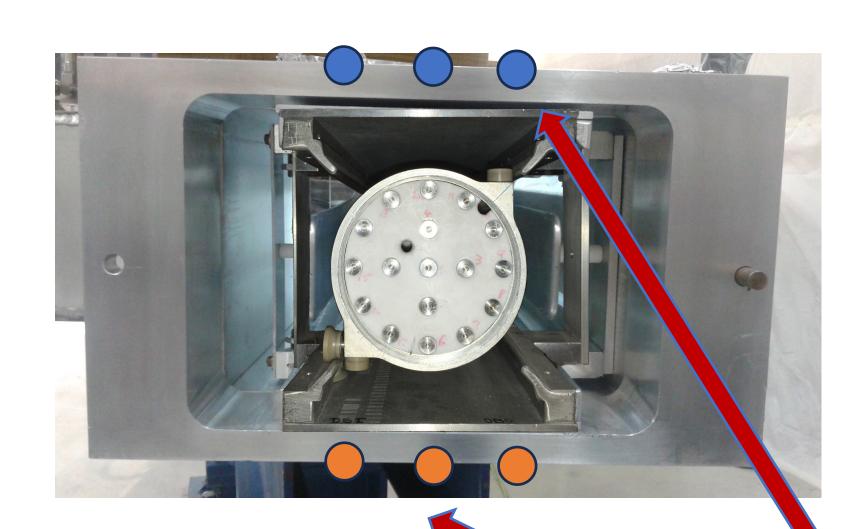
Muon g-2 storage ring





B-field measurement and monitor





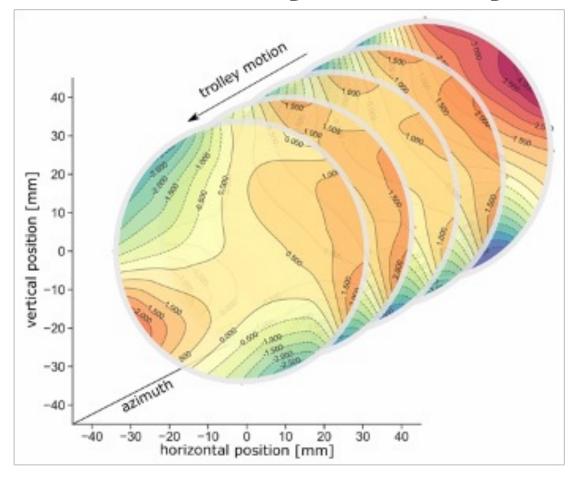
In-vacuum NMR trolley maps field every ~3 days



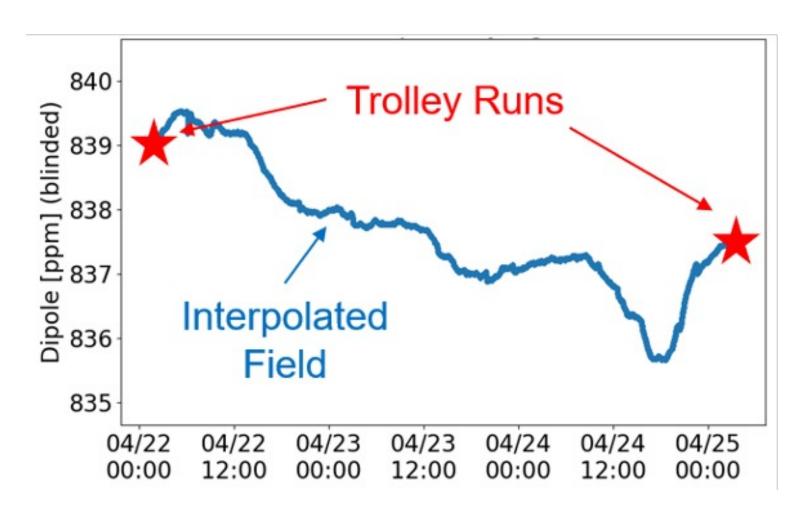
17 petroleum jelly NMR probes

378 fixed NMR probes monitor the field during muon storage at 72 azimuthal locations

Fixed probes above/below muon storage region

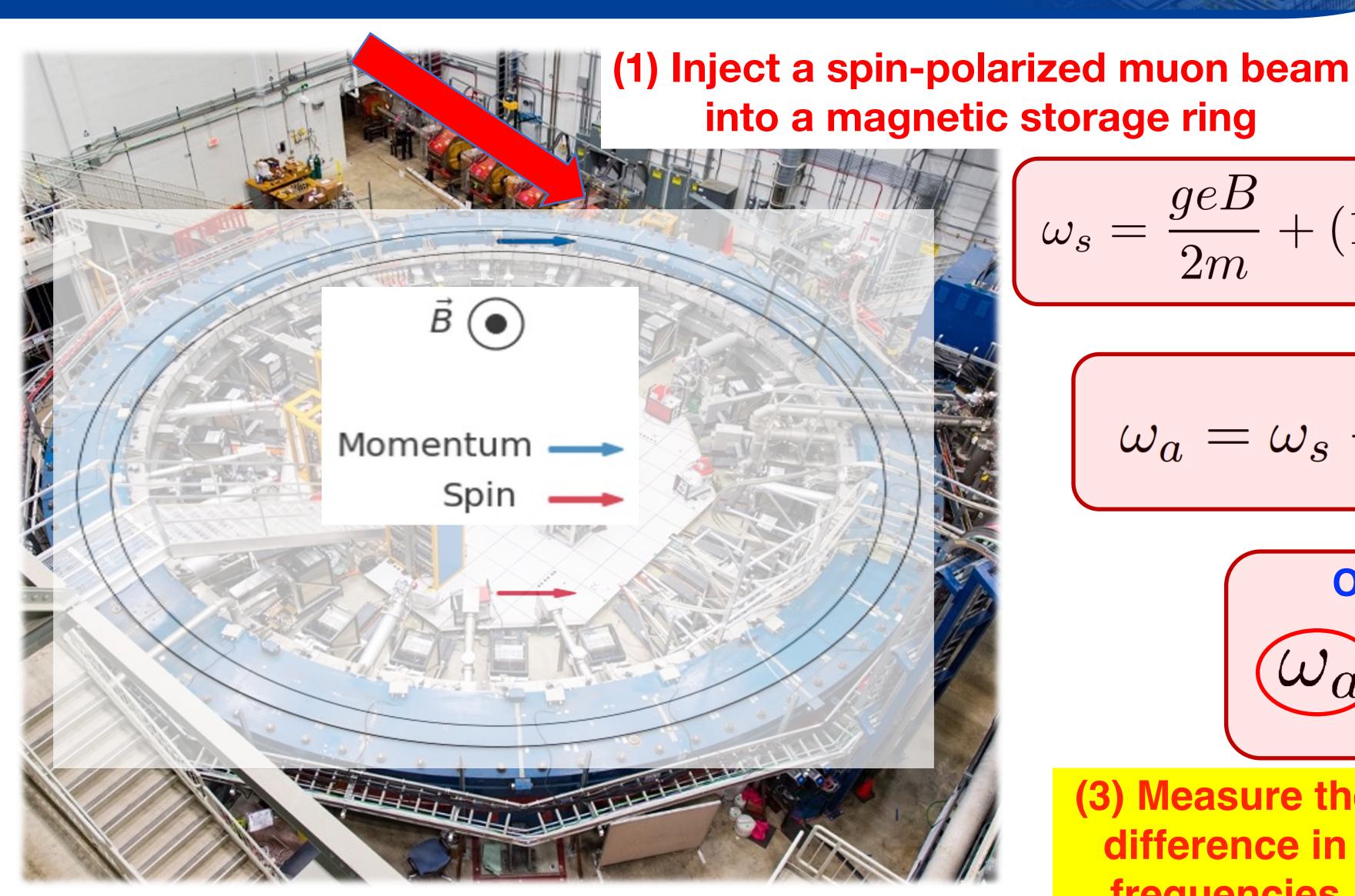


2D field maps (~9000 slides per scan)



Principle of g-2 measurement





$$\omega_s = \frac{geB}{2m} + (1 - \gamma) \frac{eB}{\gamma m}$$

$$\omega_c = \frac{eB}{\gamma m}$$

$$\omega_a = \omega_s - \omega_c = \left(\frac{g-2}{2}\right) \frac{eB}{m}$$

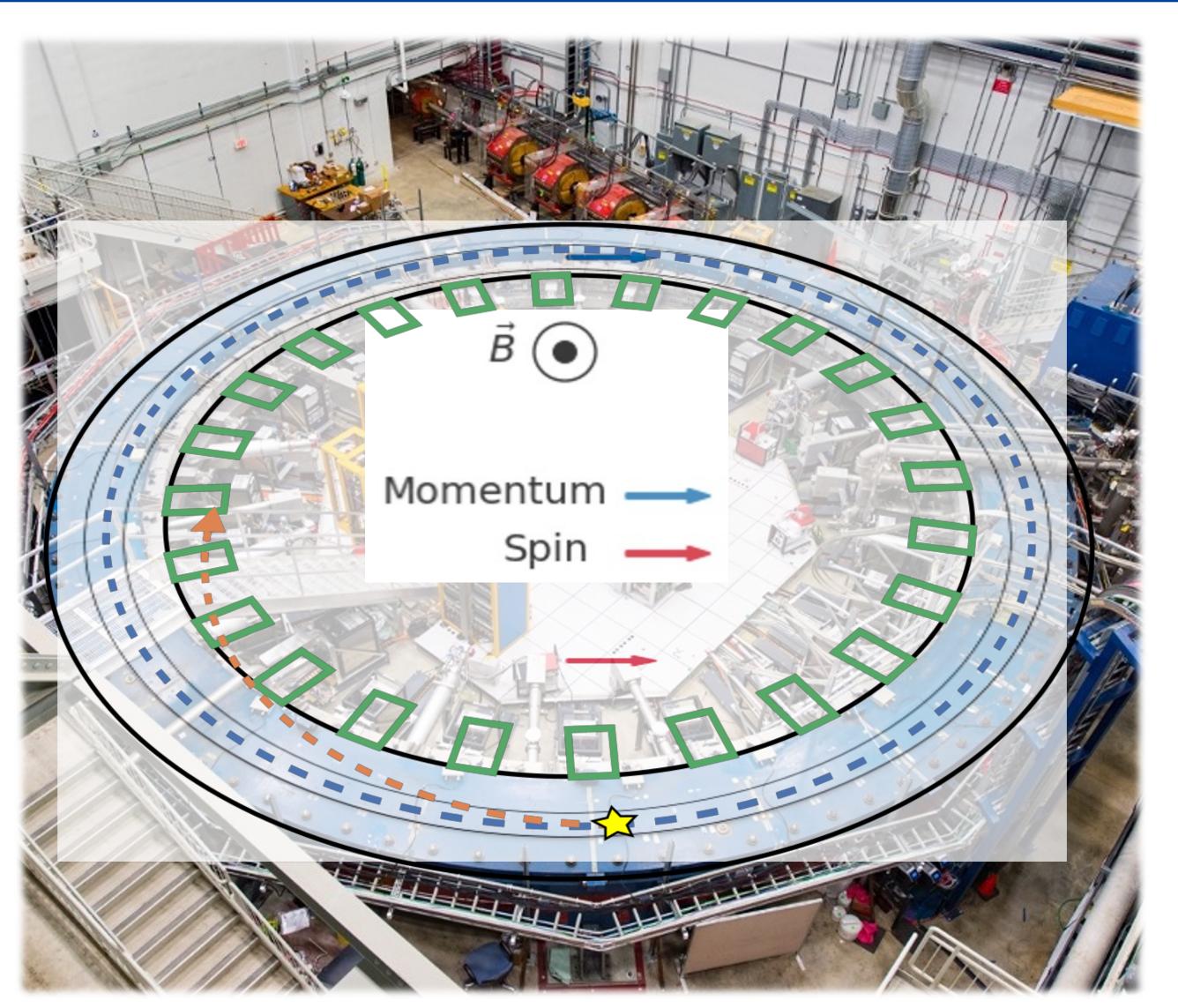
$$\frac{\omega_a}{\omega_a} = \frac{eB}{m}$$

(3) Measure the difference in frequencies

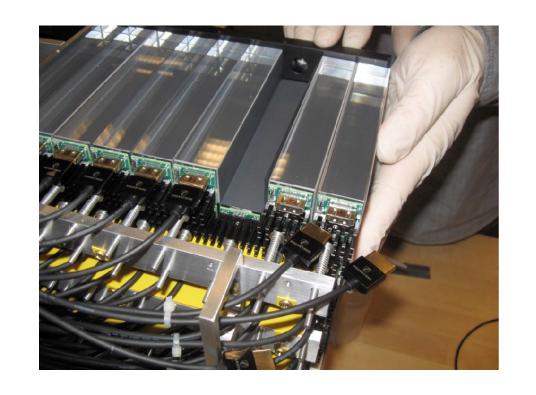
(2) Measure the storage ring magnetic field 16

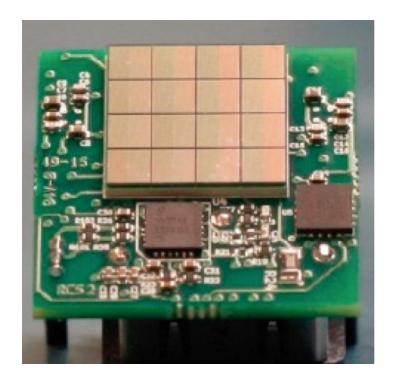
24 Calorimeters detect decay positrons



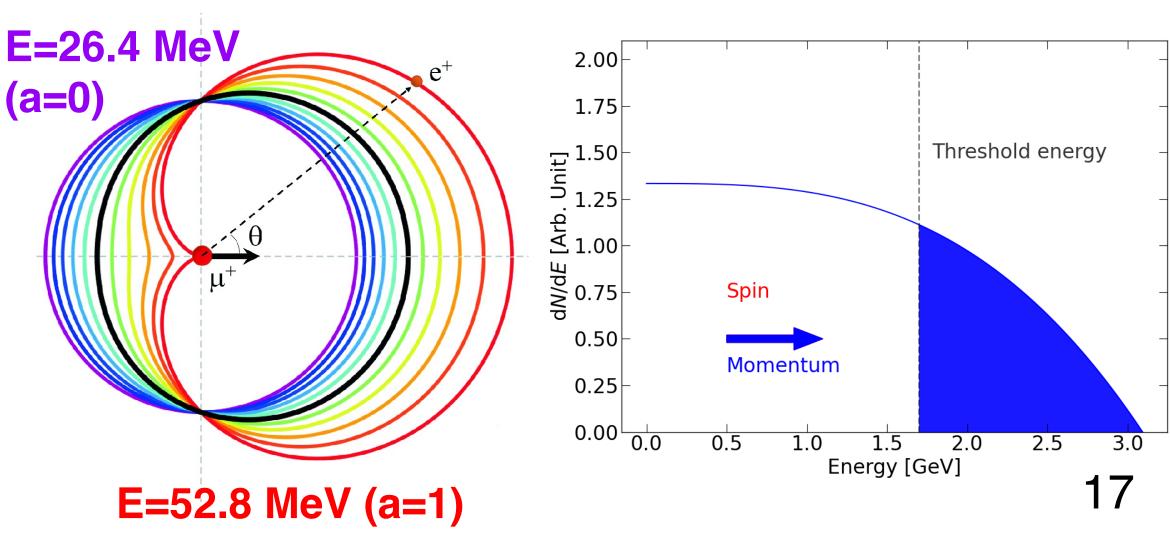


1,296 Lead Fluoride crystals readout by SiPM





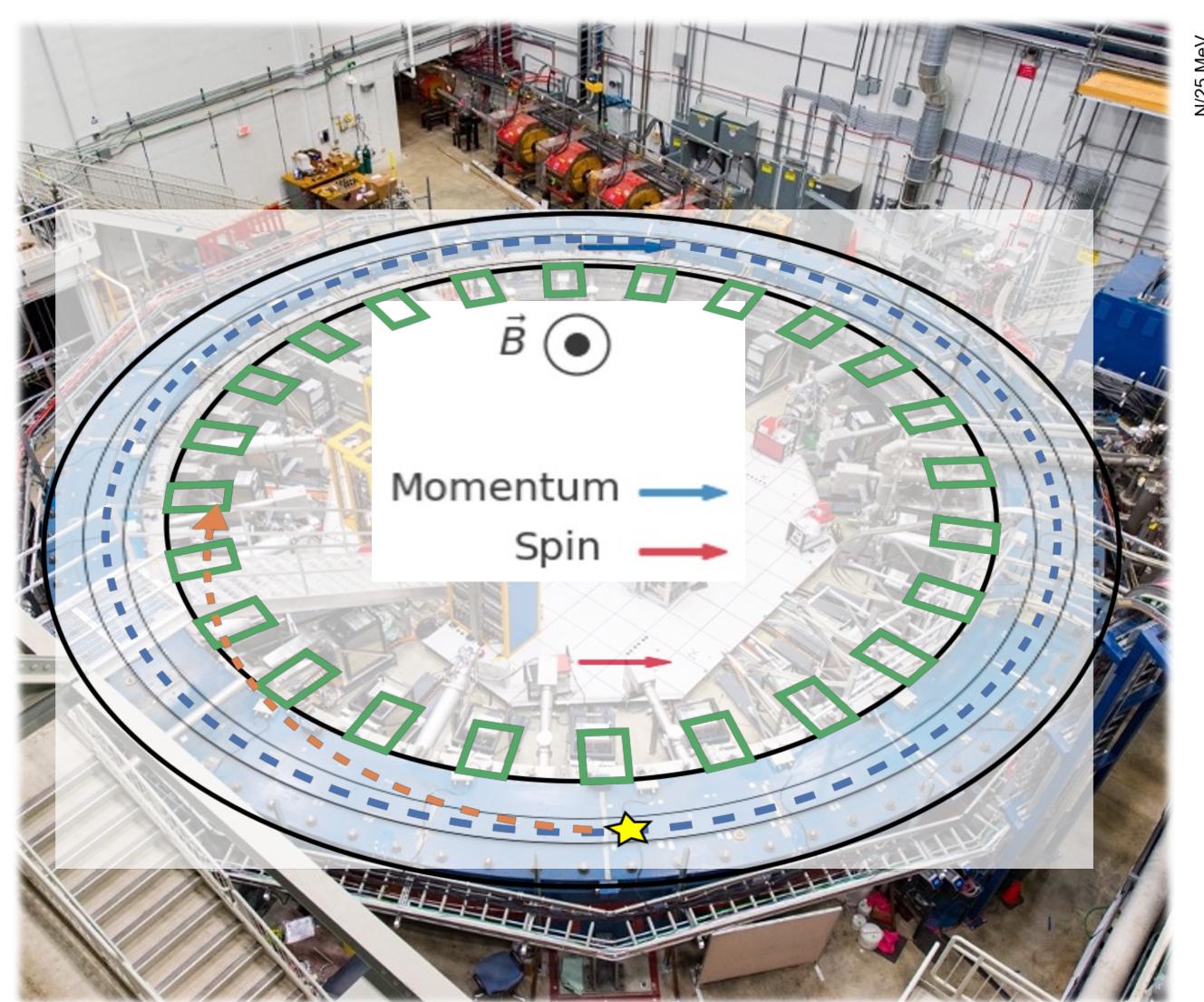
High energy e^+ tends to be emitted along the muon spin direction due to parity-violating weak decay

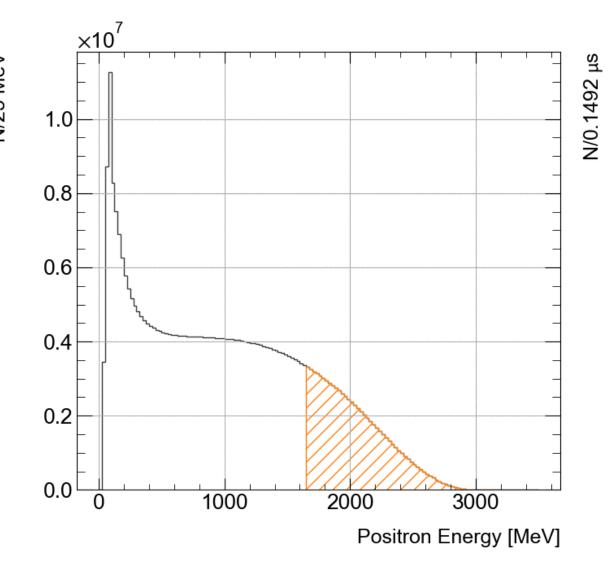


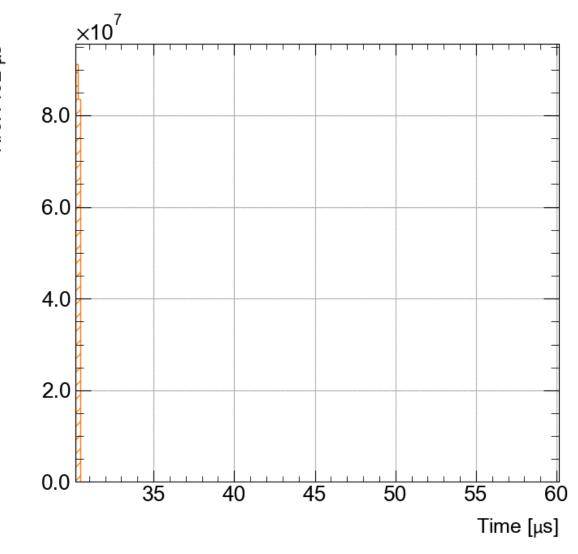
Precession freq. encoded in energy spectrum



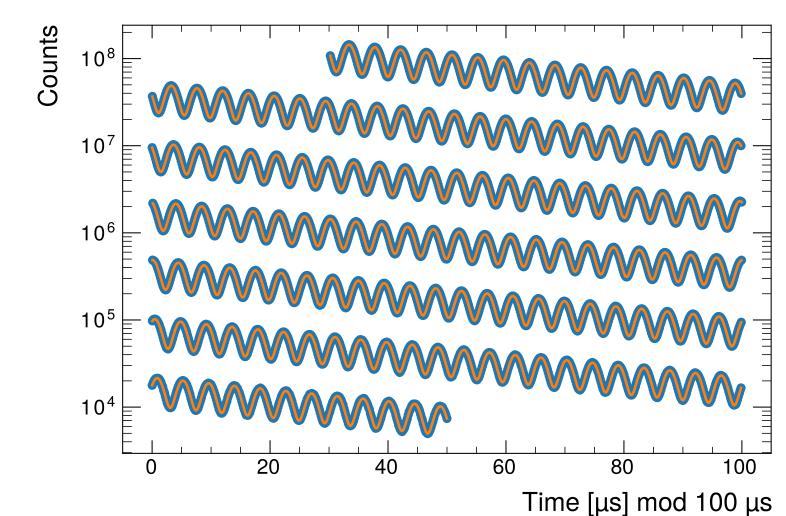
The g-2 wiggle plot!





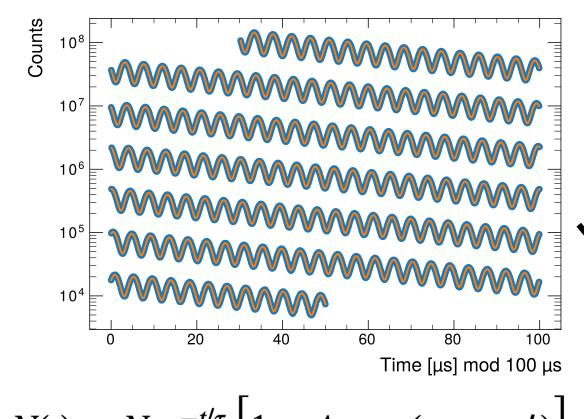


$$N(t) = N_0 e^{-t/\tau} \left[1 + A_{\mu} \cos(\boldsymbol{\omega_a} t - \phi_0) \right]$$



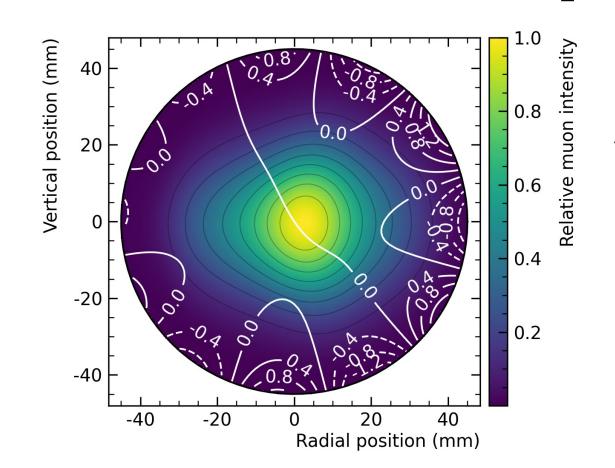
Additional corrections





$$N(t) = N_0 e^{-t/\tau} \left[1 + A_{\mu} \cos(\omega_a t + \phi) \right]$$

$$a_{\mu} \sim \frac{\omega_{\alpha}}{\omega_{p}}$$



Beam Dynamics Corrections

E-field & vertical motion: Spin precesses slower than in basic equation Phase changes over each muon fill: Phase acceptance, differential decay, and muon losses

$$\frac{\omega_a^m}{\omega_p^m} \frac{1 + C_e + C_p + C_{pa} + C_{dd} + C_{ml}}{1 + B_k + B_q}$$

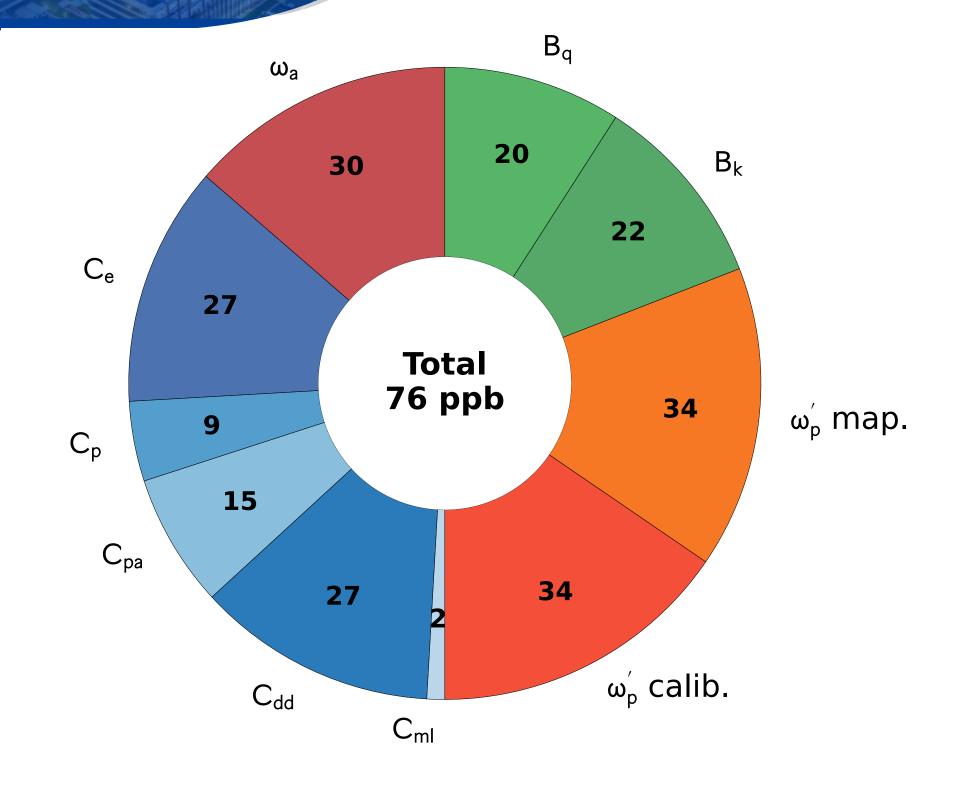
Transient magnetic fields:
Quad vibrations and kicker eddy current

Transient Field Corrections

Final Uncertainties (stat. and syst.)



| Quantity | Correction | Uncertainty |
|---|------------|-------------|
| | (ppb) | (ppb) |
| ω_a^m (statistical) | • • • | 114 |
| ω_a^m (systematic) | • • • | 30 |
| $\overline{C_e}$ | 347 | 27 |
| C_p | 175 | 9 |
| $C_{pa} \ C_{dd}$ | -33 | 15 |
| | 26 | 27 |
| C_{ml} | 0 | 2 |
| $\langle \omega_p' 	imes M angle$ | • • • | 48 |
| B_k | -37 | 22 |
| B_q | -21 | 20 |
| m_{μ}/m_{e} | • • • | 4 |
| m_{μ}/m_e | • • • | 22 |
| Total systematic for \mathcal{R}'_{μ} | • • • | 76 |
| Total for a_{μ} | 572 | 139 |



TDR systematics goal : 100 ppb √

- "Evenly" distributed
- No dominant source
- Further improving would require reducing in many categories

Muon g-2 at Fermilab



Measuring a reveals the narticle and force content of A My Account ~ All Journals Physics Magazine Search the univel **Physical Review Letters** HOH Collections Authors Recent Accepted Referees Press About Editorial Team 101 Theory Measurement of the positive muon anomalous magnetic moment to 127 ppb O-HVP e⁺e⁻ Most pred D. P. Aguillard et al. come (12 Phys. Rev. Lett. - **Accepted** 9 July, 2025 **Export Citation** Benchma DOI: https://doi.org/10.1103/7clf-sm2v More to d **Abstract** Experim itiative A new measurement of the magnetic anomaly a_ of the positive muon is presented based on data taken from 2020 to 2023 by the Muon g -2 Experiment at Fermi National **(25)** Accelerator Laboratory (FNAL). This dataset contains over 2.5 times the total statistics of our previous results. From the ratio of the precession frequencies for muons and Theory: protons in our storage ring magnetic field, together with precisely known ratios of fundamental constants, we determine a = 116 592 0710(162) ^(-12) (139 ppb) for the new datasets, and a = 116 592 0705(148) ^(-12) (127 ppb) when combined with our previous results. The new experimental world average, dominated by the measurements at the spread of process FNAL, is a(exp) = 116 592 0715(145) -12 (124 ppb). The measurements at FNAL have improved the precision on the world average by over a factor of four. e interpreted as ted from WP 2025. e+e- dal 20 17 18 19 21

 $a_{\mu} \cdot 10^9 - 1165900$

Spin-Field Interactions



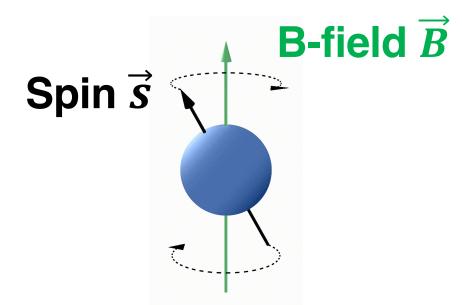


Spin \vec{s} (Quantum Effect)

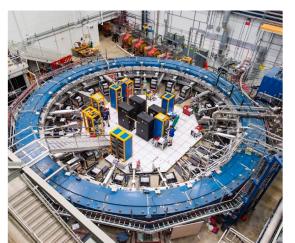
Testing SM prediction and searching for BSM with the muon spin!

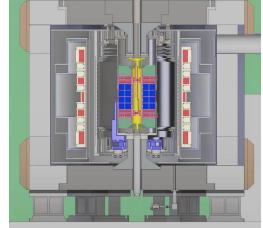
Magnetic Dipole Moment

$$\vec{\mu} = \mu \vec{s}$$



Spin Precession

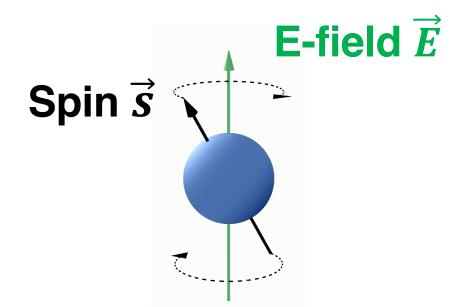




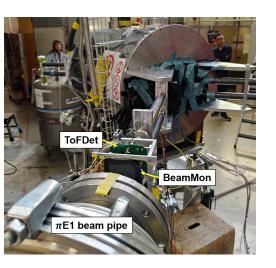
Fermilab Muon g-2, J-PARC Muon g-2/EDM

Electric Dipole Moment

$$\vec{d} = d\vec{s}$$



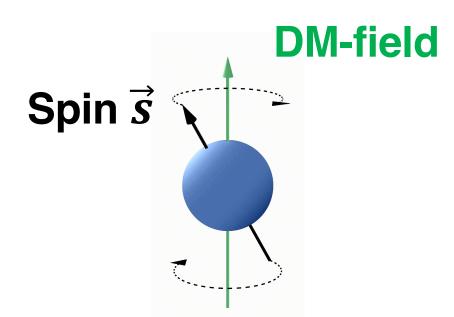
Spin Precession



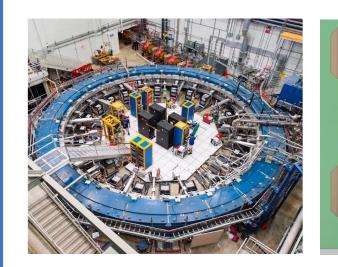
PSI muEDM

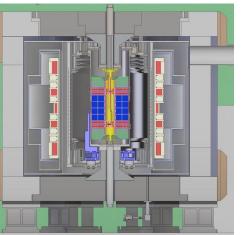
Ultralight Bosonic DM

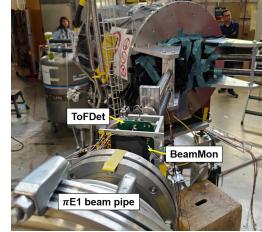
- Scalar DM with muon Yukawa coupling
- ALP DM with muon EDM coupling
- ALP DM with muon wind coupling
- Vector DM with muon gauge coupling



Spin Precession (Amplitude + Frequency Modulation)





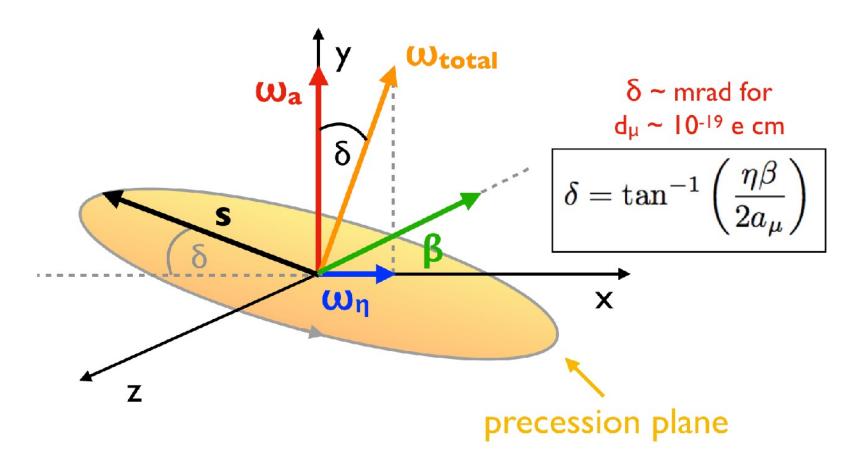


BSM searches (EDM, CPT/LV, DM)



Muon Electric Dipole Moment (EDM)

- The spin precession plane is tilted in the presence of the EDM.
- Run-2/3 analysis to be announced soon!
- Current limit (BNL): $1.8 \times 10^{-19} \, \mathrm{e} \cdot \mathrm{cm}$
 - \rightarrow Projected limit: $\sim \mathcal{O}(10^{-20} \text{ e} \cdot \text{cm})$

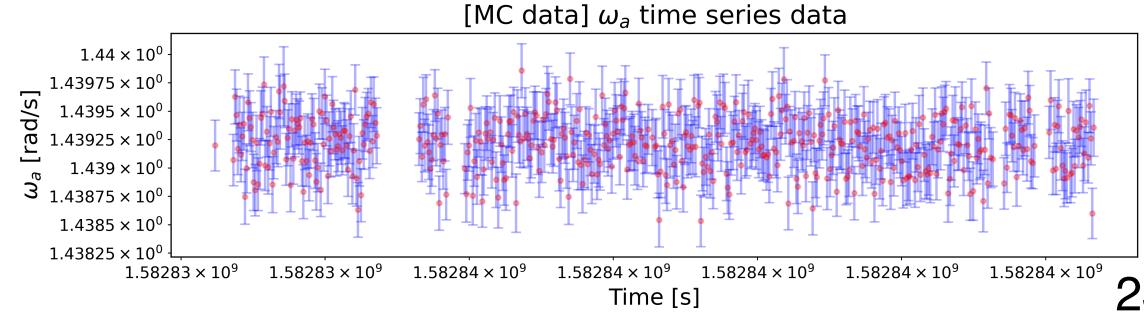


CPT and Lorentz Invariance Violation

- ω_a modulated at the sidereal motion freq.
- Run-2/3 analysis in review.
- Current limit (BNL): $1.4 \times 10^{-24} \text{ GeV} \rightarrow$ Projected limit (FNAL Run-2/3): $\mathcal{O}(10^{-25})$ GeV

Ultralight Muonic Dark Matter (scalar)

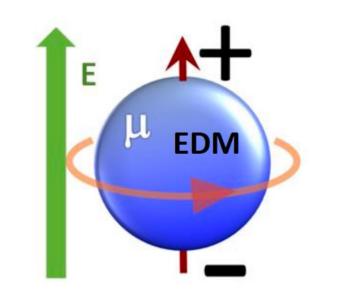
- ω_a modulated at the DM Compton frequency.
- Run-2/3 analysis in progress.



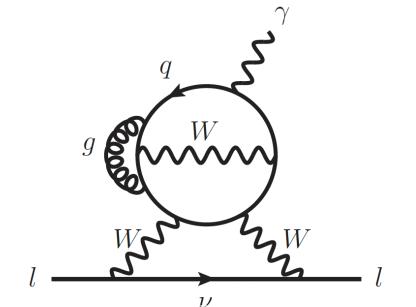
Motivation for EDM searches

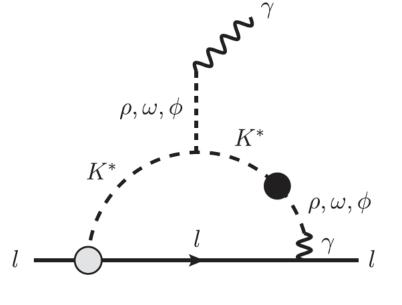


• Electric dipole moment (EDM) violates time-reversal symmetry and charge-parity (CP) symmetry, assuming CPT invariance.



$$\vec{d} = \eta \frac{e}{2mc} \vec{s}$$





Standard Model predicts small EDMs for fundamental particles

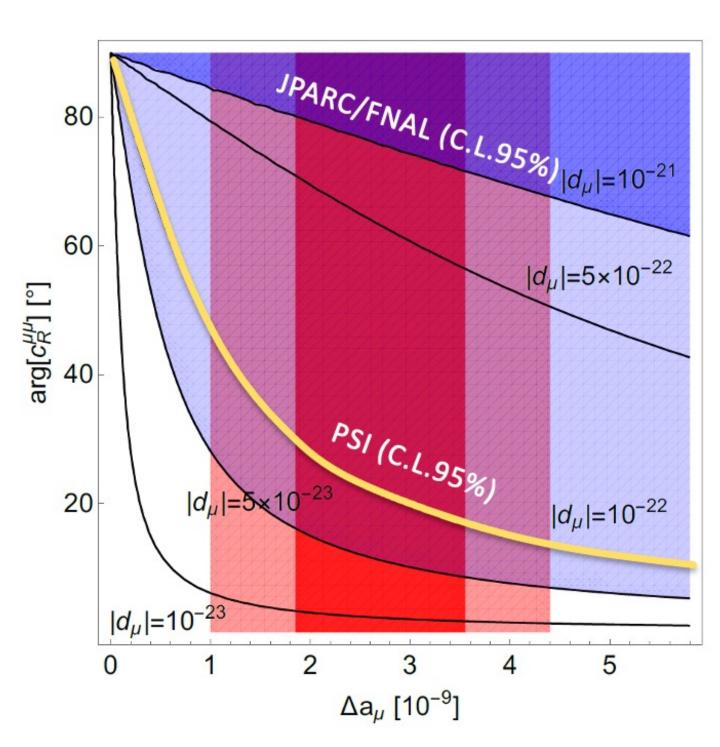
PRD 89 (2014) 056006 PRL 125 (2020) 241802

- CKM contribution: $d_{\mu}^{CKM}\sim 10^{-42}~{\rm e\cdot cm}$, hadronic long-range effect: $d_{\mu}^{HLR}\sim 10^{-38}~{\rm e\cdot cm}$
- Current experimental limit $d_{\mu}^{\rm BNL} < 1.8 \times 10^{-19}~{\rm e}\cdot{\rm cm}~(95\%~{\rm C.\,L.})$ PRD 80 (2009) 052008
- Excellent probes for new physics since it is essentially "background-free"
- Any observed EDM signal is for sure BSM physics!
 - May shed light on the baryon asymmetry in the universe as new sources of CPV are required

BSM/EFT models with large EDMs

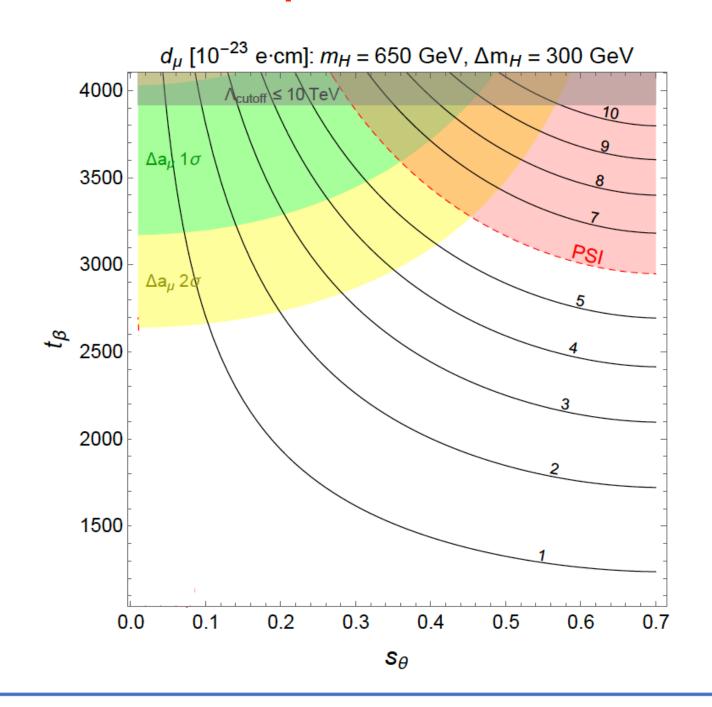


EFT Analysis



PRD 98 (2018) 113002

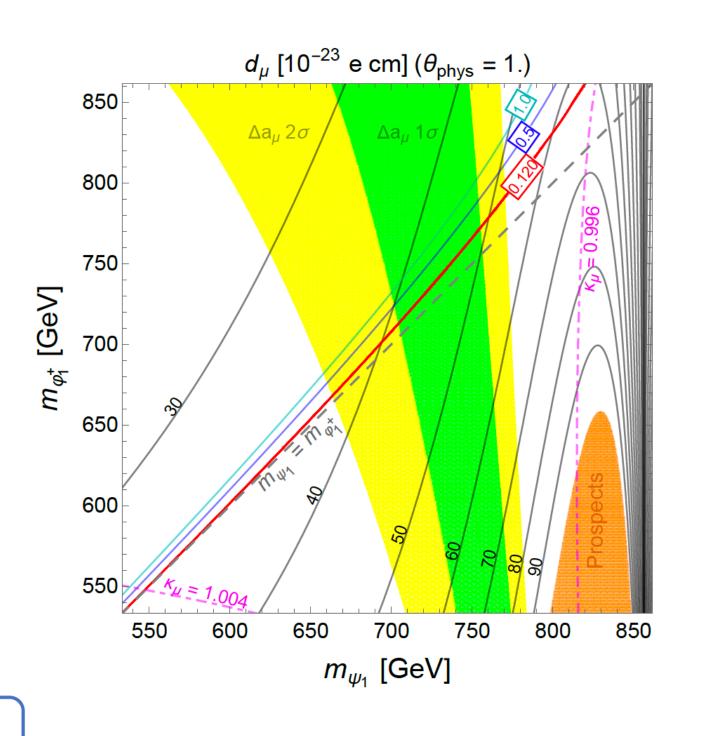
Muon specific 2HDM



Interesting parameter space: $s_{\theta} \sim 0.35$, $\tan \beta \sim 3700$

PLB 831 (2022) 137194

Radiative muon mass model



JHEP02 (2023) 234 (4)

Strong motivation to go beyond FNAL/J-PARC goal of 10⁻²¹ e cm!

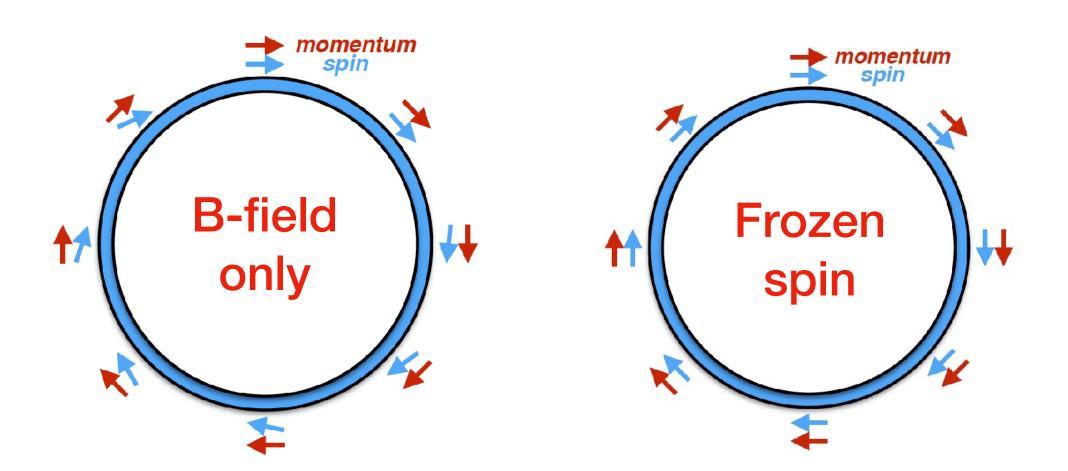
The "frozen-spin" technique

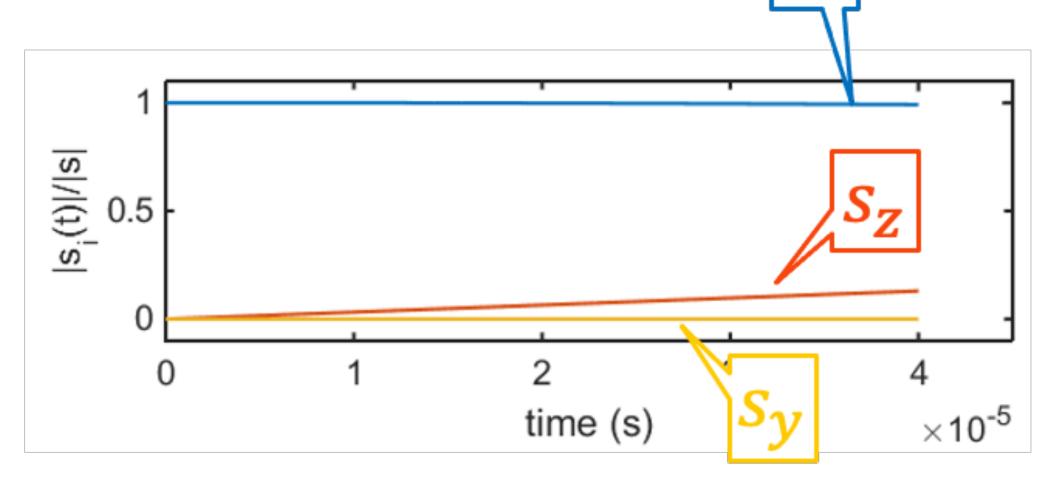


$$\vec{\omega}_{S} - \vec{\omega}_{C} = -\frac{e}{m} \{ \vec{aB} + (\vec{\gamma^{2} - 1} - \vec{a}) \vec{\beta} \times \vec{E} + \frac{\eta}{2} (\vec{c} + \vec{\beta} \times \vec{B}) \}$$

$$\vec{\omega}_{a} : g-2 \qquad \vec{\omega}_{\eta} : EDM$$

- Developed in 2004 for the muon EDM search PRL 93 (2004) 052001
- Freeze g-2 component by applying a radial E-field of \sim aBc $\beta\gamma^2$
 - → no anomalous precession in the storage plane
 - → EDM causes an increasing vertical polarization

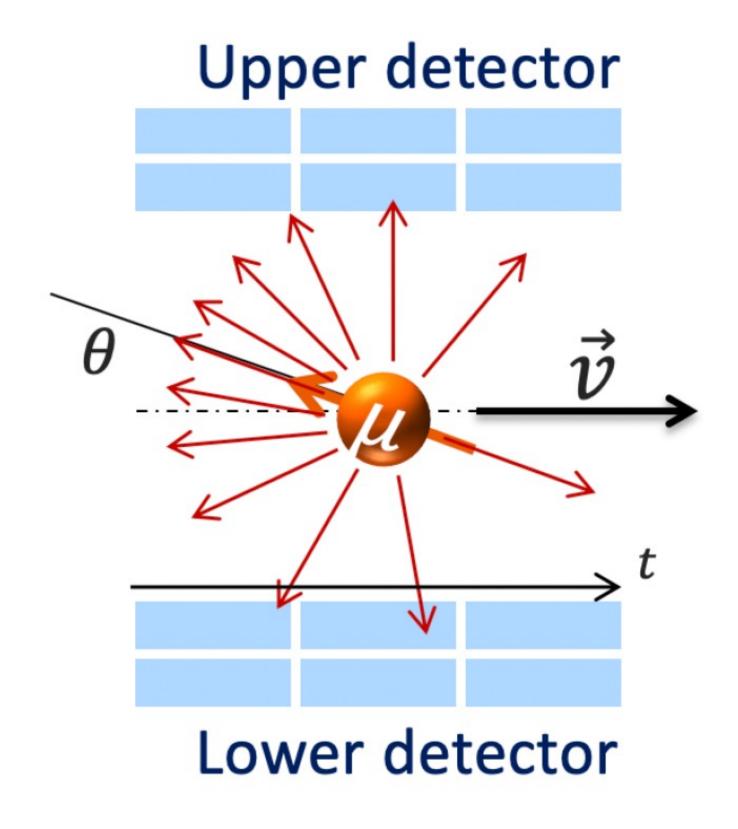


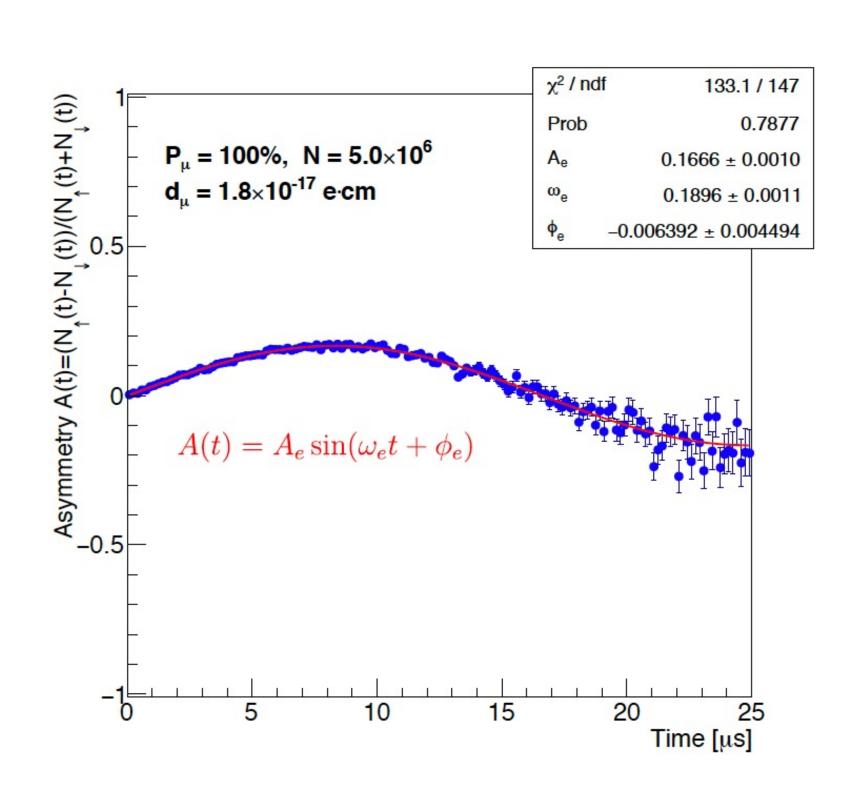


Principle of the FS-EDM measurement



Up-down asymmetry measured using upper and lower detectors





$$\sigma(d_{\mu}) = \frac{\hbar \gamma^2 a_{\mu}}{2PE_{\rm f}\sqrt{N} \gamma \tau_{\mu} \alpha}$$

P := initial polarization

 $E_{\rm f} := \text{Electric field in lab}$

 \sqrt{N} := number of positrons

 $\tau_{\mu} := lifetime of muon$

ι := mean decay asymmetry

The PSI muEDM collaboration









~ 30 active members from 6 countries















































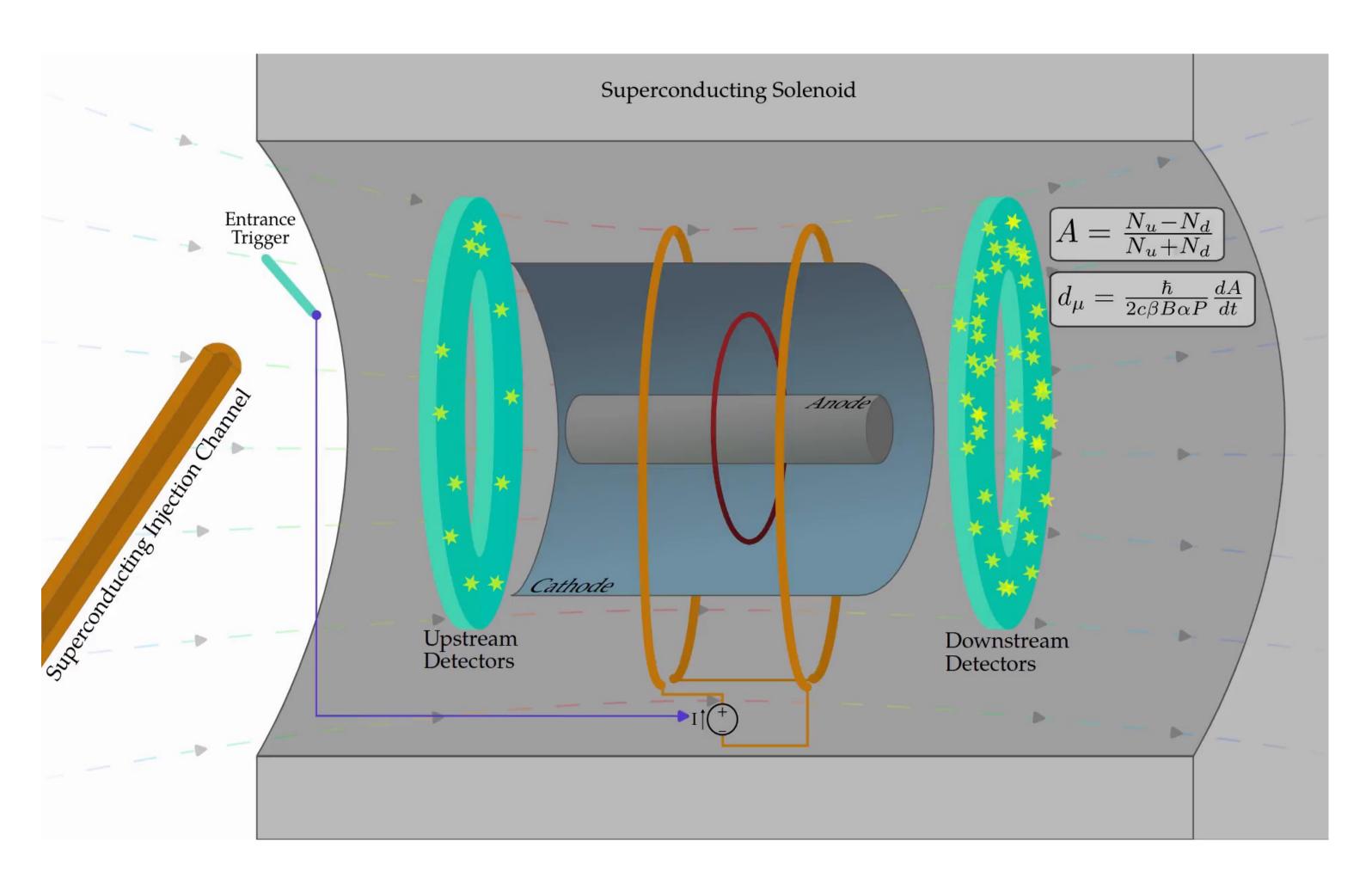






Principle of the FS-EDM measurement

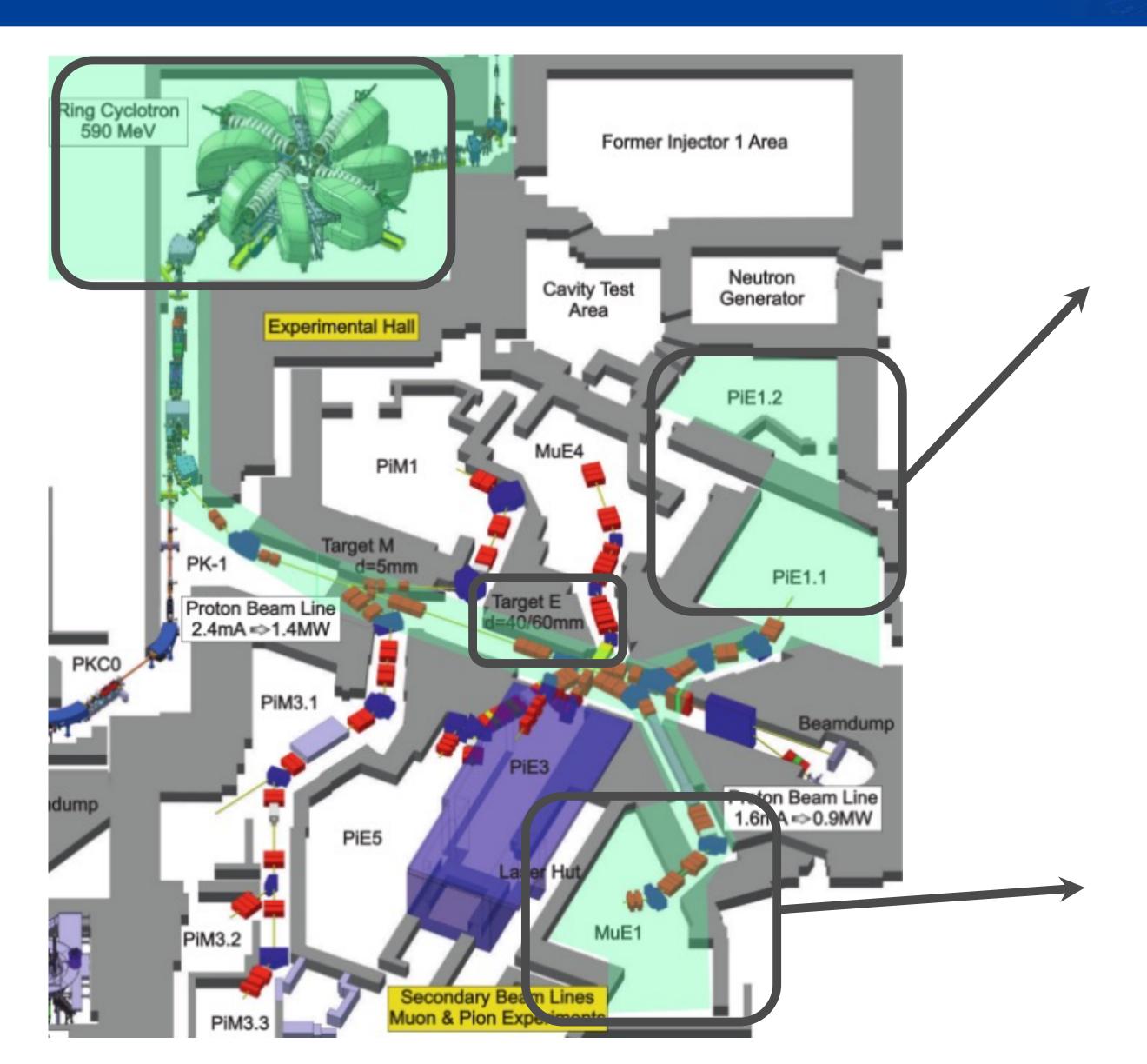




- Muon enters the solenoid through a SC injection channel
- Magnetic pulse kicker stops the muon's longitudinal motion within a weakly focusing field where it is stored
- Radial electric field 'freezes' the spin so that the precession due to the g-2 is cancelled
- Up-down detectors measure the asymmetry of the muon decay

muEDM Phase I and Phase II





Phase 1:

- Negative helicity (95%)
- p=28 MeV/c
- B=3T
- Flux: $O(10^6 \,\mu^+/s)$
- Storage rate: $O(10^2 \mu^+/s)$
- y=1.04
- Sensitivity/year < 3x10⁻²¹ e·cm

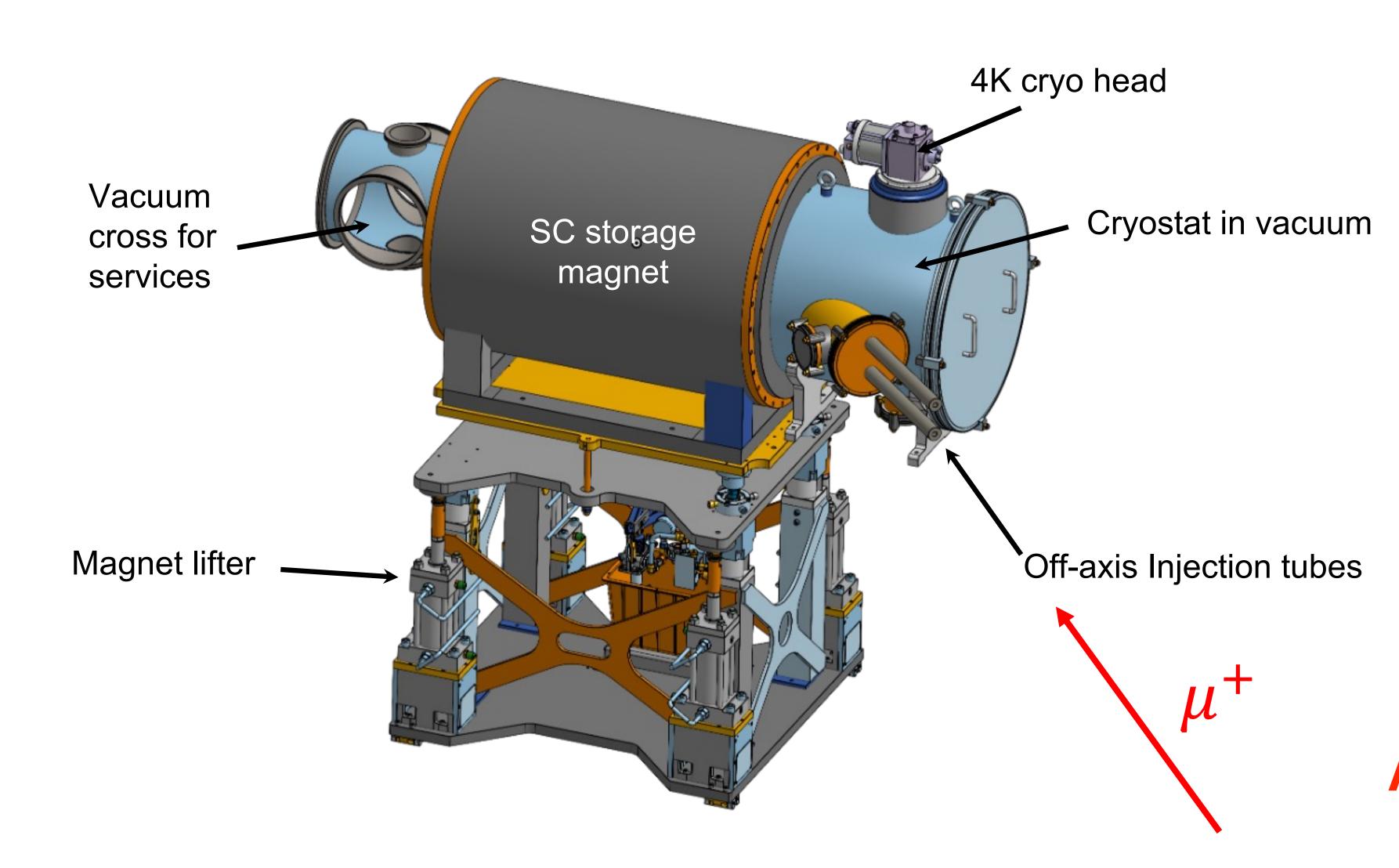
$$\sigma_{d_{\mu}} = \frac{\hbar}{2 c \beta B \alpha P} \frac{1}{\gamma \tau \sqrt{N}}$$

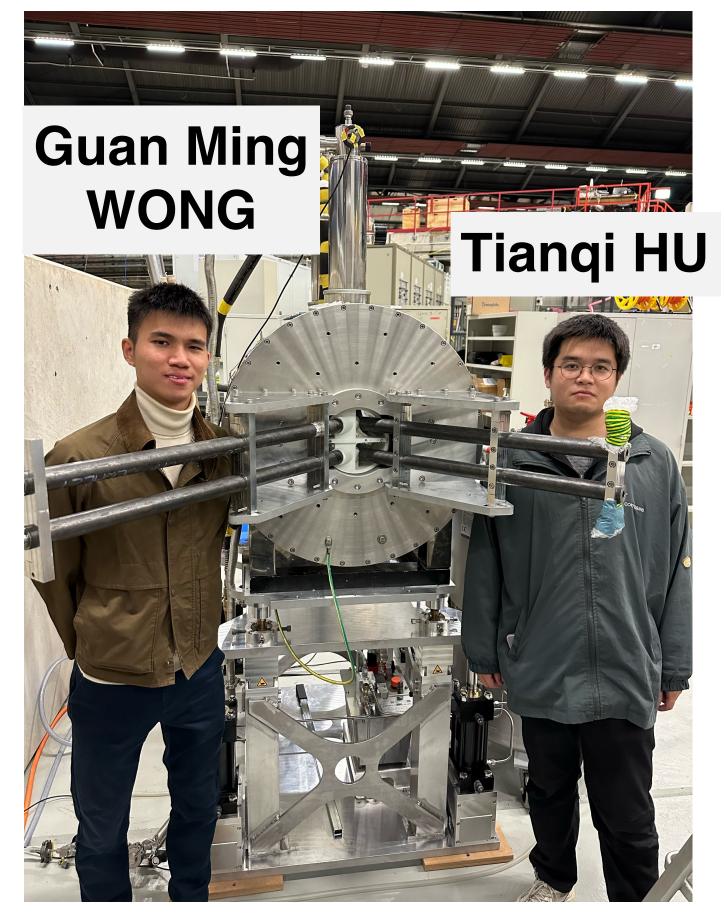
Phase 2:

- Positive helicity (95%)
- p=125 MeV/c
- B=3T
- Flux: $O(10^8 \,\mu^+/s)$
- Storage rate: $O(100x10^3 \mu^+/s)$
- $\gamma = 1.56$
 - Sensitivity/year < 6x10⁻²³ e·cm

Overview of muEDM Phase I



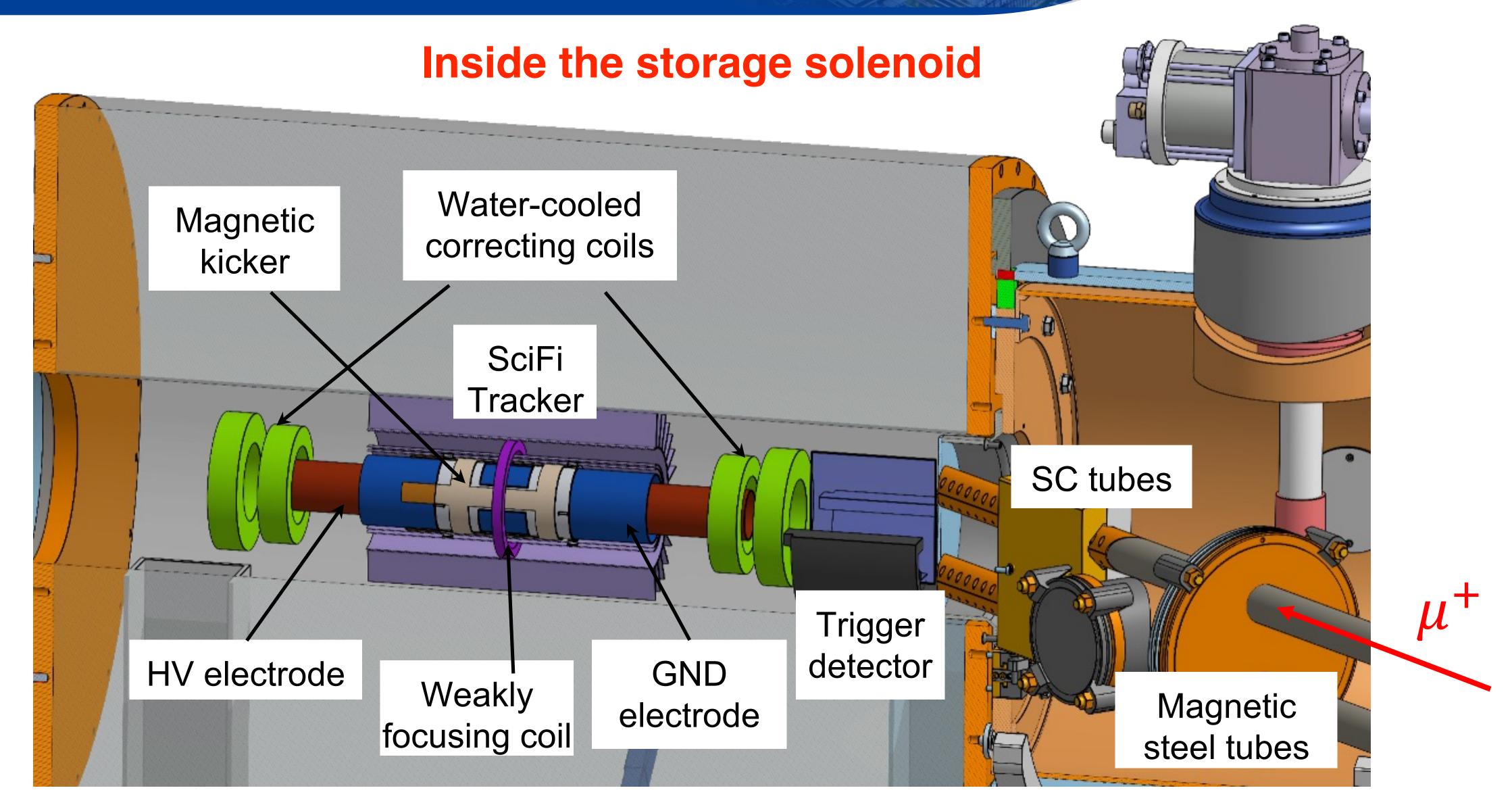




A "tabletop" experiment

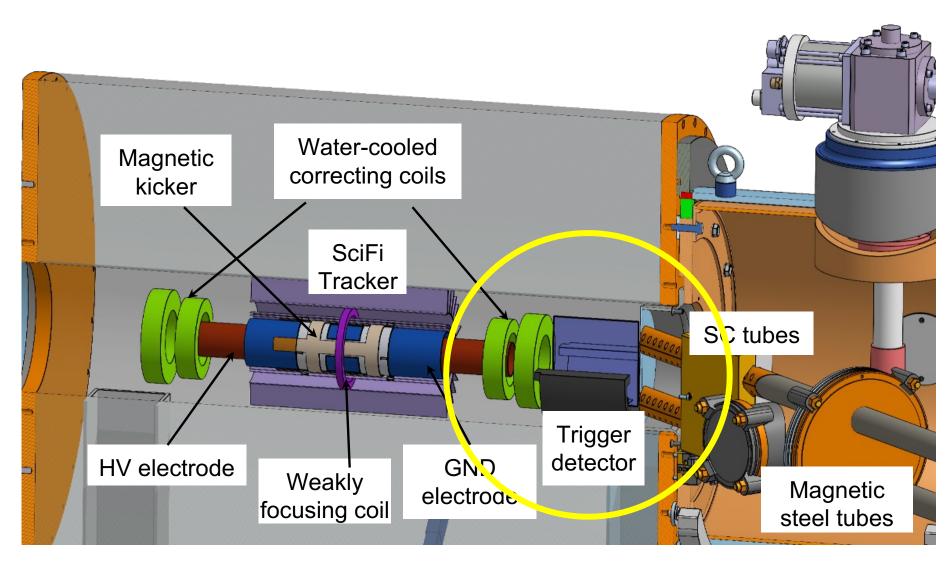
Overview of muEDM Phase I

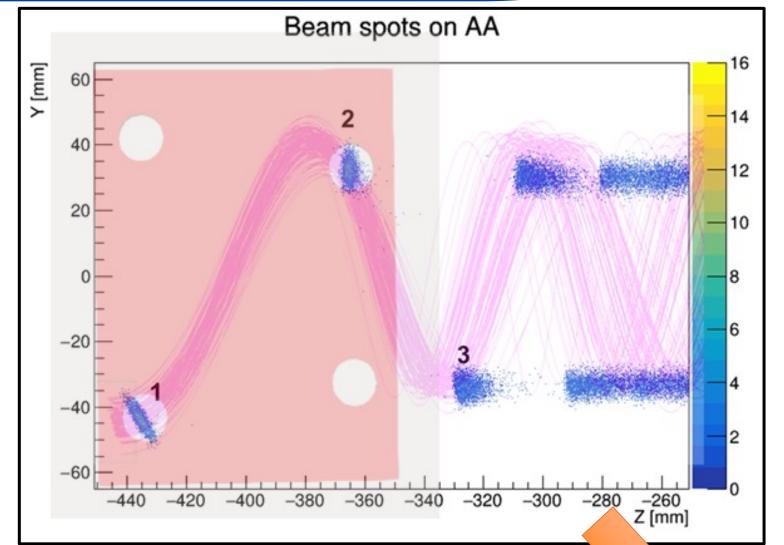




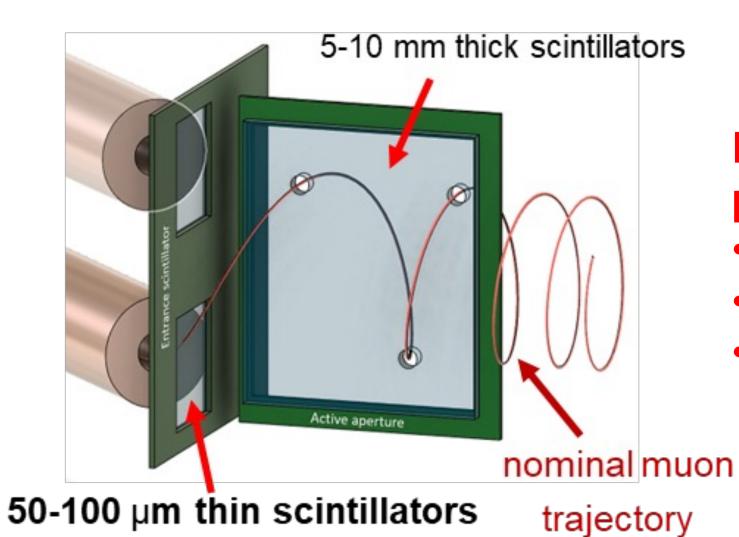
Muon trigger detector





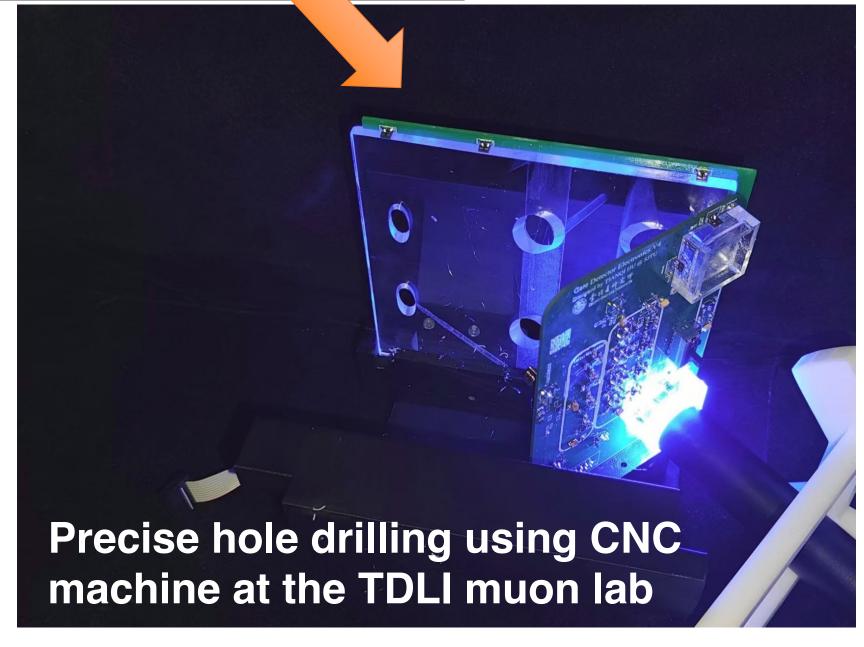


Optimized detector geometry to maximize storage muons



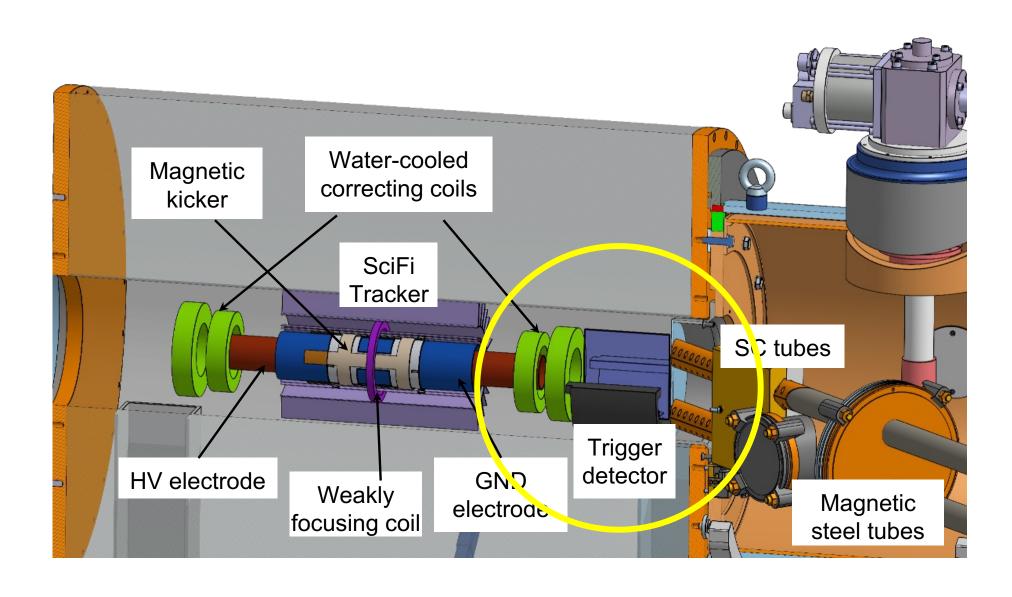
Provides trigger signal of storage pulse kick

- Fast detector
- Only does so for storable muons
- Rejects out-of-acceptance muons

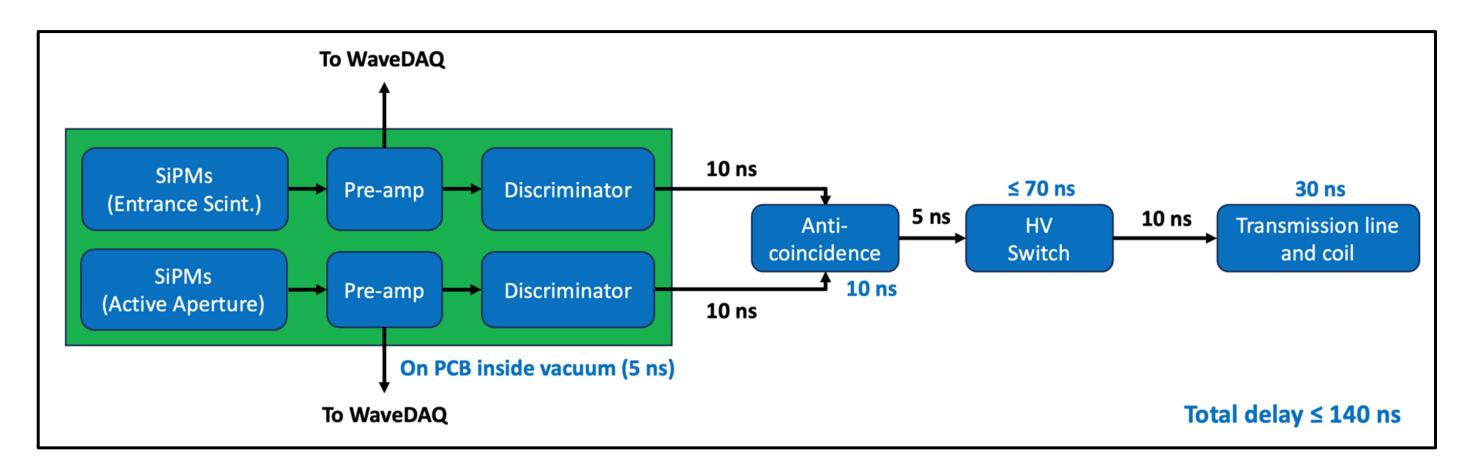


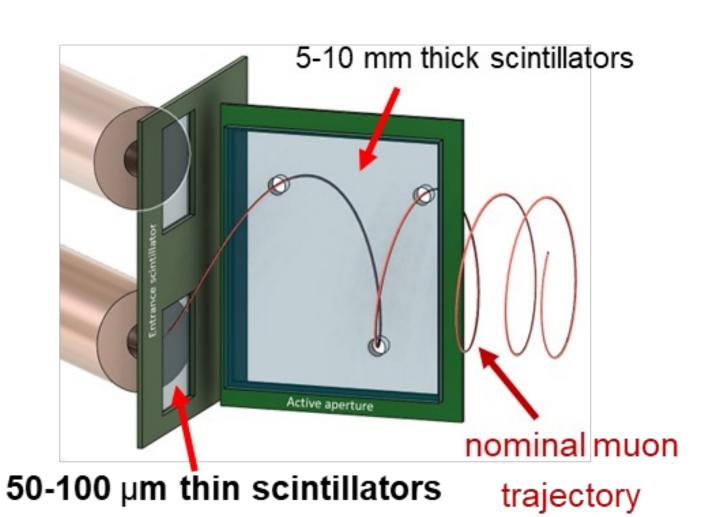
Fast trigger for kicker coils

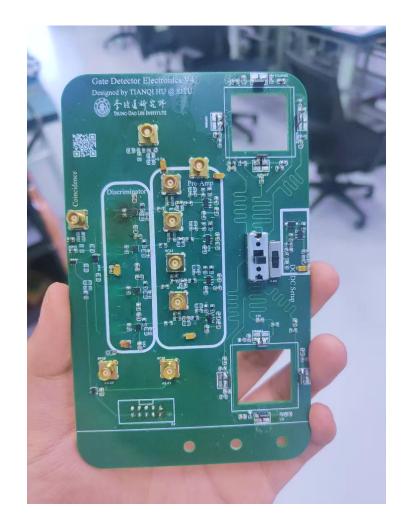


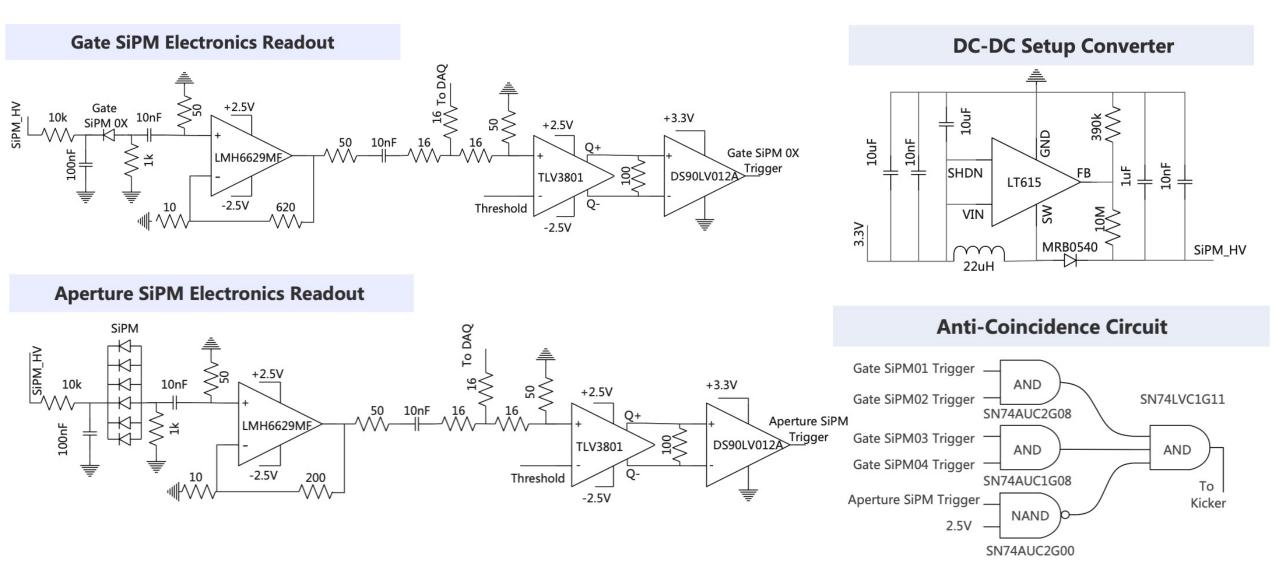


Fast electronics design to satisfy stringent timing requirements





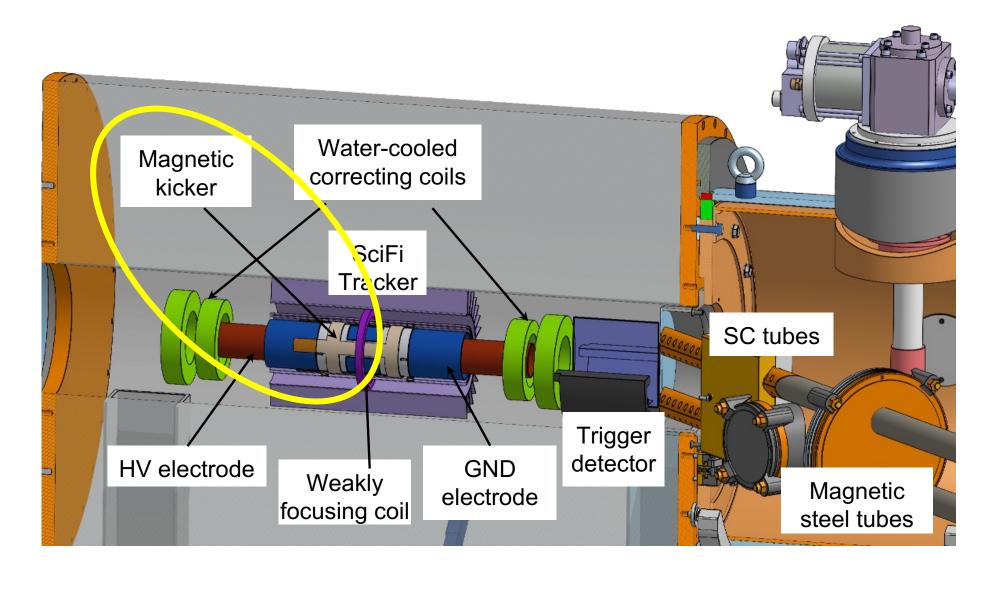


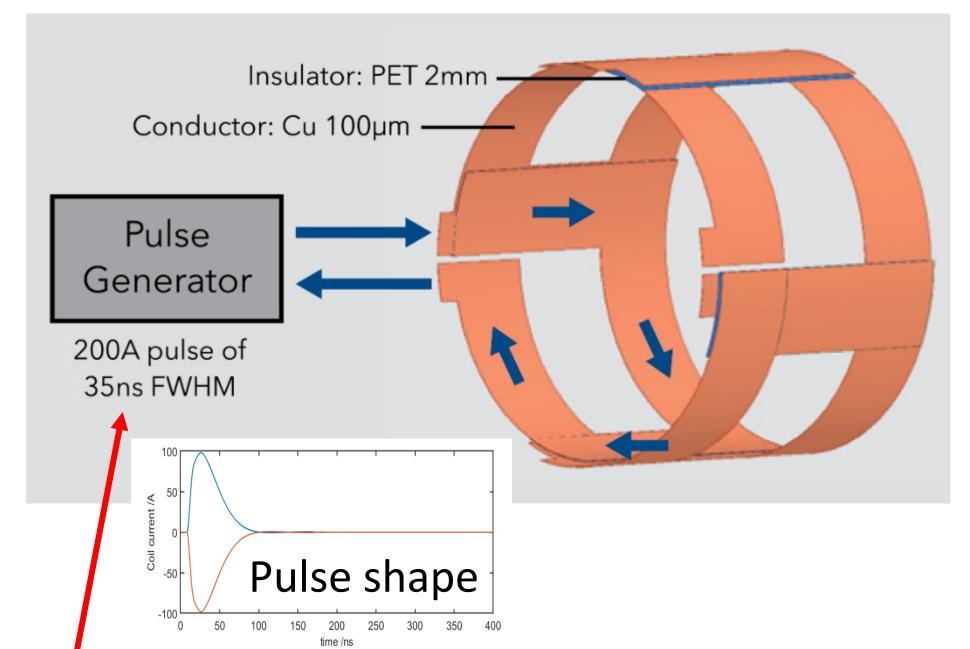


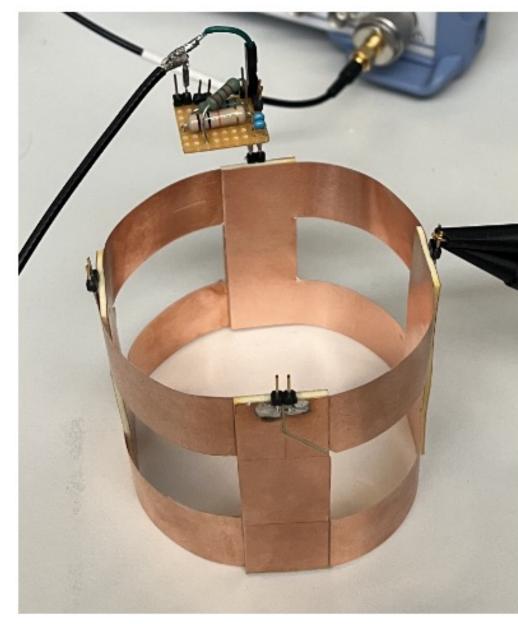
Storage pulse kicker

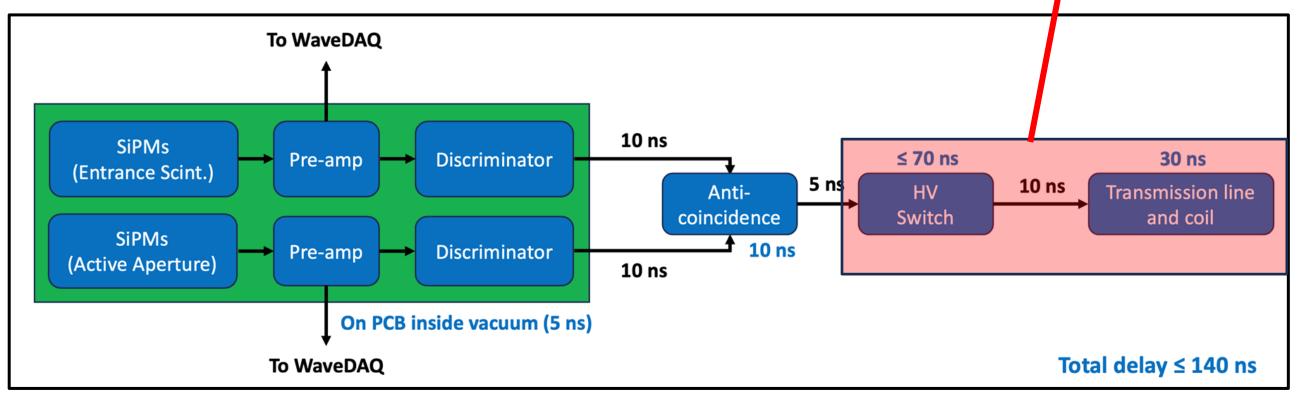


First prototype







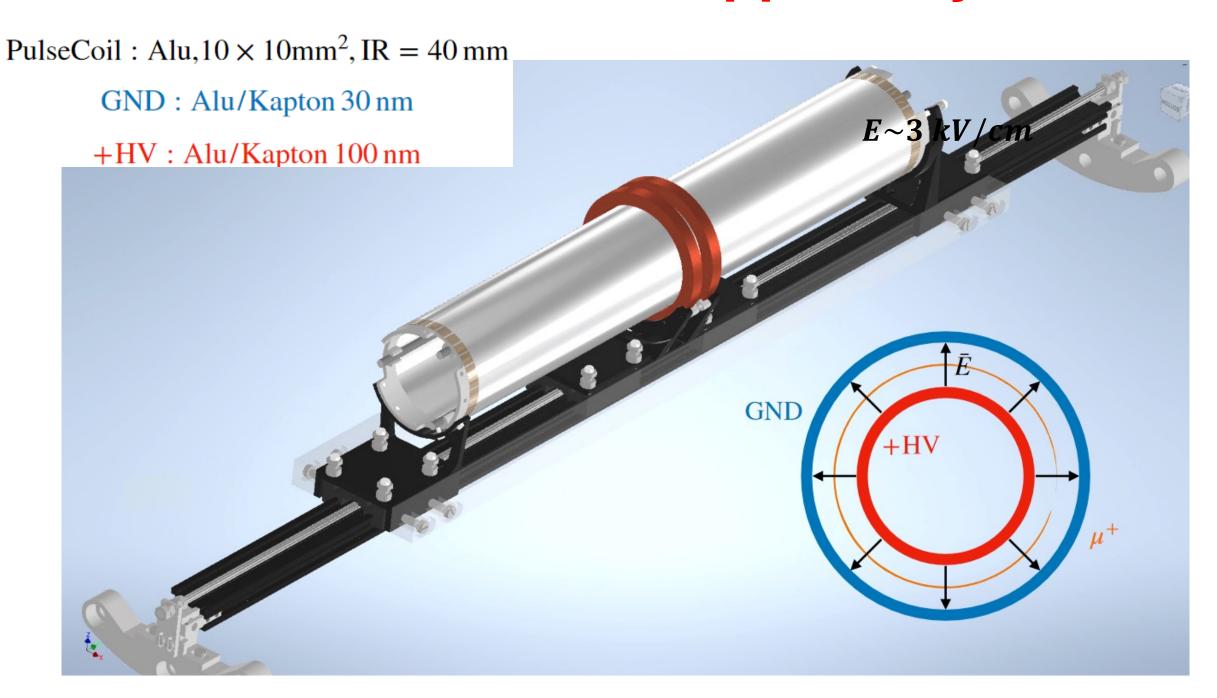


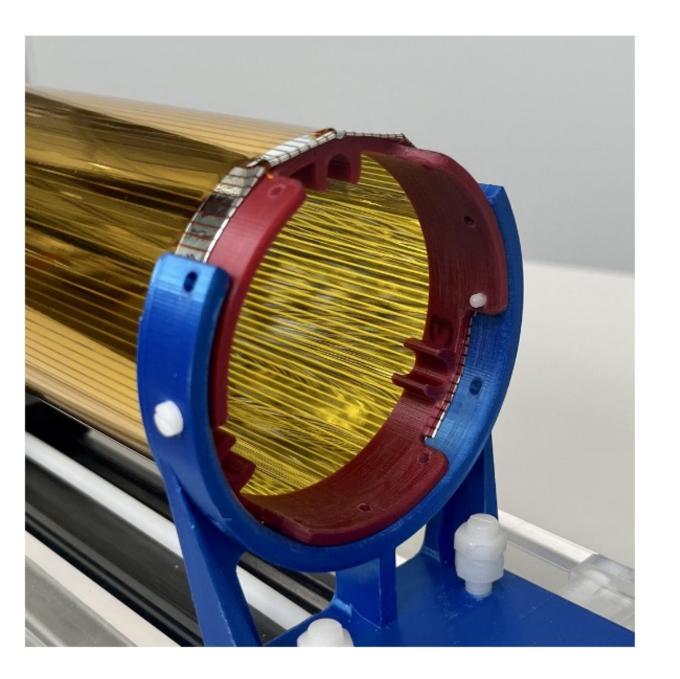
- Coil quadrants generating pulsed longitudinal kick to store muons
- Technical requirements:
 - large amplitude
 - rapid triggering of short-duration pulsed magnetic field, with strong tail suppression

Frozen-spin electrodes



Radial electric field applied by two concentric electrodes enclosing muon orbit





Current solution:

- 25 μm Kapton films
- Strip-segmented
 ~30 nm Al coating
- 2.2 mm pitch

Technical requirements:

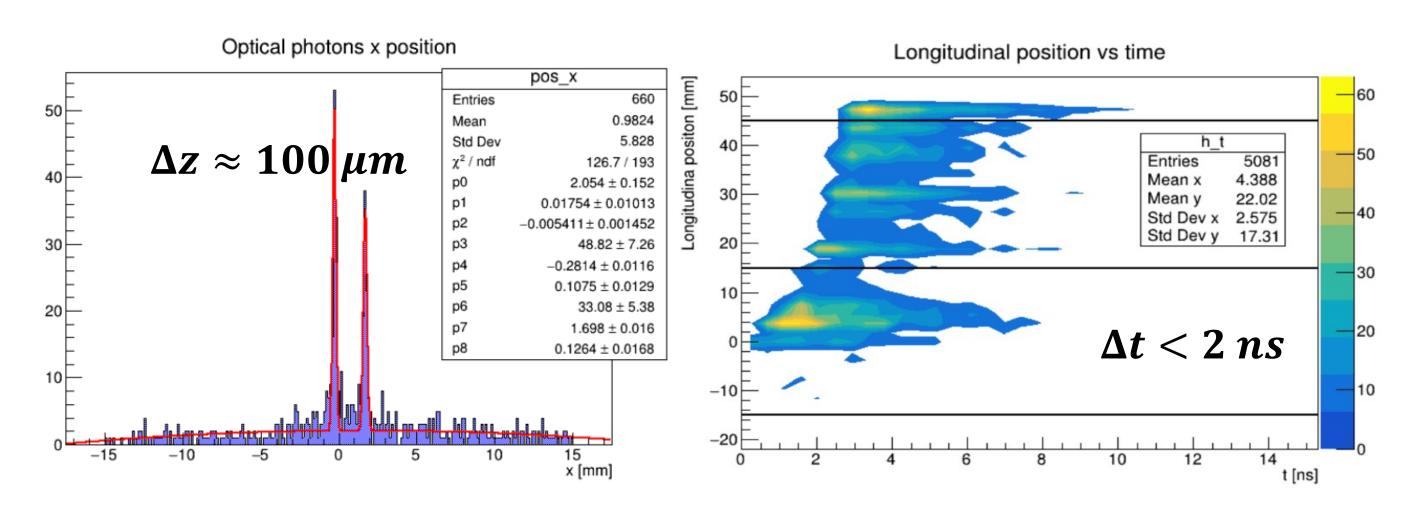
- Precise alignment with muon storage plane
- Heat dissipation
- Minimal multiple scattering for positrons
- Suppress Eddy current

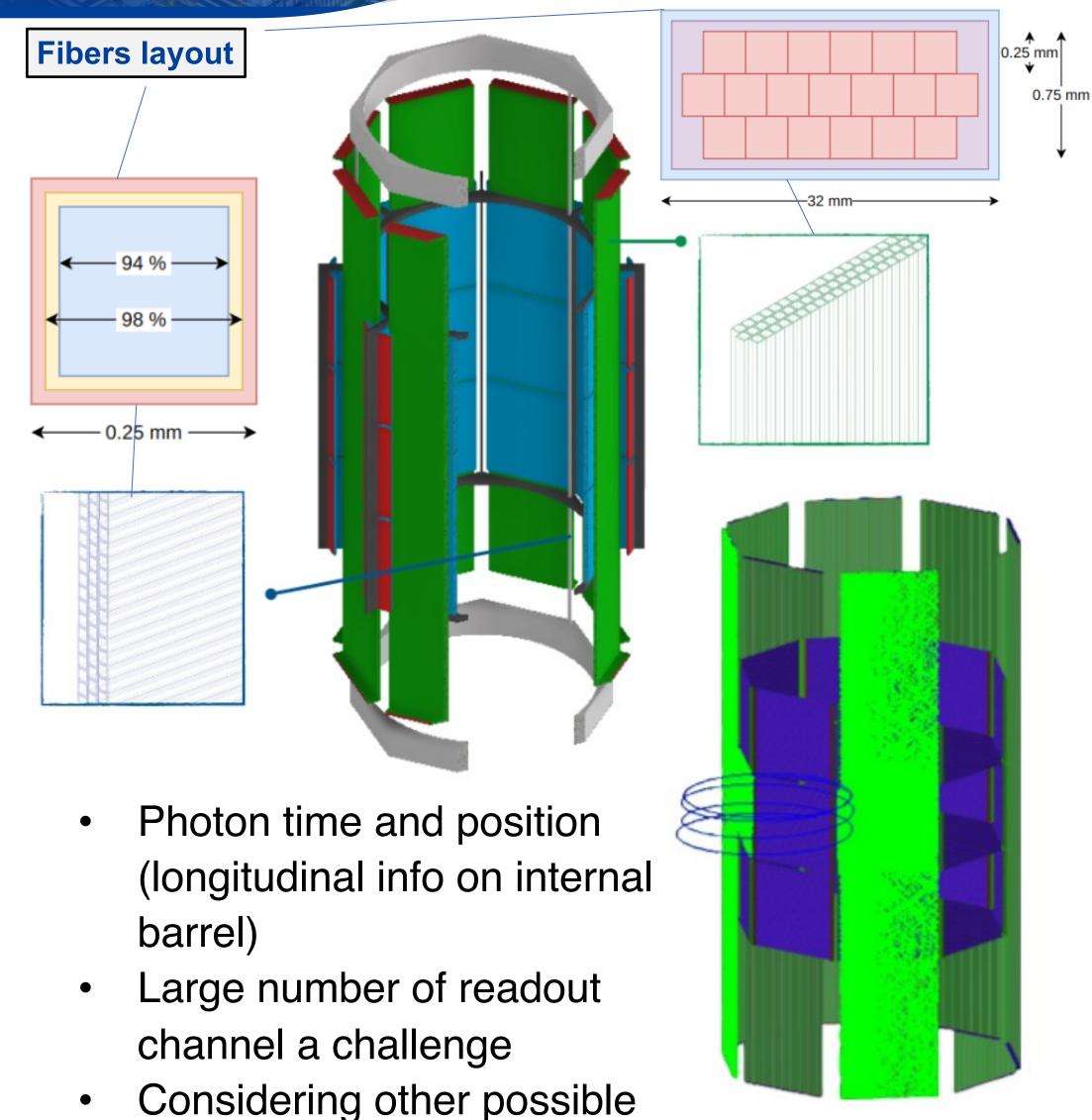
Strip-segmented Alu-Kapton film approach suppresses Eddy current damping, without compromising electric field uniformity.

Positron detectors for EDM signal



- Double barrel SciFi tracker
- Measures longitudinal asymmetry of positron
- Bundles of fibers with good timing and position resolutions
 - transverse and longitudinal fibers



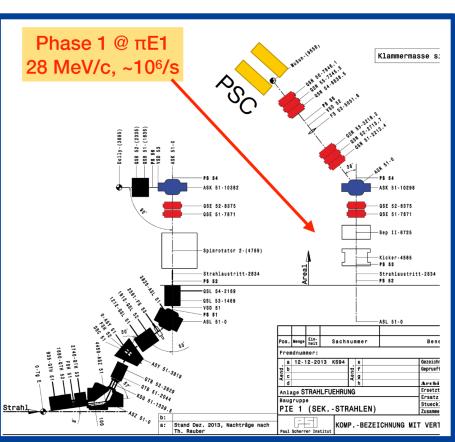


geometries

Annual beam tests at PSI

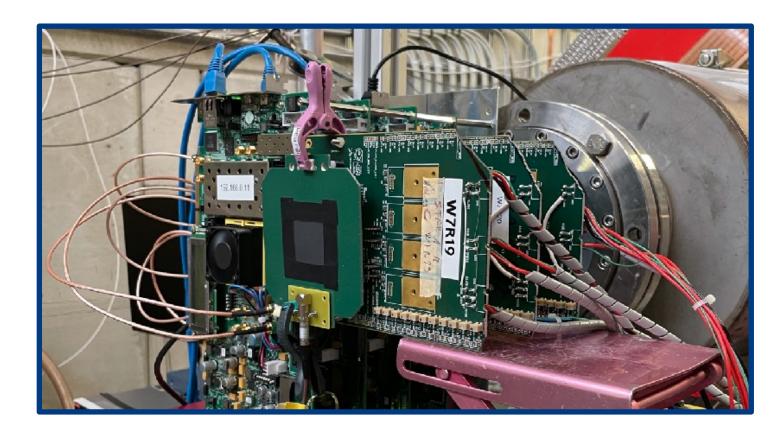


2019



Characterisation of potential beam lines

2020



Study multiple scattering of e⁺ at low momenta

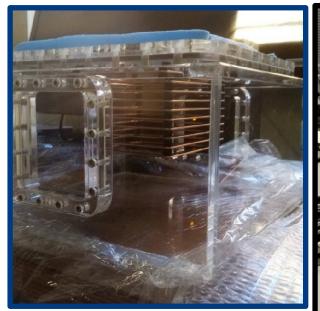
2021



Characterization of potential electrode material with e⁺ and μ^+

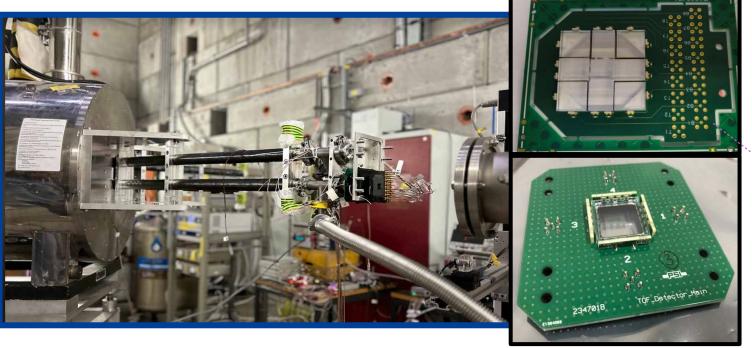
2024

2022



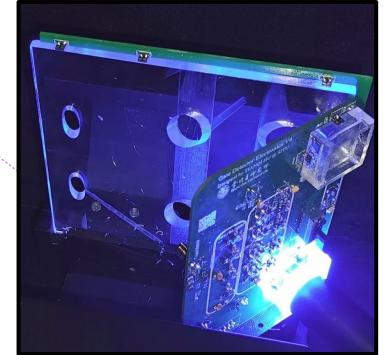
NIT CONTROL OF THE PARTY OF THE

Performance test of prototype entrance detector and TPC tracker



2023

Aligning muon beam with centre axis of injection channel



Positron detection efficiency, muon trigger detector

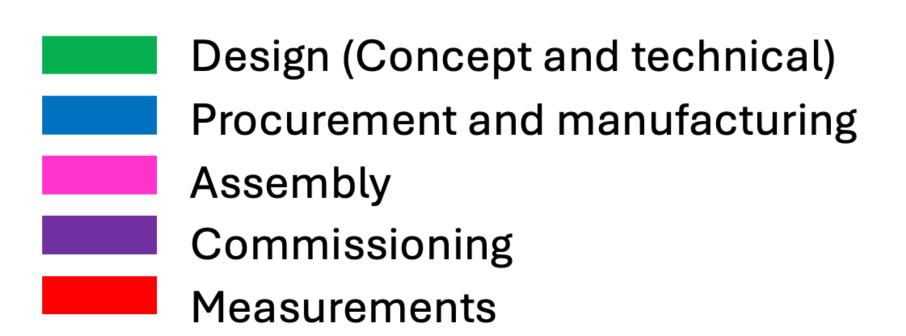
muEDM Phase-I timeline

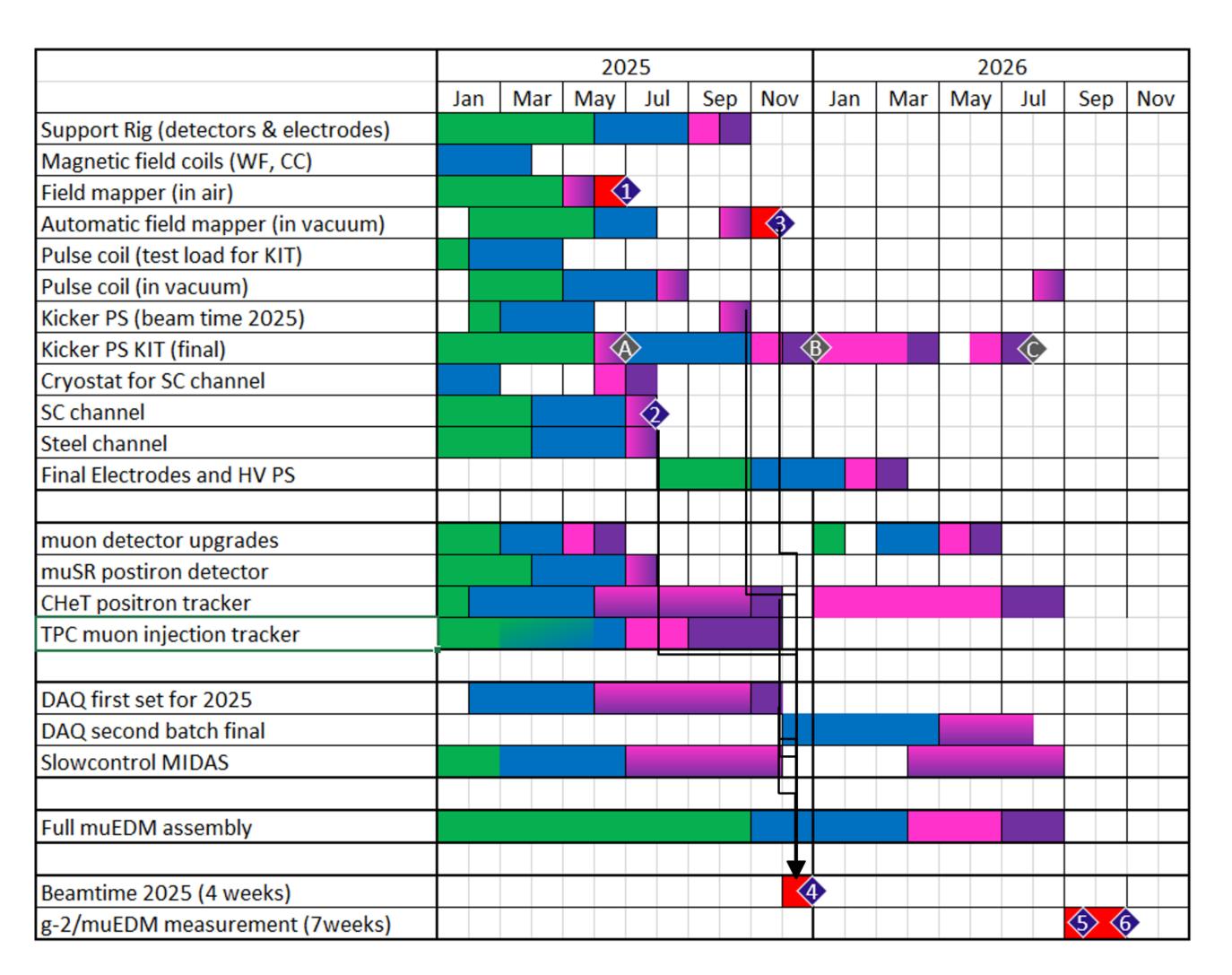


2025: Demonstration of critical methods and techniques

- Preparation of magnetic field
- Preparation of kicker field (preliminary)
- Preparation of cryogenic injection
- Preparation of positron detection
- Preparation of TPC injection tracker
- Preparation of FRES DAQ system

2026: Prepapartion and demonstration of g-2/muEDM measurement





Summary and outlook



Muon g-2 at Fermilab

- Final results released, reached 127 ppb uncertainty!
- In good agreement with TI WP 2025 (HVP based on LQCD)
- However, more work is needed to understand the data-driven approach versus LQCD
- BSM searches ongoing: EDM, CPT/LV, Dark Matter

Muon EDM at PSI

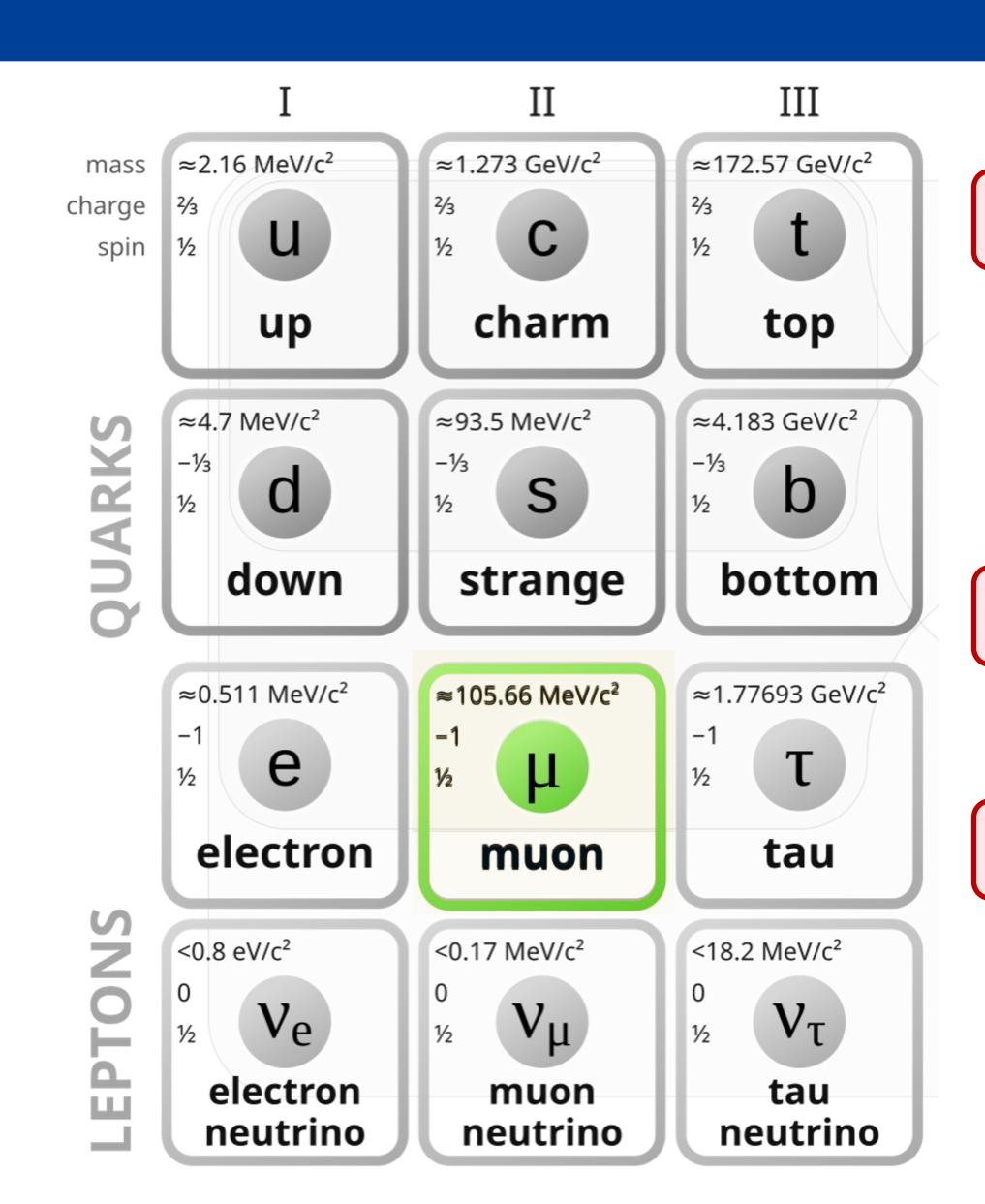
- Aiming for sensitivity 10⁻²³ e⋅cm using the frozen-spin technique.
- Phase I progressing well: Beam tests since 2019, first measurement expected by 2026.
- Sensitive to new CP-violation sources, complementary to Muon g-2
- BSM searches to be performed: Muonphilic Dark Matter

Muon experiments continue to be a powerful probe for new physics—testing quantum corrections (g-2), CP violation (EDM), and Muonphilic Dark Matters!



Why the muon?





Muons ~ 200 times heavier than electrons

 Electron g-2 is ~1,000 times more precise, but muon's sensitivity is ~40,000 times greater to quantum loop effects

Relatively long lifetime of 2.2 µs

It can be produced copiously and stored

Muon spin is self-analyzing

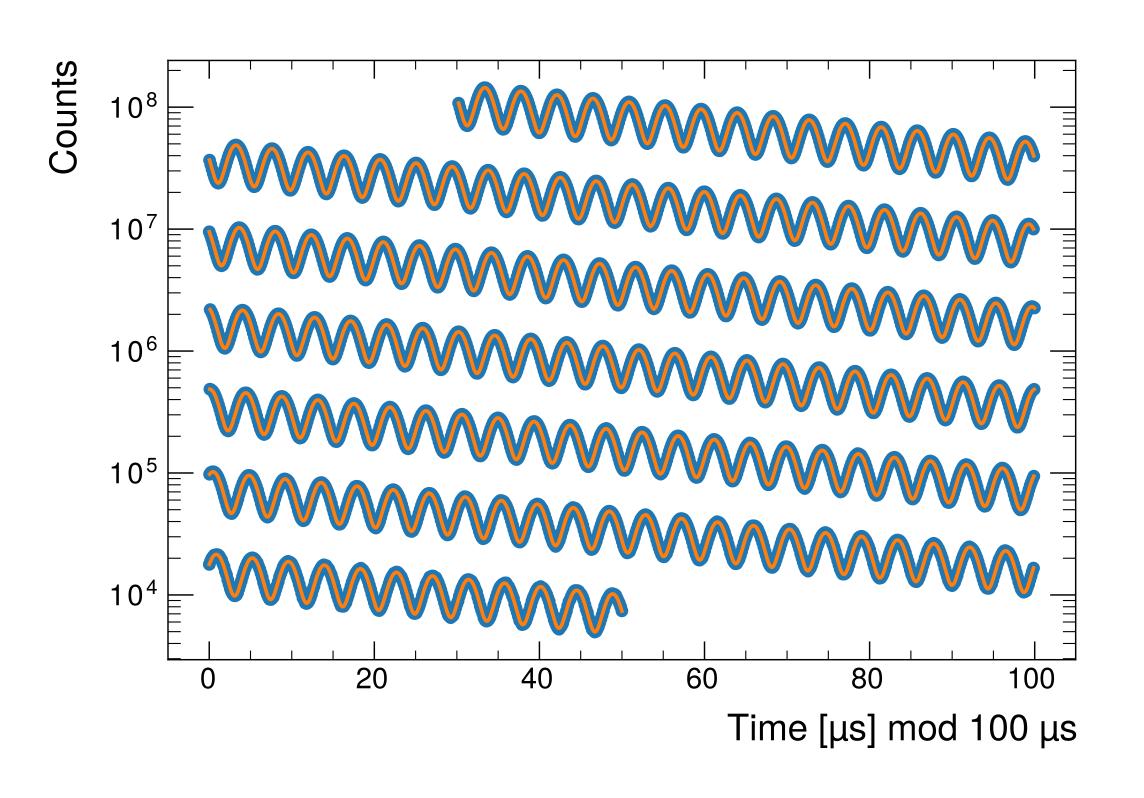
 Decay positrons are emitted primarily along the muon spin direction.

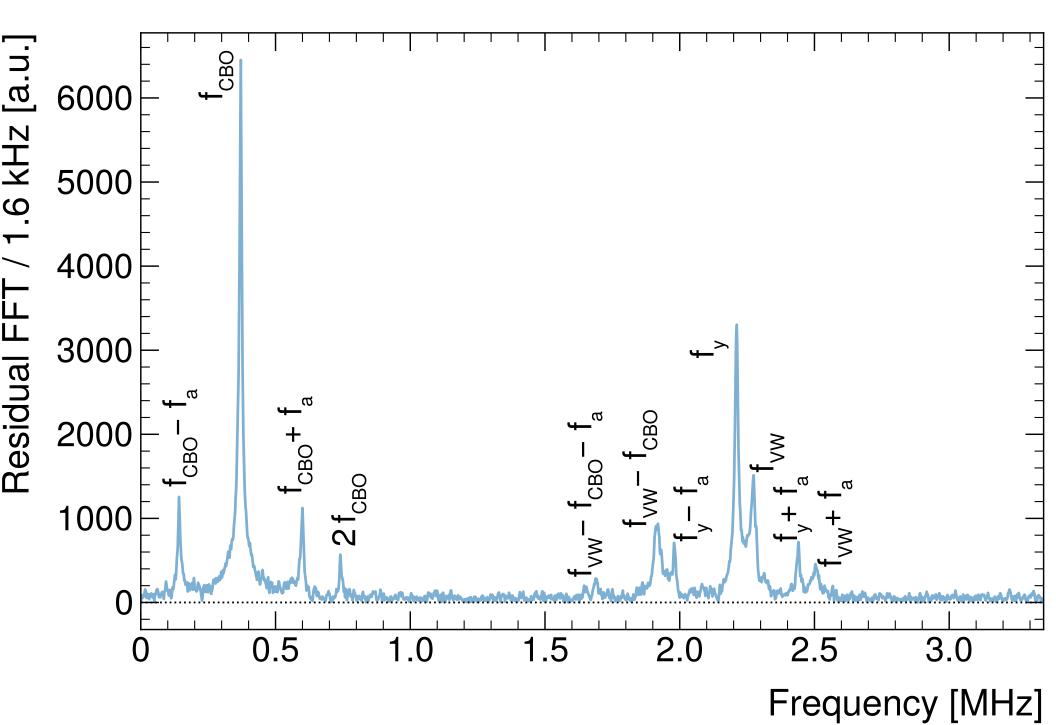
Measuring the spin precession frequency



Simplest fit model captures exponential decay & g-2 oscillation

$$N(t) = N_0 e^{-t/\tau} [1 + A \cos(\omega_a t - \phi_0)]$$





Larger statistics reveal even more prominent frequency components.

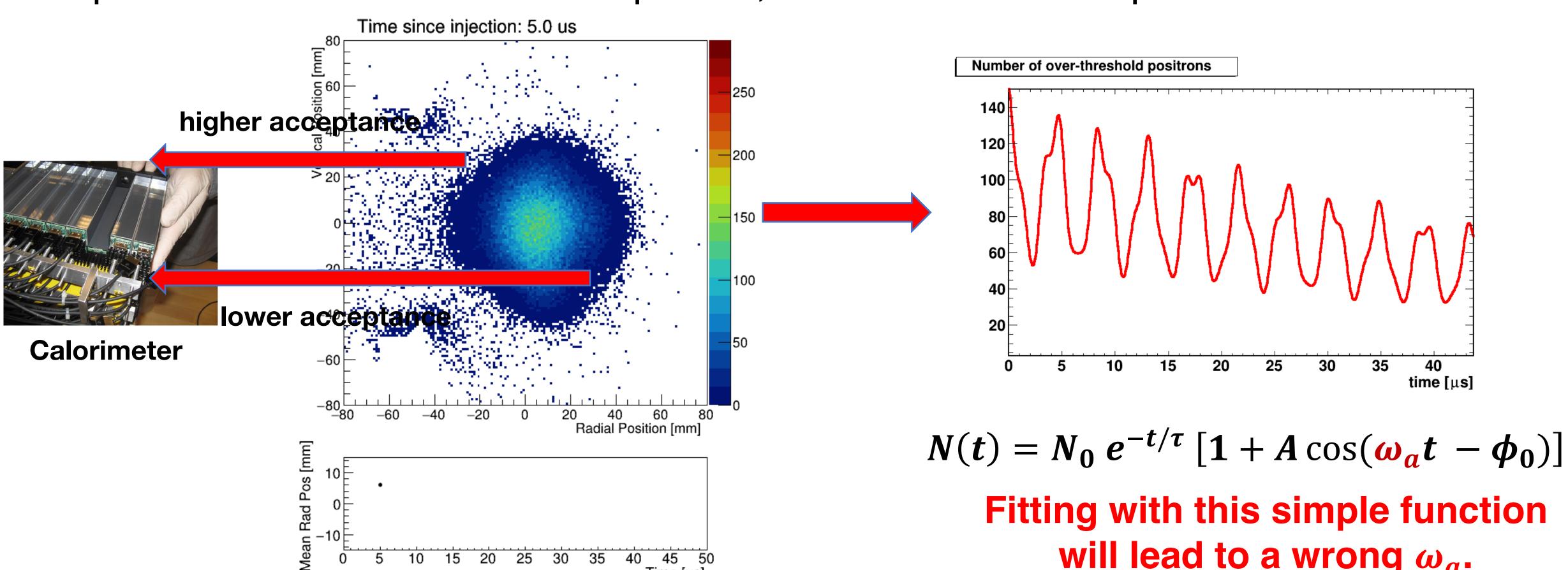
CBO biases ω_a measurement



Stored muon beam exhibits coherent betatron oscillation (CBO)

25

Coupled with the calorimeter acceptance, it distorts the time spectrum



Time [us]

will lead to a wrong ω_a .

Ultralight Bosonic DM



DM is manifest locally as a AC classical background field

$$\phi(t) = \phi_0 \cos(m_{\rm dm}t)$$

$$10^{-21} \, {\rm eV} \qquad 10^{-13} \, {\rm eV} \qquad 10^{-11} \, {\rm eV} = 10^{-9} \, {\rm eV} = \omega_a$$

$$= 1 \, {\rm year} \qquad = {\rm fill \ rate} \qquad {\rm bunch \ duration}$$

$$10^{-22} \, {\rm eV} \qquad 10^{-18} \, {\rm eV} \qquad 10^{-14} \, {\rm eV} \qquad 10^{-10} \, {\rm eV} \qquad 10^{-2} \, {\rm eV} \qquad 10^{2} \, {\rm eV}$$

$$10^{-8} \, {\rm Hz} \qquad 10^{-4} \, {\rm Hz} \qquad 1 \, {\rm Hz} \qquad 10^{4} \, {\rm Hz} \qquad 10^{8} \, {\rm Hz} \qquad 10^{12} \, {\rm Hz}$$

DM field is static over each bunch, but oscillates many times over the lifetime of the experiment.

A Scalar DM Precession Signal

Scalar DM ϕ of mass m_ϕ with a muon Yukawa coupling:

$$\mathcal{L} \supset y \, \phi \bar{\mu} \mu$$

DM background field is:

$$\phi(t) = \sqrt{\frac{2\rho_{\rm dm}}{m_{\phi}}}\cos\left(m_{\phi}t\right)$$

DM field generates a time-varying muon mass and MDM: $m(t) = m_{\mu} + y \phi(t)$

$$\vec{\mu} = \frac{e g_{\mu}}{2 m(t)} \vec{S}$$

PHYSICAL REVIEW D 102, 115018 (2020)

Muon g-2 and EDM experiments as muonic dark matter detectors

Ryan Janish^{1,2} and Harikrishnan Ramani^{1,3,4}

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(Received 8 September 2020; accepted 19 November 2020; published 10 December 2020)

A DM EDM Signal

Pseudoscalar DM of mass m_a with an EDM interaction:

$$\mathcal{L} \supset -rac{i}{2}g\,a\,ar{\mu}\,\sigma_{lphaeta}\,\gamma_5\,\mu\,F^{lphaeta}$$

DM field generates an time-varying EDM for the muon. The precession frequency is:

$$\vec{\omega}_a = \omega_{sm} \hat{B} + \omega_{dm} \cos(m_a t) \left(\hat{p} \times \hat{B}\right)$$
$$\omega_{dm} = 2g \frac{\sqrt{2\rho_{dm}}}{m_a} v_{\mu} B$$

ALP-Muon Wind

$$\mathcal{L} \supset g \, \partial_{\nu} a \, \bar{\mu} \, \gamma^{\nu} \gamma_5 \, \mu$$

In the rest frame of the muon: $\,H\supset g\, \vec{\nabla} a\cdot \vec{S}\,$

Muon spin precesses about the relative velocity of DM, which is essentially the muon velocity.

$$\vec{\omega_a} = \omega_{sm} \hat{B} + \omega_{dm} \cos(m_a t) \hat{v}$$
$$\omega_{dm} = g \sqrt{2\rho_{dm}}$$

Muonic Vector DM

Ultralight vector DM manifests as a local dark electric and magnetic field:

$$E_{\rm dm} = \sqrt{2\rho_{\rm dm}}\cos\left(m_{\rm dm}t\right)$$

$$B_{\rm dm} = v_{\rm dm} E_{\rm dm}$$

Four distinct contributions to precession – the dominant one is the component of $\vec{E}_{\rm dm}$ transverse to the orbital plane:

$$\vec{\omega}_{\rm dm} = \frac{g_{\rm dm}}{m_{\mu}\gamma^2} \, \vec{v} \times \vec{E}_{\rm dm}$$

Ultralight Bosonic DM limits



PHYSICAL REVIEW D **102**, 115018 (2020)

Muon g-2 and EDM experiments as muonic dark matter detectors

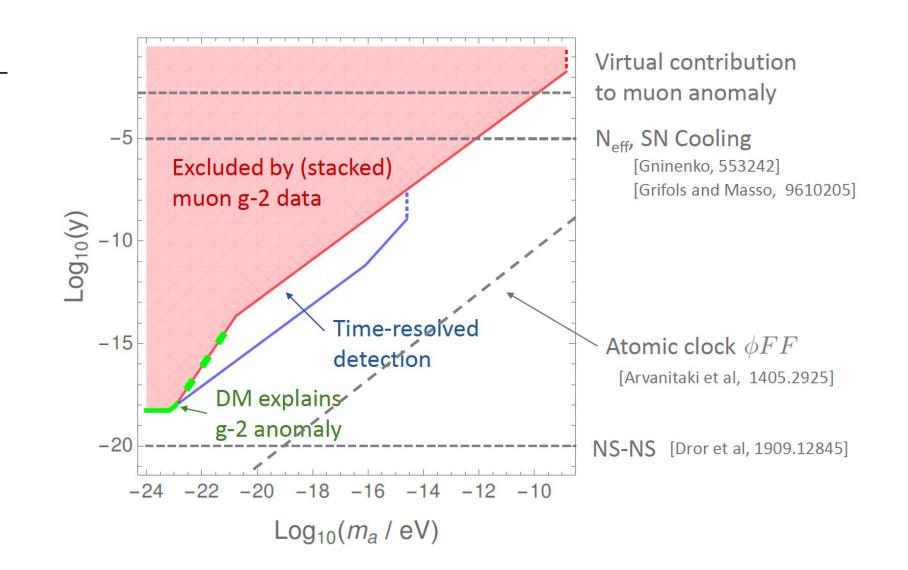
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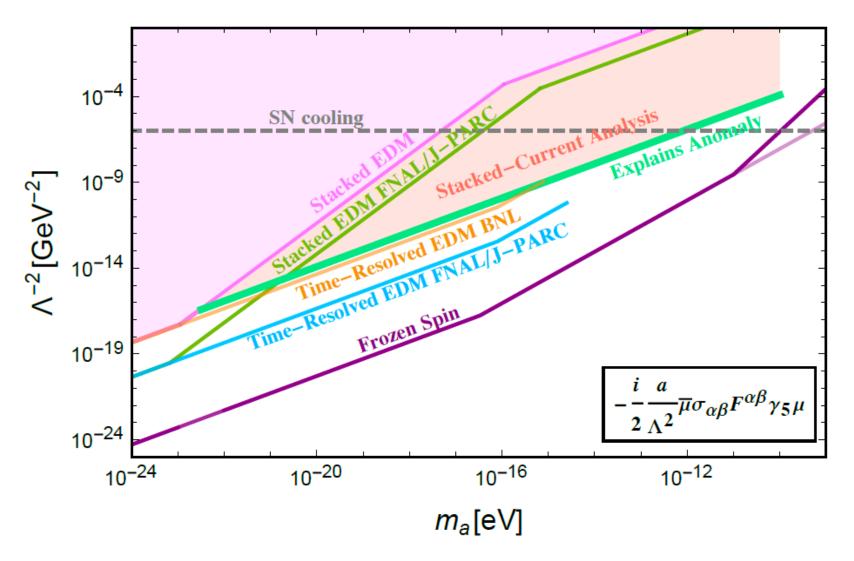
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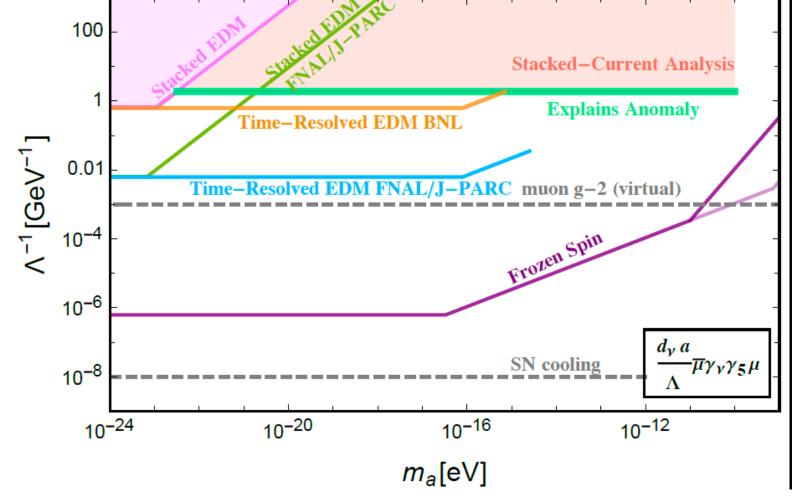
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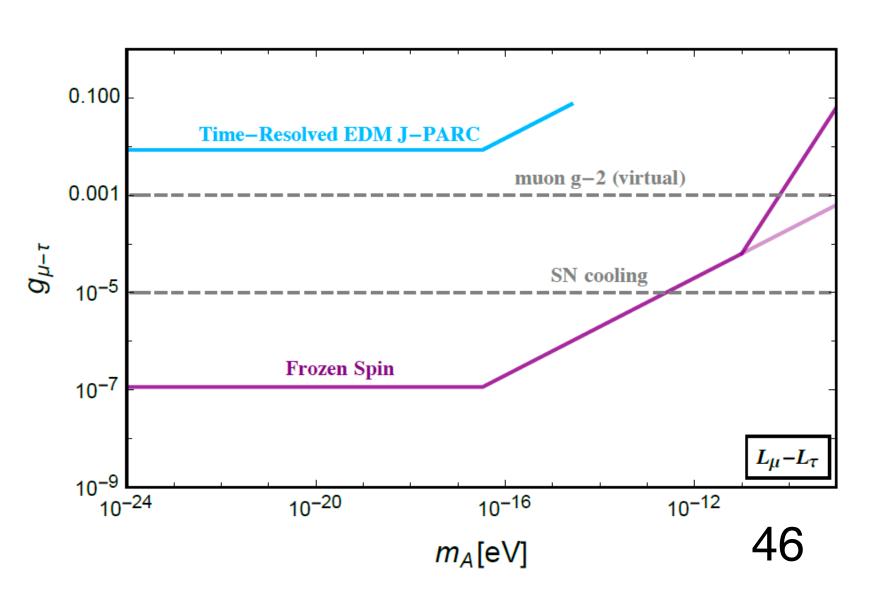
The detection of ultralight dark matter through interactions with nucleons, electrons, and photons has been explored in depth. In this work we propose to use precision muon experiments, specifically muon g-2 and electric dipole moment measurements, to detect ultralight dark matter (DM) that couples predominantly to muons. We set direct, terrestrial limits on DM-muon interactions using existing g-2 data, and show that a time-resolved reanalysis of ongoing and upcoming precession experiments will be sensitive to dark matter signals. Intriguingly, we also find that the current muon g-2 anomaly can be explained by a spin torque applied to muons from a pseudoscalar dark matter background that induces an oscillating electric dipole moment for the muon. This explanation may be verified by a time-resolved reanalysis.

DOI: 10.1103/PhysRevD.102.115018









Measuring the spin precession frequency



Simplest fit model captures exponential decay & g-2 oscillation

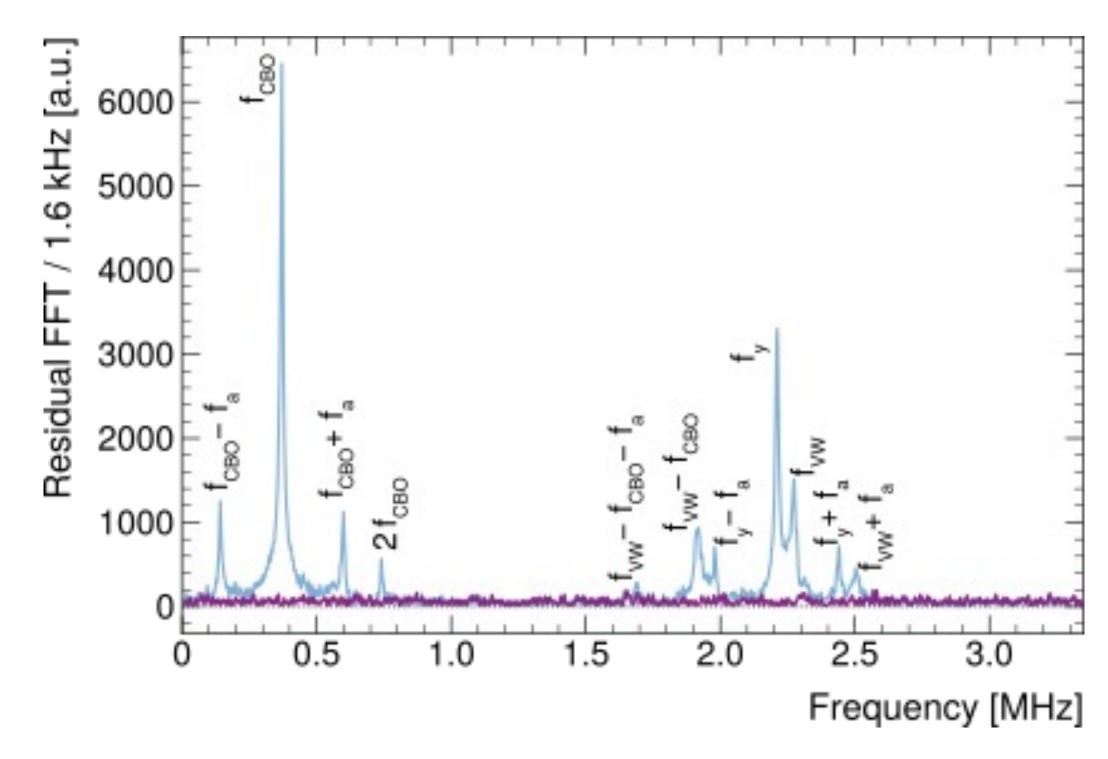
$$N(t) = N_0 e^{-t/\tau} [1 + A \cos(\omega_a t - \phi_0)]$$

Must account for beam oscillations, muons losses, and detector effects

Example:

Beam dynamics modeling, such as CBO

- If not accounted for: ~800 ppb effect without the additional RF
- If not accounted for: ~80 ppb effect with the additional RF



Final fit functions include 40+ additional parameters to model these effects!

Corrections: Time-Dependent Mean Phase



Phase Acceptance C_{pa}

Detector Acceptances x Beam Motion

Differential Decay C_{dd}

 Momentum-dependent muon lifetime x phase-momentum correlations

Muon Loss C_{ml}

- Muons scattered out from the storage ring
- Negligible in Run-4/5/6

