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Thermal Dark Matter below GeV

Yue-Lin Sming Tsai (Purple Mountain Observatory) 2024.04.27@NJNU

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Light Fermionic WIMP Dark Matter with Light Scalar Mediator

2403.02721

Light Thermal Dark Matter Beyond *p*-Wave Annihilation in

Minimal Higgs Portal Model

Yu-Tong Chen^{a,b}, Shigeki Matsumoto^c, Tian-Peng Tang^a, Yue-Lin Sming Tsai^{a,d}, and Lei Wu^b

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The relic density and temperature evolution of light dark sector

Xin-Chen Duan,^{1,2,*} Raymundo Ramos,^{3,†} and Yue-Lin Sming Tsai^{1,2,‡}

Shigeki Matsumoto^(a), Yue-Lin Sming Tsai^(b,c) and Po-Yan Tseng^(a)



- Motivations.
- Minimal Higgs Portal Model.
- Parameter space to be detected in gammaray telescopes.
- The relic density of special scenarios.
- Results and summary.



Small coupling <mark>gx</mark>: a larger exposure is required!

Small DM mass: DM mass might be outside the detector range.

Small mass splitting between DM and other dark particles.

The light DM mass region

Can we go to the region below GeV?

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Cosmological Lower Bound on Heavy-Neutrino Masses

Benjamin W. Lee^(a)

Fermi National Accelerator Laboratory, (b) Batavia, Illinois 60510

If only a DM introduced...

and

Steven Weinberg^(c) Stanford University, Physics Department, Stanford, California 94305 (Received 13 May 1977)

g=Weak coupling

The present cosmic mass density of possible stable neutral heavy leptons is calculated in a standard cosmological model. In order for this density not to exceed the upper limit of 2×10^{-29} g/cm³, the lepton mass would have to be *greater* than a lower bound of the order of 2 GeV.

Unless, a new light mediator is introduced!

Simplicity and Light mediator



Z_2 odd scalar mediator (like squark) + SM fermion. LEP mass limit for <u>charged mediator is</u> <u>heavier than 100 GeV</u>.

Z_2 odd fermion mediator (like Chargino) + SM gauge boson. Invisible decay gives a severe limit.



Therefore, an MeV mediator of the the DM annihilation to SM pair via t-channel CANNOT be Z_2 -odd.





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Basic and minimum Lagrangian



	Z_2 even mediator				
DM f	types	Lagrangian	$\begin{array}{l} \langle \sigma v \rangle_{2\mu} \\ \simeq a + b v^2 \end{array}$	$\begin{array}{l} \langle \sigma v \rangle_{4\mu} \\ \simeq a + bv^2 \end{array}$	DD
\land	$\chi ~{ m and}~ \phi$	$\mathcal{L}_1 = (g_D \bar{\chi} \chi + g_f \bar{f} f) \phi$	a = 0	<i>a</i> = 0	Eq. (B1)
		$\mathcal{L}_2 = (g_D \bar{\chi} \chi + g_f \bar{f} i \gamma^5 f) \phi$	a = 0	a = 0	·
		$\mathcal{L}_3 = (g_D \bar{\chi} i \gamma^5 \chi + g_f \bar{f} f) \phi$	Case (i)	a = 0	Eq. (B2)
*		$\mathcal{L}_4 = (g_D \bar{\chi} i \gamma^5 \chi + g_f \bar{f} i \gamma^5 f) \phi$	Case (i)	a = 0	
		$\mathcal{L}_5 = (g_D \bar{\chi} \gamma^\mu \gamma^5 \chi + g_f \bar{f} \gamma^\mu f) V_\mu$	a = 0	Case (A)	Eq. (B3)
	γ and V_{μ}	$\mathcal{L}_6 = (g_D \bar{\chi} \gamma^\mu \gamma^5 \chi + g_f \bar{f} \gamma^\mu \gamma^5 f) V_\mu$	Case (ii)	Case (A)	- 1
£	A and th	$\mathcal{L}_7 = (g_D \bar{\chi} \gamma^\mu \chi + g_f \bar{f} \gamma^\mu f) V_\mu$	Case (i)	Case (C)	Eq. (B4)
DM 1		$\mathcal{L}_8 = (g_D \bar{\chi} \gamma^\mu \chi + g_f \bar{f} \gamma^\mu \gamma^5 f) V_\mu$	Case (i)	Case (C)	-
	C and t	$\mathcal{L}_9 = (M_{D\phi}S^{\dagger}S + g_f\bar{f}f)\phi$	Case (i)	Case (B)	Eq. (B5)
		$\mathcal{L}_{10} = (M_{D\phi}S^{\dagger}S + g_f \bar{f} i \gamma^5 f)\phi$	Case (i)	Case (B)	
DM Phi	ϕ and ϕ	${\cal L}_{9'}=(g_DS^\dagger S\phi+g_far ff)\phi$		b = 0	
7	($\mathcal{L}_{10'} = (g_D S^{\dagger} S \phi + g_f \bar{f} i \gamma^5 f) \phi$		b = 0	
\mathbf{X}	S and V	$\mathcal{L}_{11} = (ig_D S^{\dagger} \overleftrightarrow{\partial_{\mu}} S + g_D^2 S^{\dagger} S V_{\mu} + g_f \bar{f} \gamma_{\mu} f) V^{\mu}$	a = 0	Case (C)	Eq. (B6)
	S and V_{μ}	$\mathcal{L}_{12} = (ig_D S^{\dagger} \overleftrightarrow{\partial_{\mu}} S + g_D^2 S^{\dagger} S V_{\mu} + g_f \bar{f} \gamma_{\mu} \gamma^5 f) V^{\mu}$	a = 0	Case (C)	
	$X_{\mu} ext{ and } \phi$	$\mathcal{L}_{13} = (M_{D\phi} X^{\mu} X^{\dagger}_{\mu} + g_f \bar{f} f) \phi$	Case (i)	Case (D)	Eq. (B7)
¥− − ≺		${\cal L}_{14} = (M_{D\phi} X^{\mu} X^{\dagger}_{\mu} + g_f \bar{f} i \gamma^5 f) \phi$	Case (i)	Case (D)	- 1
		$\mathcal{L}_{13'} = (g_D X^\mu X^\dagger_\mu \phi + g_f \bar{f} f) \phi$	<u>111 - P</u>	b = 0	
		$\mathcal{L}_{14'} = (g_D X^\mu X^\dagger_\mu \phi + g_f \bar{f} i \gamma^5 f) \phi$		b = 0	_
	X_{μ} and V_{μ}	$\mathcal{L}_{15} = ig_D \{ X^{\mu\nu} X^{\dagger}_{\mu} V_{\nu} - X^{\mu\nu\dagger} X_{\mu} V_{\nu} + X_{\mu} X^{\dagger}_{\nu} V^{\mu\nu} \}$	- 0	G(C)	E- (D9)
DM phi		$+g_D^2\{X_\mu^\dagger X^\mu V_\nu V^\nu - X_\mu^\dagger V^\mu X_\nu V^\nu\} + g_f \bar{f} \gamma^\mu f V_\mu$	<i>a</i> = 0	Case (C)	Eq. (B 8)
· · · · · · · · · · · · · · · · · · ·		$\mathcal{L}_{16} = ig_D \{ X^{\mu\nu} X^{\dagger}_{\mu} V_{\nu} - X^{\mu\nu\dagger} X_{\mu} V_{\nu} + X_{\mu} X^{\dagger}_{\nu} V^{\mu\nu} \}$	a = 0	Case (C)	
		$+g_{D}^{2}\{X_{\mu}^{\dagger}X^{\mu}V_{\nu}V^{\nu}-X_{\mu}^{\dagger}V^{\mu}X_{\nu}V^{\nu}\}+g_{f}\bar{f}\gamma^{\mu}\gamma^{5}fV_{\mu}$	a = 0	Case (C)	



Thermal dark matter



	Likelihood	Constraints
Relic abundance	Gaussian	$\Omega_{\chi}^{\exp}h^2 = 0.1193 \pm 0.0014$ [90];
		$\sigma_{\rm sys} = 10\% \times \Omega_{\chi}^{\rm th} h^2. \label{eq:sys}$
Equilibrium	Conditions	either $(\Gamma_{\chi \text{SM}}^{\text{FO}} \ge H_{\text{FO}})$, or
		$(\Gamma_{\phi \text{SM}}^{\text{FO}} \ge H_{\text{FO}} \text{ and } \Gamma_{\chi\phi}^{\text{FO}} \ge H_{\text{FO}})$
DM direct detection	Half Gaussian	$9 { m GeV} < m_{\phi} < 10 { m TeV} ({ m LZ} [91]),$
		$3.5 { m GeV} < m_{\phi} < 9 { m GeV}$ (PANDAX-4T [16]),
		$60{\rm MeV} < m_\phi < 5{\rm GeV}$ (DarkSide [92]).
$ riangle N_{ ext{eff}}$	Half Gaussian $ riangle N_{ m eff} < 0.17$ for 95% C.L. [90]	
BBN	Conditions	if $(m_{\phi} \ge 2m_{\pi})$ then $\tau_{\phi} \le 1$ s [93],
		if $(m_{\phi} \le 2m_{\pi})$ then $\tau_{\phi} \le 10^5$ s [94].

Heat transfer can be via the green or red+blue.



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Possible parameter space



Parameter space is finite and we may be able to probe them ALL!





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Results and summary.

The evolution equations of the comoving number density and temperature $x\tilde{H}Y'_{\gamma} = \langle \sigma_{\varphi\bar{\varphi}\to\chi\chi}v\rangle_T \, sY^2_{\varphi,\mathrm{eq}} - \langle \sigma_{\chi\chi\to\varphi\bar{\varphi}}v\rangle_T, \, sY^2_{\chi}$ $x\tilde{H}Y_{\chi}T_{\chi}\left(\frac{y_{\chi}'}{y_{\nu}}+\frac{Y_{\chi}'}{Y_{\nu}}\right) = \frac{H}{3}\left\langle\frac{\mathbf{p}_{\chi}^{4}}{E_{\nu}^{3}}\right\rangle Y_{\chi} + \left\langle T_{\chi}\sigma_{\varphi\bar{\varphi}\to\chi\chi}v\right\rangle_{T}sY_{\varphi,\mathrm{eq}}^{2} - \left\langle T_{\chi}\sigma_{\chi\chi\to\varphi\bar{\varphi}\bar{\varphi}}v\right\rangle_{T_{\chi}}sY_{\chi}^{2}$ $-\langle \sigma_{\chi\chi\to\phi\phi}v\rangle_T sY_{\chi}^2 + \langle \sigma_{\phi\phi\to\chi\chi}v\rangle_T sY_{\phi}^2$ $+ \langle \Gamma_{\phi \to \chi \chi} \rangle_{T_{\star}} Y_{\phi} - \langle \sigma_{\chi \chi \to \phi} v \rangle_{T_{\star}} s Y_{\chi}^2$ $- \langle T_{\chi} \sigma_{\chi\chi \to \phi\phi} v \rangle_{T_{\chi}} s Y_{\chi}^2 + \langle T_{\chi} \sigma_{\phi\phi \to \chi\chi} v \rangle_{T_{\phi}} s Y_{\phi}^2$ and $+ \langle T_{\chi} \Gamma_{\phi \to \chi \chi} \rangle_{T_{\star}} Y_{\phi} - \langle T_{\chi} \sigma_{\chi \chi \to \phi} v \rangle_{T_{\star}} s Y_{\chi}^{2}$ $x\tilde{H}Y'_{\phi} = \langle \sigma_{\varphi\bar{\varphi}\to\phi\phi}v \rangle_T sY^2_{\varphi,eq} - \langle \sigma_{\phi\phi\to\varphi\bar{\varphi}}v \rangle_T sY^2_{\phi}$ $+\mathcal{S}_{\gamma\phi}(T_{\gamma},T_{\phi})sY_{\gamma}Y_{\phi}+\mathcal{S}_{\gamma\phi}(T_{\gamma},T)sY_{\gamma}Y_{\phi,eq}$ $-\langle \sigma_{\phi\phi\to\chi\chi}v\rangle_T sY_{\phi}^2 + \langle \sigma_{\chi\chi\to\phi\phi}v\rangle_T sY_{\chi}^2$ $- \left\langle \Gamma_{\phi \to \varphi \bar{\varphi}} \right\rangle_{T_{\pm}} Y_{\phi} + \left\langle \sigma_{\varphi \bar{\varphi} \to \phi} v \right\rangle_{T} s Y_{\varphi, eq}^{2}$ $x\tilde{H}Y_{\phi}T_{\phi}\left(\frac{y_{\phi}'}{y_{\phi}}+\frac{Y_{\phi}'}{Y_{\phi}}\right) = \frac{H}{3}\left\langle\frac{\mathbf{p}_{\phi}^{4}}{E_{\phi}^{3}}\right\rangle Y_{\phi} + \left\langle T_{\phi}\sigma_{\varphi\bar{\varphi}\to\phi\phi}v\right\rangle_{T}sY_{\varphi,\mathrm{eq}}^{2} - \left\langle T_{\phi}\sigma_{\phi\phi\to\varphi\bar{\varphi}}v\right\rangle_{T_{\phi}}sY_{\phi}^{2}$ $- \langle \Gamma_{\phi \to \chi \chi} \rangle_{T_{\star}} Y_{\phi} + \langle \sigma_{\chi \chi \to \phi} v \rangle_{T_{\star}} s Y_{\chi}^2$ $- \langle T_{\phi} \sigma_{\phi\phi \to \chi\chi} v \rangle_{T_{\star}} s Y_{\phi}^2 + \langle T_{\phi} \sigma_{\chi\chi \to \phi\phi} v \rangle_{T_{\star}} s Y_{\chi}^2$ $+ \sum_{\varphi_2,\varphi_3,\varphi_4} \left[\langle \sigma_{\varphi_3\varphi_4 \to \phi\varphi_2} v \rangle_T \ sY_{\varphi_3,\mathrm{eq}} Y_{\varphi_4,\mathrm{eq}} - \langle \sigma_{\phi\varphi_2 \to \varphi_3\varphi_4} v \rangle_{(T_{\phi},T)} \ sY_{\varphi_2,\mathrm{eq}} Y_{\phi} \right].$ Scalar $-\langle T_{\phi}\Gamma_{\phi}\rangle_{T_{\star}}Y_{\phi}+\langle T_{\phi}\sigma_{\chi\chi\to\phi}v\rangle_{T_{\star}}sY_{\chi}^{2}+\langle T_{\phi}\sigma_{\varphi\bar{\varphi}\to\phi}v\rangle_{T}sY_{\varphi,eq}^{2}$ ϕ $\chi\chi\leftrightarrow\phi\phi$ $\phi\phi\leftrightarrow f\bar{f}$ $+\mathcal{S}_{\phi\chi}(T_{\phi},T_{\chi})sY_{\chi}Y_{\phi}+\mathcal{S}_{\phi\varphi}(T_{\phi},T)sY_{\phi}Y_{\varphi,\mathrm{eq}}$ $\chi\phi\leftrightarrow\chi\phi$ $\phi f \leftrightarrow \phi f$ $\phi \leftrightarrow \chi \chi$ $\sin \theta$ $\phi \leftrightarrow \mathrm{SMs}$ $+ \sum s \left[\langle T_{\phi} \sigma_{\varphi_{3}\varphi_{4} \to \phi\varphi_{2}} v \rangle_{T} Y_{\varphi_{3}, \mathrm{eq}} Y_{\varphi_{4}, \mathrm{eq}} - \langle T_{\phi} \sigma_{\phi\varphi_{2} \to \varphi_{3}\varphi_{4}} v \rangle_{(T_{\phi}, T)} Y_{\varphi_{2}, \mathrm{eq}} Y_{\phi} \right].$ $\phi \operatorname{SM} \leftrightarrow \operatorname{SMs}$ $\lambda_{\phi H}$ Dark Standard Matter Model χ $\sin\theta.c.$ $\chi f \leftrightarrow \chi f \quad \chi \chi \leftrightarrow f ar f$

Interaction rates



The challenge of Relic density computation



Summary

- The light thermal DM has a lower mass limit around MeV.
- Direct detection can also constrain the low mass mediator mass region, but pseudoscalar can relax this tension.
- Pseudoscalar can generate s-wave annihilation which is testable in indirect detection.
- Considering CMB constraints, most of p-wave annihilation with mass below GeV is excluded, while the resonance is still testable in future MeV gamma ray telescopes.
- For the resonance DM and forbidden DM scenario, the temperature evolution is very important (72% and 1000%), while the Seculded DM shows some impacts from asymmetric elastic scattering between phi and DM (9%).

Thank you for listening!