重离子超边缘碰撞中的光-核反应过程





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Outline

- Background
- > Unpolarized diffractive ρ^0 production in UPCs
- Cosφ ,Cos2φ, Cos3φ, Cos4φ azimuthal asymmetries in ρ⁰ production
- > Summary

What is UPC

Two nuclei physically miss each other,



Weizascker--Williams approximation



Relativistic heavy ion is extremely **bright!**

Two type interactions:

- photon-photon collisions
- photon-nuclear interactions

The boosted Coulomb potential



Side view

Head on view

Linear polarization of coherent photons

Transverse momentum phase space



Linear polarization of gluons at small x



CGC is linearly polarized A. Metz, ZJ; 2011

Cos 4¢ asymmetry in EM dilepton production

$$\gamma(x_1P + k_{1\perp}) + \gamma(x_2\bar{P} + k_{2\perp}) \rightarrow l^+(p_1) + l^-(p_2)$$

$$\langle \cos(4\phi) \rangle \qquad \phi = P_{\perp} \wedge q_{\perp}$$

 $P_{\perp} \equiv (p_{1\perp} - p_{2\perp})/2 \qquad q_{\perp} \equiv p_{1\perp} + p_{2\perp}$

correlation limit: $P_{\perp} \gg q_{\perp}$

Verified by STAR experiment



0.45GeV²<Q²<0.76GeV² P_t>200MeV, |y|<1,q_t<100MeV C. Li, JZ and Y. Zhou, 2019, 2020

	Measured	QED calculation
Tagged UPC	16.8%±2.5%	16.5%
60%-80%	27%±6%	34.5%

Vector meson diffractive production



Diffraction in optics



Reconstruct the size R of the obstacle and the optical "blackness" of the obstacle from the diffractive pattern.

Optical Analogy

Diffraction in high energy scattering is not very different from diffraction in optics: both have diffractive maxima and minima:



Coherent: target stays intact; Incoherent: target nucleus breaks up, but nucleons are intact.

Diffractive vector production

Motivations:

- Studying the saturation effect
- Transverse spatial imaging of gluons

$$\frac{\sigma_{el}^{q\bar{q}A}}{\sigma_{tot}^{q\bar{q}A}} = \frac{\int d^2 b N^2}{2 \int d^2 b N} \longrightarrow \frac{1}{2}$$



Small x formalism: dipole model, CGC, Glauber model...

$$\mathcal{A}(\Delta_{\perp}) = i \int d^2 b_{\perp} e^{i\Delta_{\perp} \cdot b_{\perp}} \int \frac{d^2 r_{\perp}}{4\pi} \int_0^1 dz \, \Psi^{\gamma \to q\bar{q}}(r_{\perp}, z, \epsilon_{\perp}^{\gamma}) \mathbb{N}(r_{\perp}, b_{\perp}) \Psi^{V \to q\bar{q}*}(r_{\perp}, z, \epsilon_{\perp}^{V})$$

Ryskin, 93; Brodsky, Frankfurt, Gunion, Mueller, Strikman, 94; Klein, Nystrand, 1999; Munier, Stasto, Mueller, 2001, Kowalski, Teaney, 2003; Lappi, Mantysaari, 2011; Rezaeian, Siddikov, Klundert, Venugopalan , 2013; Guzey, Strikman, Zhalov, 2014, Lansberg, Massacrier, Szymanowski, Wagner, 2019; Mäntysaari, Salazar, Schenke, 2022; and many more...

Young's double-slit experiment



double-slit experiment in UPCs





Joint $\ \widetilde{b}_{\perp}$ & q_{\perp} dependent cross section I



A and B are two incoming nuclei (head on view)

Assuming ho^0 is locally produced at position b_\perp

The probability amplitude of producing $~
ho^{0}$ at position b_{\perp}

$$\mathcal{M}(Y, \tilde{b}_{\perp}, b_{\perp}) \propto \mathcal{F}_B(Y, b_{\perp}) N_A(Y, b_{\perp} - \tilde{b}_{\perp})$$

EM potential induced by B

Gluon density inside A

Joint \widetilde{b}_{\perp} & q_{\perp} dependent cross section II



 $\mathcal{M}(Y,\tilde{b}_{\perp},b_{\perp}) \propto \left[\mathcal{F}_B(Y,b_{\perp})N_A(Y,b_{\perp}-\tilde{b}_{\perp}) + N_B(-Y,b_{\perp})\mathcal{F}_A(-Y,b_{\perp}-\tilde{b}_{\perp}) \right]$

Making Fourier transform:

$$\mathcal{M}(Y, \tilde{b}_{\perp}, q_{\perp}) \propto \int d^2 k_{\perp} d^2 \Delta_{\perp} \delta^2 (q_{\perp} - \Delta_{\perp} - k_{\perp}) \\ \times \left\{ \mathcal{F}_B(Y, k_{\perp}) N_A(Y, \Delta_{\perp}) e^{-i\tilde{b}_{\perp} \cdot k_{\perp}} + \mathcal{F}_A(-Y, k_{\perp}) N_B(-Y, \Delta_{\perp}) e^{-i\tilde{b}_{\perp} \cdot \Delta_{\perp}} \right\}$$

The \tilde{b}_{\perp} dependence enters via the phase.
 The relative phase leads to the destructive interference effect.

Xing, Zhang, ZJ, Zhou, 2020

Joint b_{\perp} & q_{\perp} dependent cross section III

Full cross section: $k_{\perp} + \Delta_{\perp} = k'_{\perp} + \Delta'_{\perp}$ $\frac{d\sigma}{d^2q_{\perp}dYd^2\tilde{b}_{\perp}} = \frac{1}{(2\pi)^4} \int d^2\Delta_{\perp}d^2k_{\perp}d^2k_{\perp}d^2k_{\perp}\delta^2(k_{\perp} + \Delta_{\perp} - q_{\perp})(\epsilon_{\perp}^{V*}\cdot\hat{k}_{\perp})(\epsilon_{\perp}^{V}\cdot\hat{k}_{\perp}') \bigg\{ \int d^2b_{\perp}d^2k$ $\times e^{i\tilde{b}_{\perp}\cdot(k'_{\perp}-k_{\perp})}\left[T_{A}(b_{\perp})\mathcal{A}_{in}(Y,\Delta_{\perp})\mathcal{A}^{*}_{in}(Y,\Delta'_{\perp})\mathcal{F}(Y,k_{\perp})\mathcal{F}(Y,k'_{\perp}) + (A\leftrightarrow B)\right]$ + $\left[e^{i\tilde{b}_{\perp}\cdot(k'_{\perp}-k_{\perp})}\mathcal{A}_{co}(Y,\Delta_{\perp})\mathcal{A}^{*}_{co}(Y,\Delta'_{\perp})\mathcal{F}(Y,k_{\perp})\mathcal{F}(Y,k'_{\perp})\right]$ $+ \left[e^{i\tilde{b}_{\perp} \cdot (\Delta'_{\perp} - \Delta_{\perp})} \mathcal{A}_{co}(-Y, \Delta_{\perp}) \mathcal{A}^*_{co}(-Y, \Delta'_{\perp}) \mathcal{F}(-Y, k_{\perp}) \mathcal{F}(-Y, k_{\perp}) \right]$ $+ \left[e^{i\tilde{b}_{\perp} \cdot (\Delta'_{\perp} - k_{\perp})} \mathcal{A}_{co}(Y, \Delta_{\perp}) \mathcal{A}^*_{co}(-Y, \Delta'_{\perp}) \mathcal{F}(Y, k_{\perp}) \mathcal{F}(-Y, k'_{\perp}) \right]$ $+ \left[e^{i\tilde{b}_{\perp} \cdot (k'_{\perp} - \Delta_{\perp})} \mathcal{A}_{co}(-Y, \Delta_{\perp}) \mathcal{A}^*_{co}(Y, \Delta'_{\perp}) \mathcal{F}(-Y, k_{\perp}) \mathcal{F}(Y, k'_{\perp}) \right] \Big\},$ (2.14)H.X. Xing, Z. Zhang, ZJ, Y.J. Zhou, 2020

> EM potential:
$$\mathcal{F}(Y, k_{\perp}) = \frac{Z\sqrt{\alpha_e}}{\pi} |k_{\perp}| \frac{F(k_{\perp}^2 + x^2 M_p^2)}{(k_{\perp}^2 + x^2 M_p^2)}$$

ρ⁰ diffractive pattern



One slit interference

J/psi diffractive pattern



Azimuthal asymmetries in dipion production

Cos2 ϕ in ρ^0 production



Coulomb nuclear interference



EM production V.S. via p decay

EM: 1/t QCD: nuclear form factor F(t=0)

Azimuthal dependent cross section

$$\begin{aligned} \frac{d\sigma_{I}}{d^{2}p_{1\perp}d^{2}p_{2\perp}dy_{1}dy_{2}d^{2}\tilde{b}_{\perp}} &= \frac{\alpha_{e}}{Q^{2}} \frac{1}{(2\pi)^{4}} \frac{1}{\sqrt{4\pi}} \frac{2M_{\rho}\Gamma_{\rho}|P_{\perp}|f_{\rho\pi\pi}}{(Q^{2}-M_{\rho}^{2})^{2}+M_{\rho}^{2}\Gamma_{\rho}^{2}} \int d^{2}\Delta_{\perp}d^{2}k_{\perp}d^{2}k_{\perp}' \\ &\times \delta^{2}(k_{\perp}+\Delta_{\perp}-q_{\perp}) \left[\hat{k}_{\perp}\cdot\hat{\Delta}_{\perp} - \frac{2P_{\perp}^{2}}{P_{\perp}^{2}+m_{\pi}^{2}}(\hat{k}_{\perp}\cdot\hat{P}_{\perp})(\hat{\Delta}_{\perp}\cdot\hat{P}_{\perp})\right](\hat{P}_{\perp}\cdot\hat{k}_{\perp}') \\ &\times 2\left\{\left[e^{i\tilde{b}_{\perp}\cdot(k_{\perp}'-k_{\perp})}\mathcal{F}(x_{1},k_{\perp})\mathcal{F}(x_{2},\Delta_{\perp})\mathcal{F}(x_{1},k_{\perp}')\mathcal{A}_{co}^{*}(x_{2},\Delta_{\perp}')\right] \\ &+ \left[e^{i\tilde{b}_{\perp}\cdot(\Delta_{\perp}'-k_{\perp})}\mathcal{F}(x_{2},k_{\perp})\mathcal{F}(x_{1},\Delta_{\perp})\mathcal{F}(x_{2},k_{\perp}')\mathcal{A}_{co}^{*}(x_{1},\Delta_{\perp}')\right]\right\}\end{aligned}$$

Yoshikazu Hagiwara, Cheng Zhang, ZJ and Ya-jin Zhou, 2020

Interesting observation:

Interference CS vanishes identically when integrating out \u00f3

Hadronic Light-by-light scattering

Related via Optical theorem



Numerical results



Constrain the phase of the dipole amplitude

Cos4¢ in dipion production I



Cos4¢ in dipion production II



Summary

Linear polarization of coherent photons firmly established

Rich physics is revealed via azimuthal asymmetries in UPCs

➢ As a tool to explore: BSM physics; Strong field QED

Thank you!



Gluon GTMD operator definition

$$xG_{DP}(x,q_{\perp},\Delta_{\perp}) = 2\int \frac{d\xi^{-}d^{2}\xi_{\perp}e^{-iq_{\perp}\cdot\xi_{\perp}-ixP^{+}\xi^{-}}}{(2\pi)^{3}P^{+}} \times \left\langle P + \frac{\Delta_{\perp}}{2} \right| \operatorname{Tr} \left[F^{+i}(\xi/2)U^{[-]\dagger}F^{+i}(-\xi/2)U^{[+]} \right] \left| P - \frac{\Delta_{\perp}}{2} \right\rangle$$

In the small x limit:

$$xG_{DP}(x,q_{\perp},\Delta_{\perp}) = \left(q_{\perp}^2 - \frac{\Delta_{\perp}^2}{4}\right) \int \frac{d^2 b_{\perp} d^2 r_{\perp}}{(2\pi)^4} e^{-iq_{\perp} \cdot r_{\perp} - i\Delta_{\perp} \cdot b_{\perp}} \frac{1}{N_c} \left\langle \operatorname{Tr}\left[U(b_{\perp} + \frac{r_{\perp}}{2})U^{\dagger}(b_{\perp} - \frac{r_{\perp}}{2})\right] \right\rangle$$

Hatta, Xiao and Yuan, 2016

the correlation limit where $|\Delta_{\perp}| \ll |q_{\perp}|$

$$\mathcal{F}_{x}(q_{\perp}^{2},\Delta_{\perp}^{2}) + \frac{q_{\perp}\cdot\Delta_{\perp}}{|q_{\perp}||\Delta_{\perp}|}O_{x}(q_{\perp}^{2},\Delta_{\perp}^{2}) + \left[\frac{(q_{\perp}\cdot\Delta_{\perp})^{2}}{q_{\perp}^{2}\Delta_{\perp}^{2}} - \frac{1}{2}\right]\mathcal{F}_{x}^{\mathcal{E}}(q_{\perp}^{2},\Delta_{\perp}^{2}) + \dots$$
Elliptic aluon GTMD