

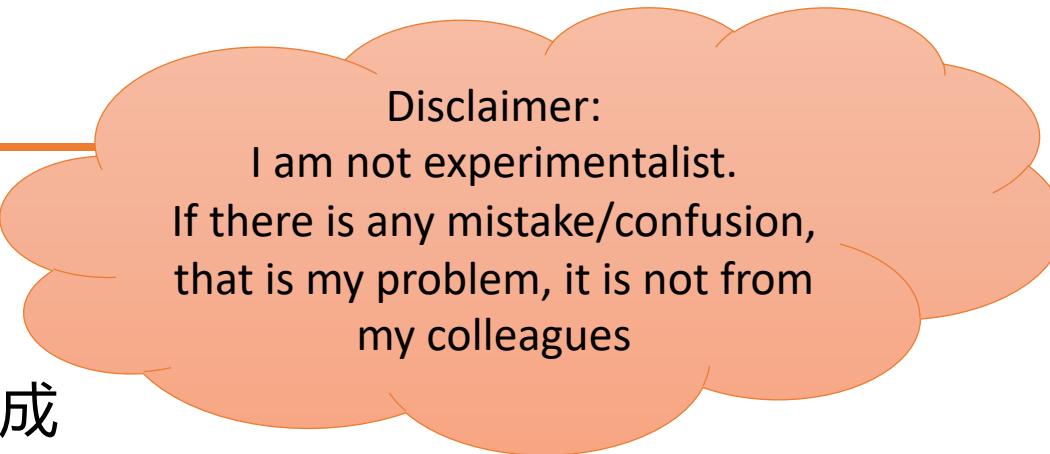
RECODE program for reactor neutrino **CEvNS detection and New Physics**

Yongcheng Wu/吴永成
Nanjing Normal University

第十二届新物理研讨会
Jul. 23 – Jul. 29, 2023

RECODE program for reactor neutrino **CEvNS detection and New Physics**

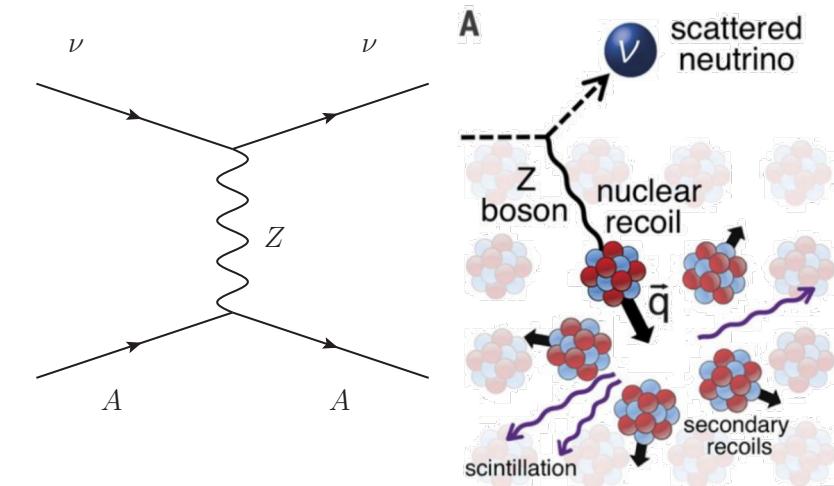
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Disclaimer:
I am not experimentalist.
If there is any mistake/confusion,
that is my problem, it is not from
my colleagues

第十二届新物理研讨会
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- Coherent Elastic Neutrino-Nucleus Scattering
 - Basic interaction between Neutrino and matter in SM
 - Weak Neutral Current
 - The nucleus scatters Neutrino **as a whole**



Theoretical prediction (1974)

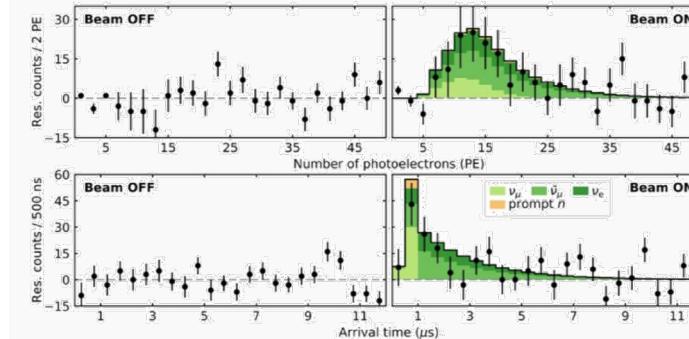


PHYSICAL REVIEW D
VOLUME 9, NUMBER 5
1 MARCH 1974
Coherent effects of a weak neutral current
Daniel Z. Freedman[†]
National Accelerator Laboratory, Batavia, Illinois 60510
and Institute for Theoretical Physics, State University of New York, Stony Brook, New York 11790
(Received 15 October 1973; revised manuscript received 19 November 1973)

If there is a weak neutral current, then the elastic scattering process $\nu + A \rightarrow \nu + A$ should have a sharp coherent forward peak just as $e + A \rightarrow e + A$ does. Experiments to observe this peak can give important information on the isospin structure of the neutral current. The experiments are very difficult, although the estimated cross sections (about 10^{-38} cm^2 on carbon) are favorable. The coherent cross sections (in contrast to incoherent) are almost energy-independent. Therefore, energies as low as 100 MeV may be suitable. Quasi-coherent nuclear excitation processes $\nu + A \rightarrow \nu + A^*$ provide possible tests of the conservation of the weak neutral current. Because of strong coherent effects at very low energies, the nuclear elastic scattering process may be important in inhibiting cooling by neutrino emission in stellar collapse and neutron stars.

D. Freedman, PRD 9 1389 (1974)

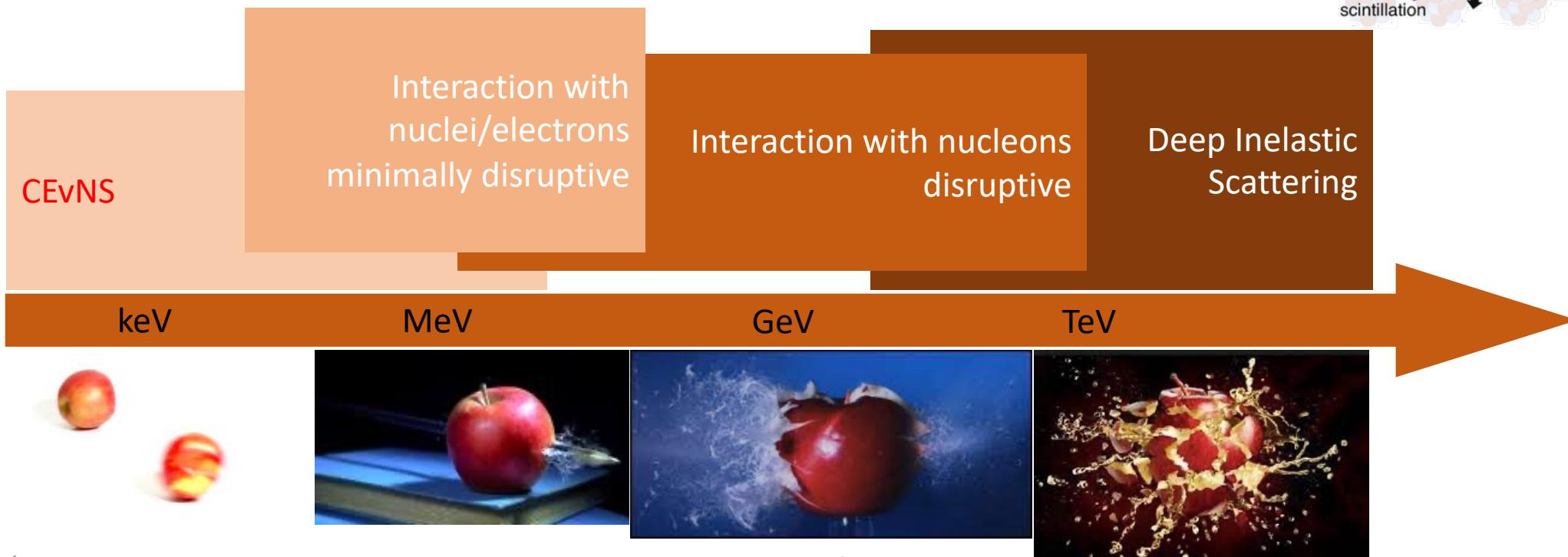
Experimental Evidence (2017)



D. Akimov et al, Science 357 (2017)



- Coherent Elastic Neutrino-Nucleus Scattering
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- Dominant for $E_\nu \lesssim 50$ MeV $q \cdot R \ll 1$



- Coherent Elastic Neutrino-Nucleus Scattering
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- Dominant for $E_\nu \lesssim 50$ MeV
- Large Cross Section

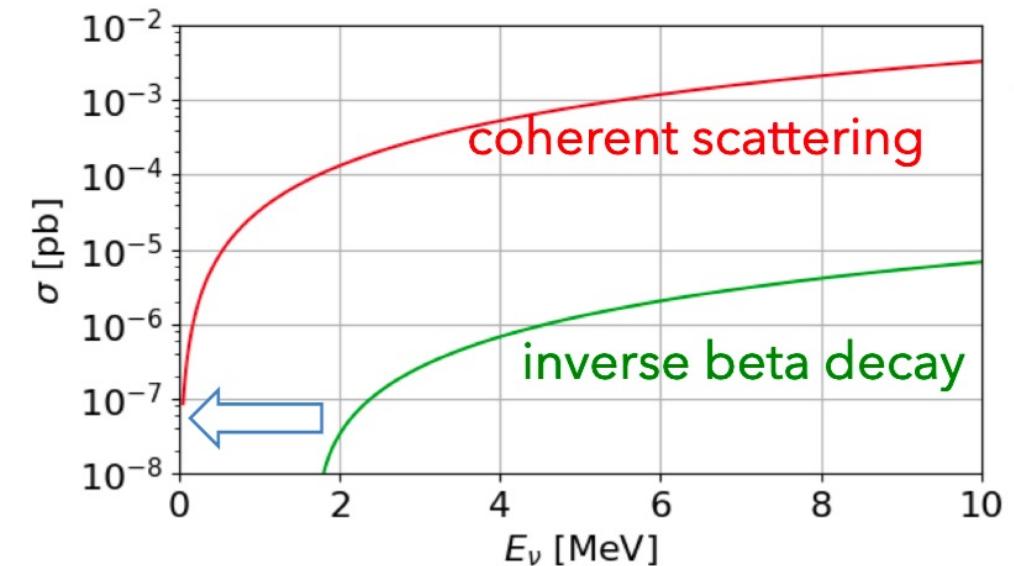
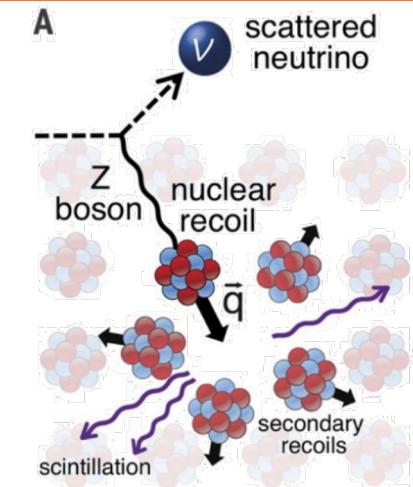
$$\frac{d\sigma}{dE_R} = \frac{G_F^2 M}{8\pi} Q_W^2 |F(q)|^2 \left(2 - \frac{2E_R}{E_\nu} + \left(\frac{E_R}{E_\nu}\right)^2 - \frac{ME_R}{E_\nu^2} \right)$$

$q \cdot R \ll 1$

$$Q_W = N - (1 - 4 \sin^2 \theta_W)Z$$

$$\sin^2 \theta_W \approx 0.23$$

$\sigma \propto N^2$



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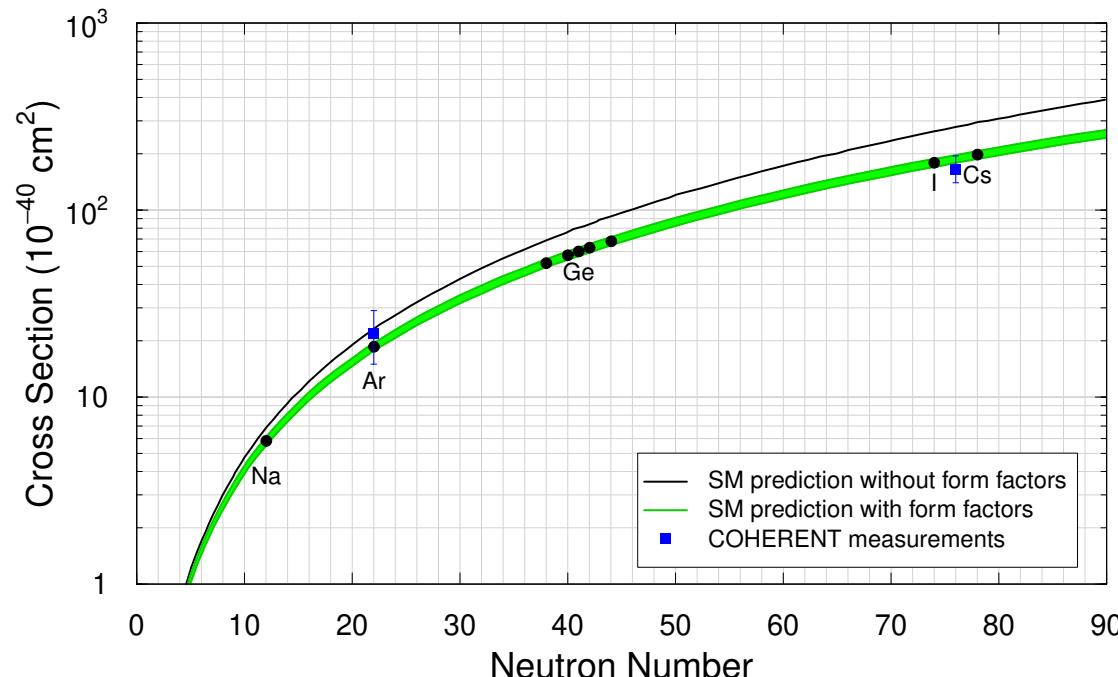
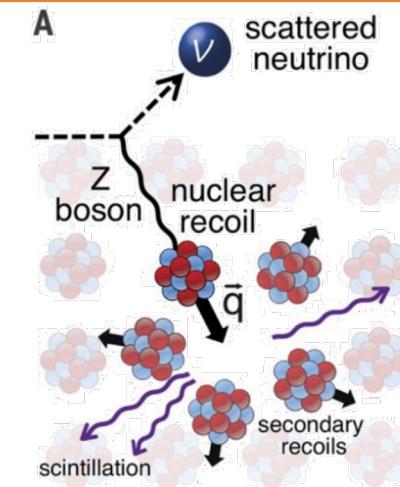
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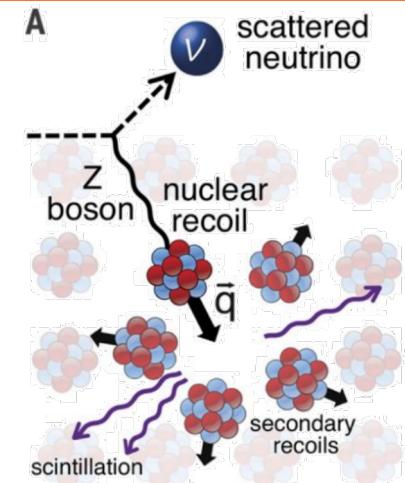
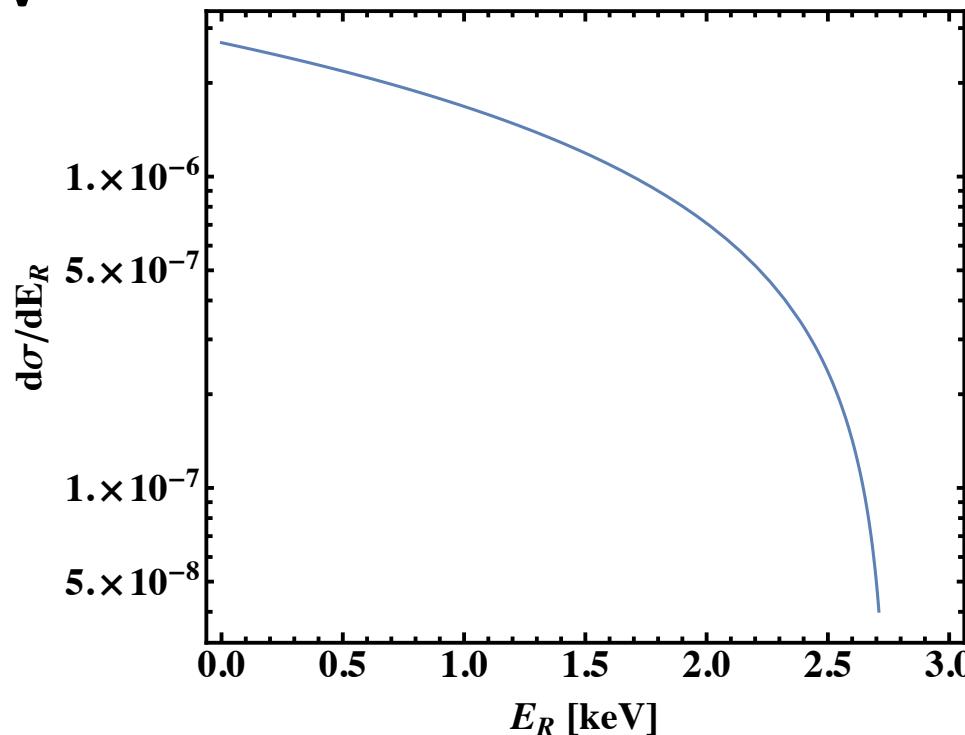
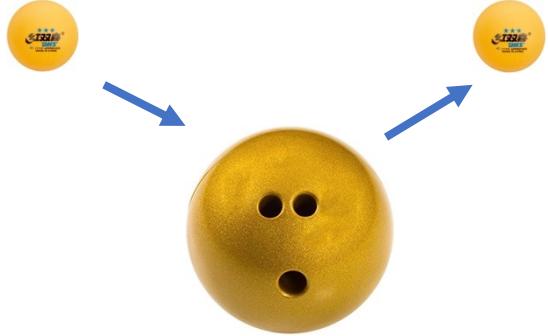
$$\sin^2 \theta_W \approx 0.23$$

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- Coherent Elastic Neutrino-Nucleus Scattering
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- Dominant for $E_\nu \lesssim 50$ MeV
- Large Cross Section
- Recoil Energy is Small

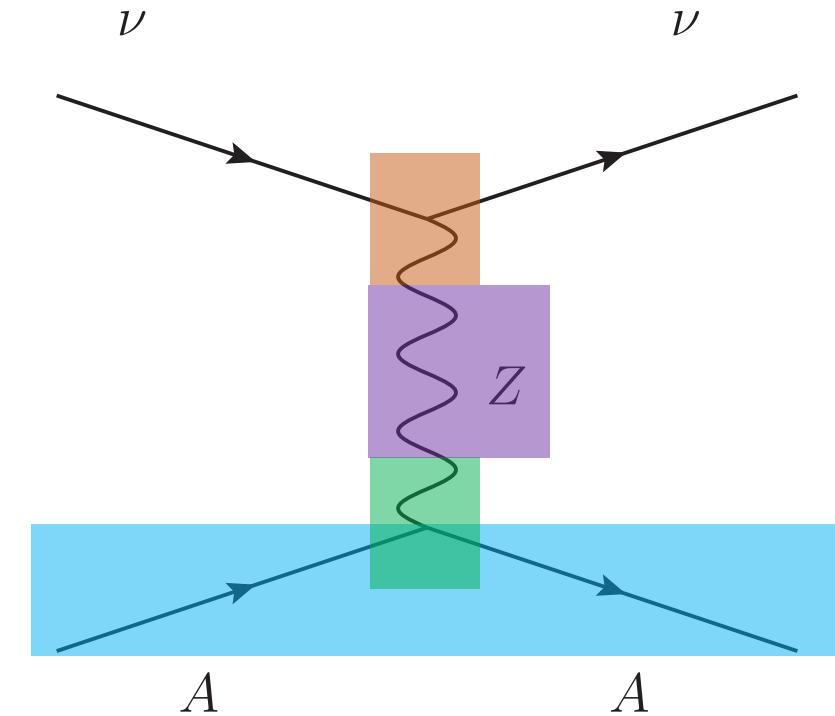
$$E_R \sim \frac{E_\nu^2}{M} = \frac{(E_\nu/\text{MeV})^2}{A} \text{ keV}$$



CEvNS: Physics Motivation

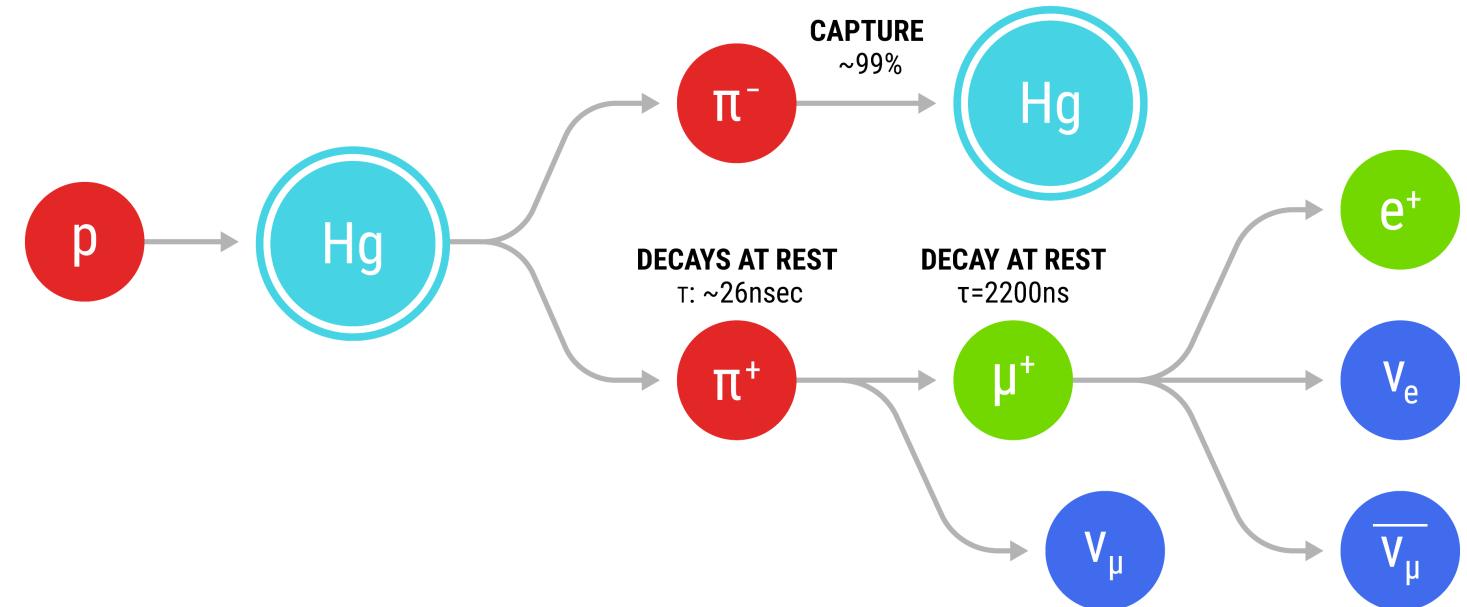
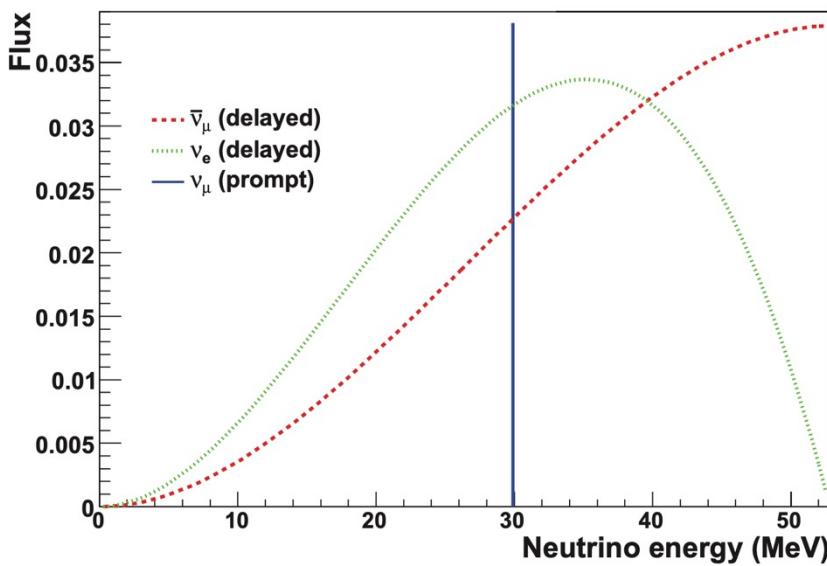
- For “Old” Physics
 - Testing Standard Model
 - Nuclear Form Factor
 - Neutron Distribution Radius
- For “New” Physics
 - Neutrino Interaction/Properties
 - Light Mediator/DM
 - etc.
- As Background for DM Detection
- Practical Tool
 - Monitoring

$$\frac{d\sigma}{dE_R} = \frac{G_F^2 M}{8\pi} Q_W^2 |F(q)|^2 \left(2 - \frac{2E_R}{E_\nu} + \left(\frac{E_R}{E_\nu}\right)^2 - \frac{ME_R}{E_\nu^2} \right)$$



CEvNS: Neutrino Sources

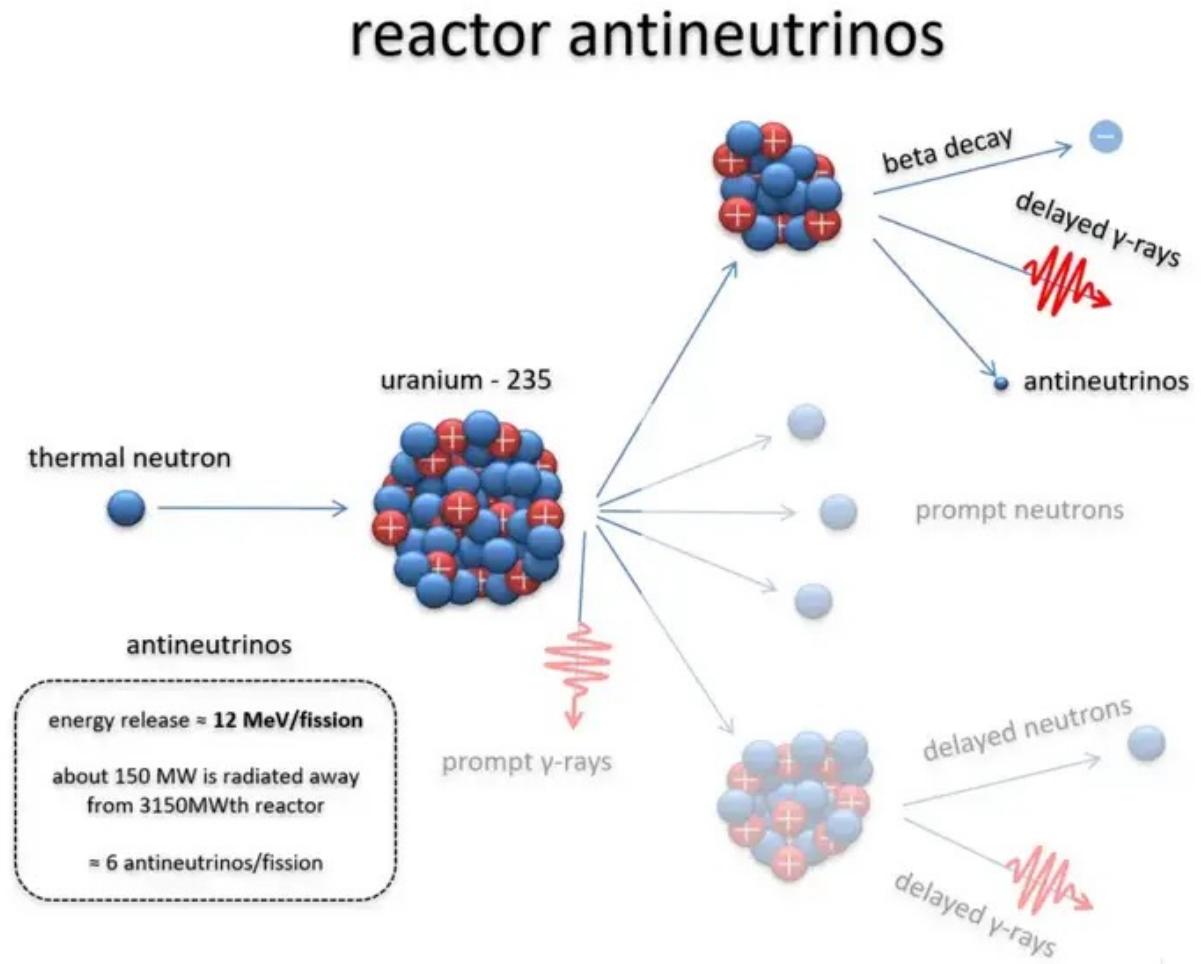
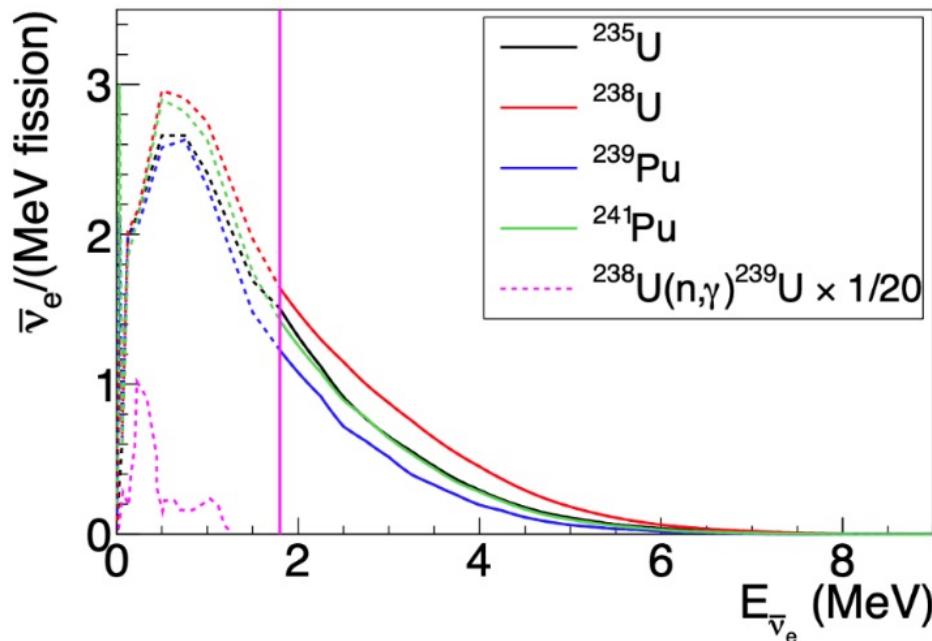
- Stopped-Pion Decay: π -DAR
 - Several 10s MeV
 - Pulsed beam
 - Good for Background rejection
 - $\sim 4.3 \times 10^7 \text{ cm}^{-2}\text{s}^{-1}$ at 20m



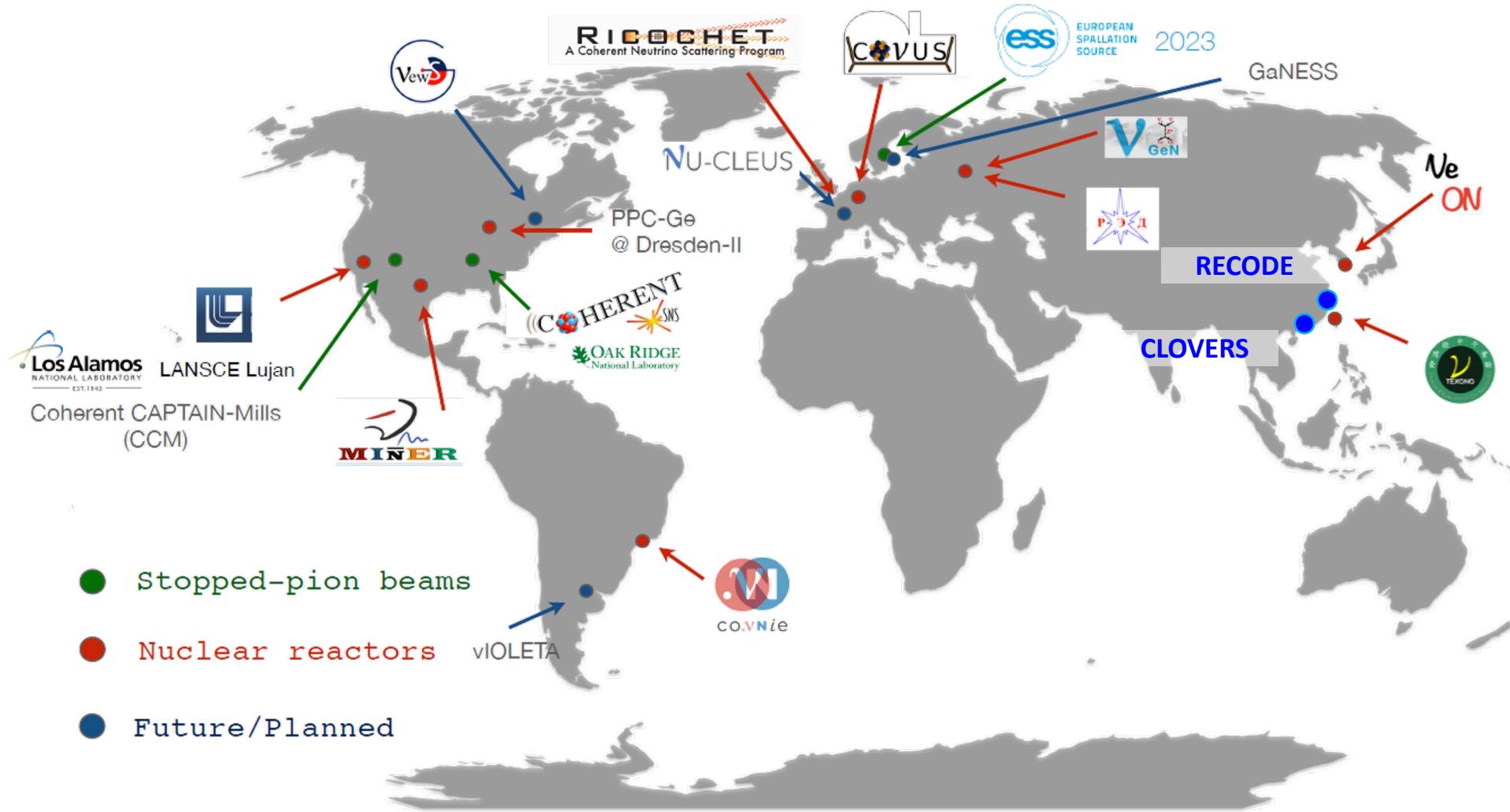
CEvNS: Neutrino Sources

- Reactor Neutrinos

- High flux
 - $10^{12} - 10^{13} \text{ cm}^{-2}\text{s}^{-1}$ at 15m
- Low energy, up to 8/10 MeV
 - Low threshold for detector
- Mainly $\bar{\nu}_e$



CEvNS: Experiments



RECODE Program

- RECODE

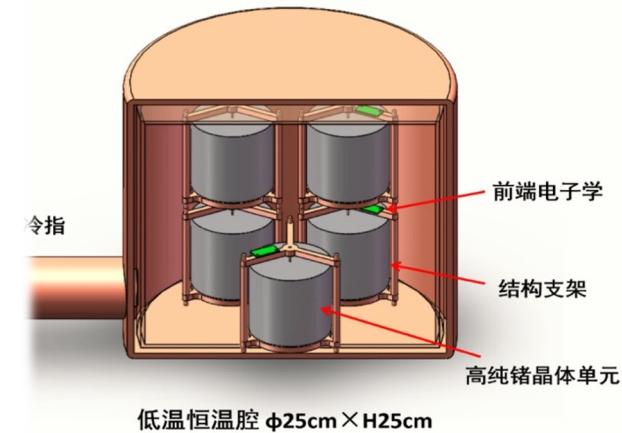
REactor neutrino COherent scattering Detection Experiment

- Low threshold Ge detectors
- Reactor neutrinos



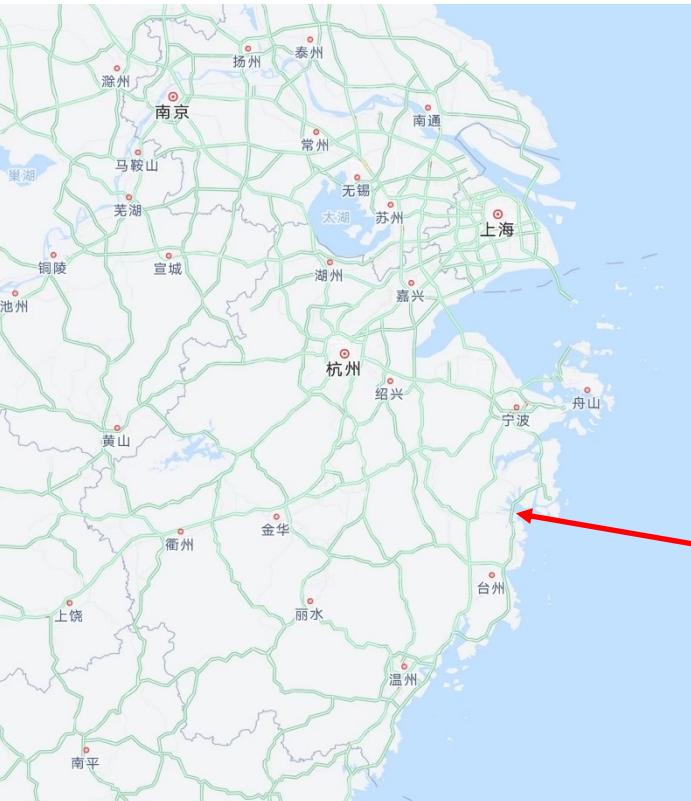
- Project Goals:

- Two Ge arrays (10kg in total)
 - Energy threshold $\sim 1 \text{ keVnr}$ ($\sim 160\text{eVee}$)
 - $\sim 500 \text{ CEvNS events/kg/year}$
 - Background level $< 2 \text{ counts/kg/keV/day}$



RECODE Location

- **Sanmen Nuclear Power station @ Taizhou, Zhejiang**



RECODE Roadmap & Schedule

2023

2024

2025

2026

2027

Subsystems testing @CJPL and ground

Bkg Measurement

Individual Test

Design Subsystem

Joint Test

Proposal

Physics Run @nuclear power plant

Run-I

Run-II

Run-III

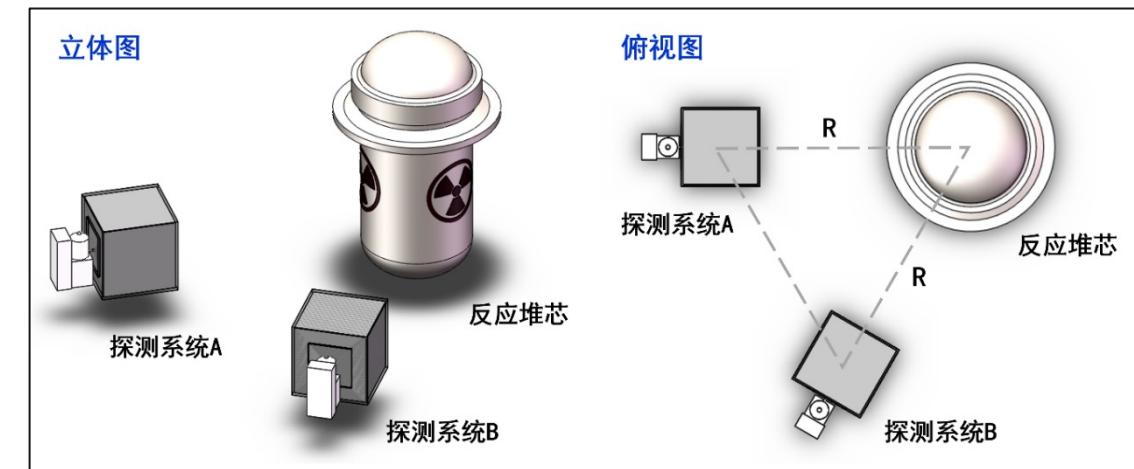
Data Analysis, Physical Analysis



①/② collinear measurement modes

7/28/23

ycwu@njnu.edu.cn

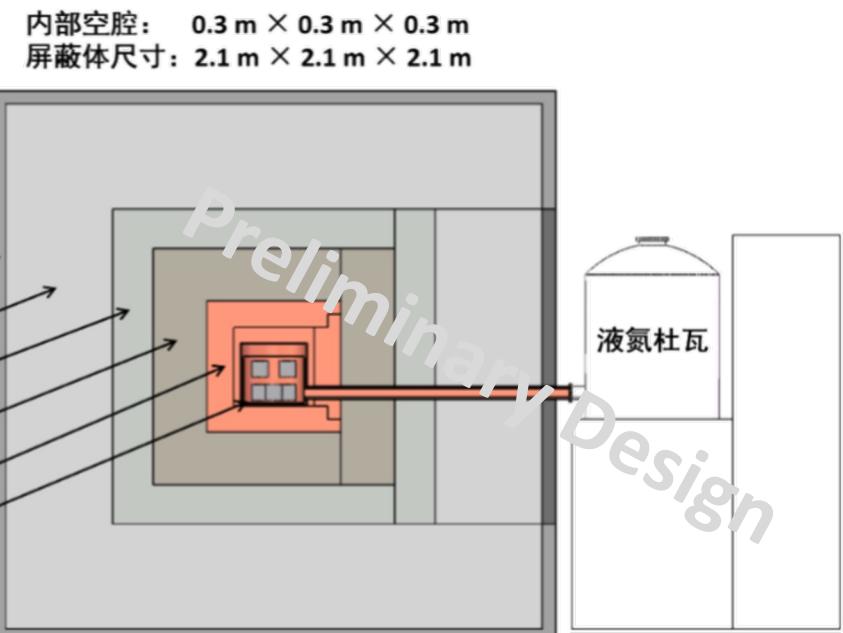


③ equidistance measurement mode

13

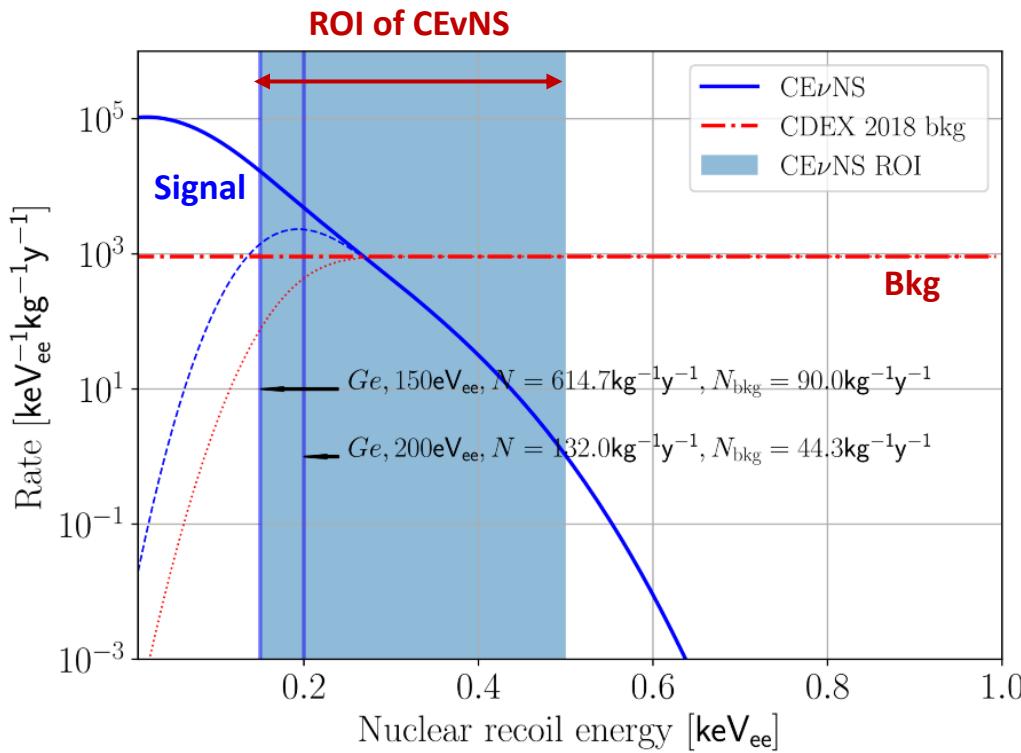
RECODE: Detector Shielding

- Shielding design and optimization
 - Anti coincidence efficiency for **cosmic ray**: > 99%
 - **Gamma** flux: reduce by 5 orders of magnitude
 - **Neutron** flux: reduce by 3 orders of magnitude
- From outer to inner layers (Preliminary):
 - Muon veto detector
 - Polyethylene
 - Lead
 - Boron-doped polyethylene
 - High purity oxygen free copper



RECODE: Uncertainties

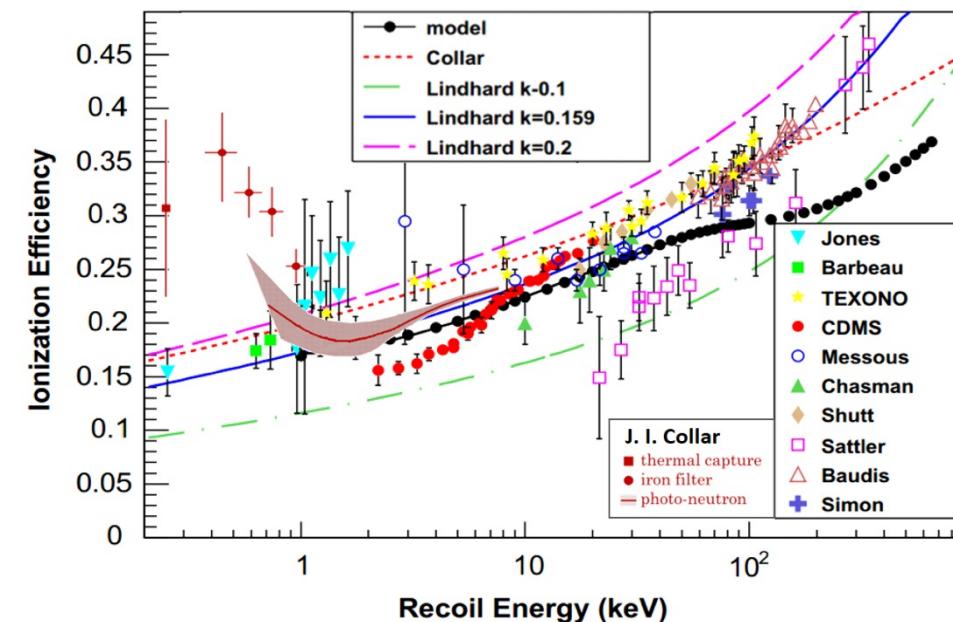
- Statistical:
 - Signal/Noise > 5:1
 - ~ 500 CEvNS events/kg/year
 - 1.5% statistical
- Systematics:
 - Quenching factor: 10%-20%
 - Reactor neutrino intensity: 3%
 - Reduced through joint measurement
 - Background modeling:
 - ON/OFF measurement



7/28/23

Expected CEvNS spectrum in Ge

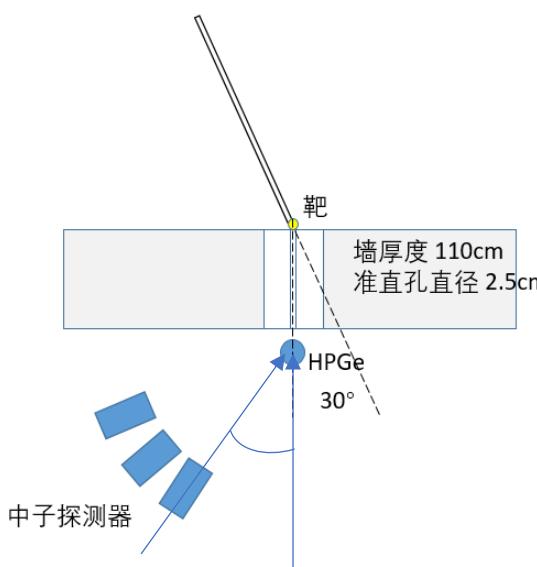
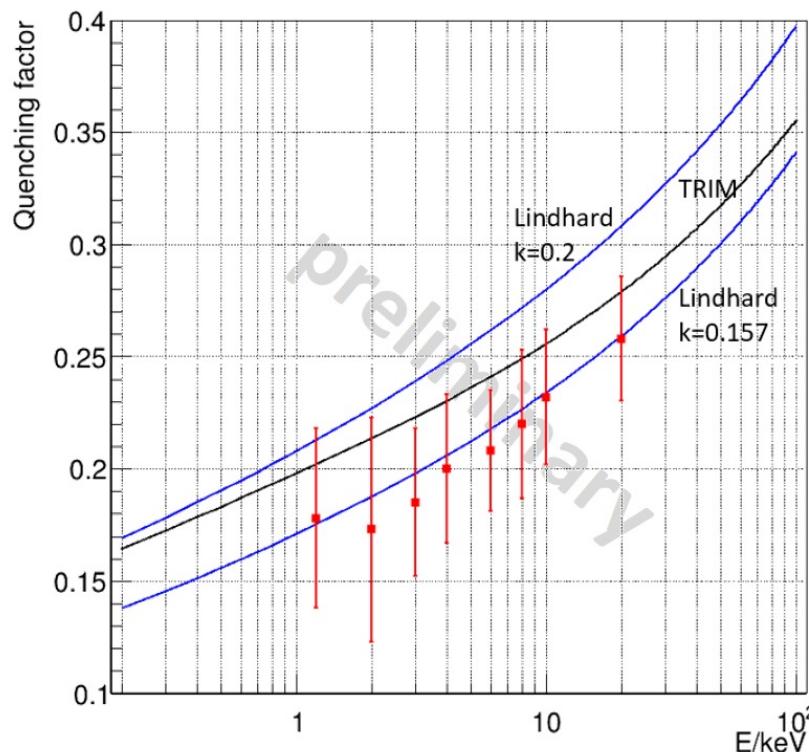
ycwu@njnu.edu.cn



15

RECODE: Quenching factor measurement

- Measurement of Ge QF @ 1-10 keV
 - 10g ultra-low threshold high-purity germanium detector

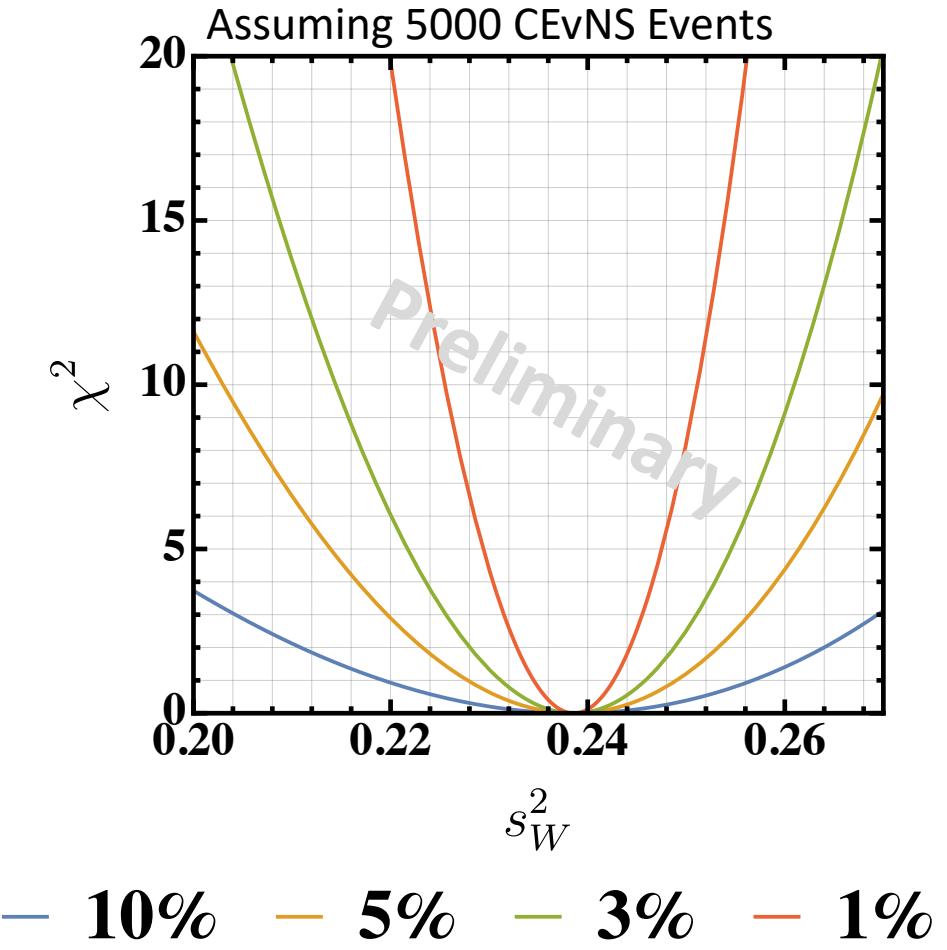
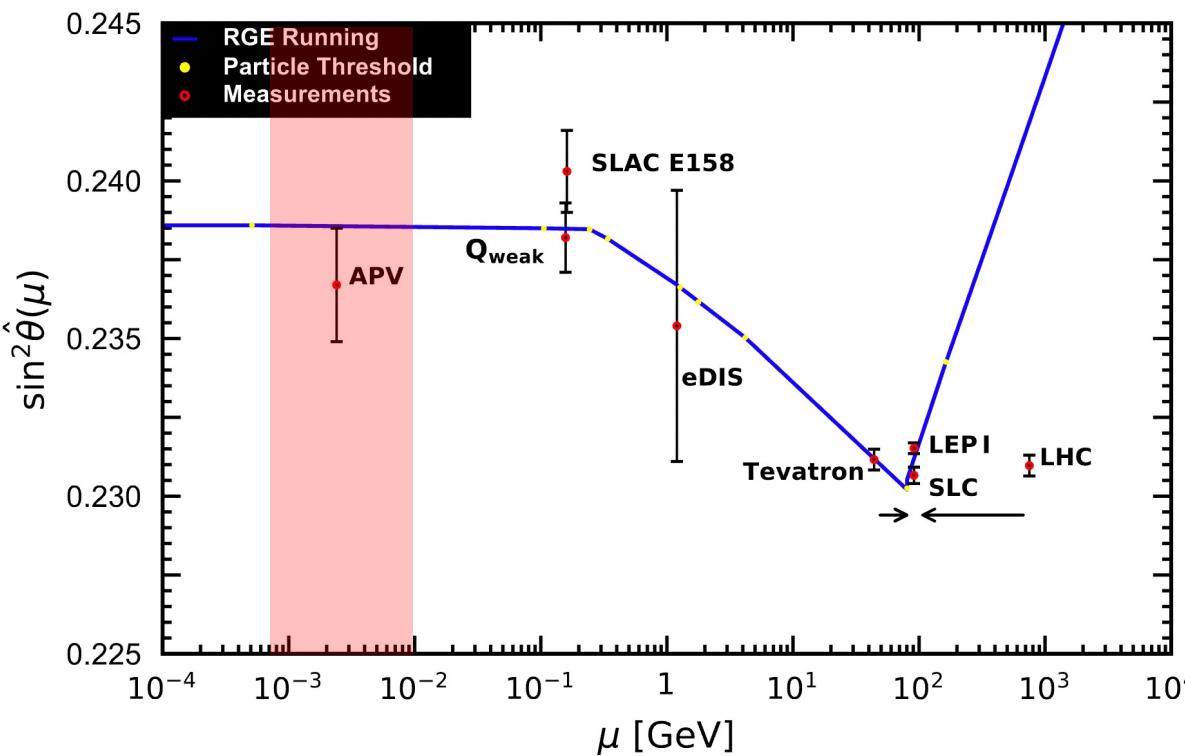


RECODE: Prospects

- Weak Mixing Angle

$$\frac{d\sigma}{dE_R} = \frac{G_F^2 M}{8\pi} Q_W^2 |F(q)|^2 \left(2 - \frac{2E_R}{E_\nu} + \left(\frac{E_R}{E_\nu}\right)^2 - \frac{ME_R}{E_\nu^2} \right)$$

$$Q_W = N - (1 - 4 \sin^2 \theta_W) Z$$

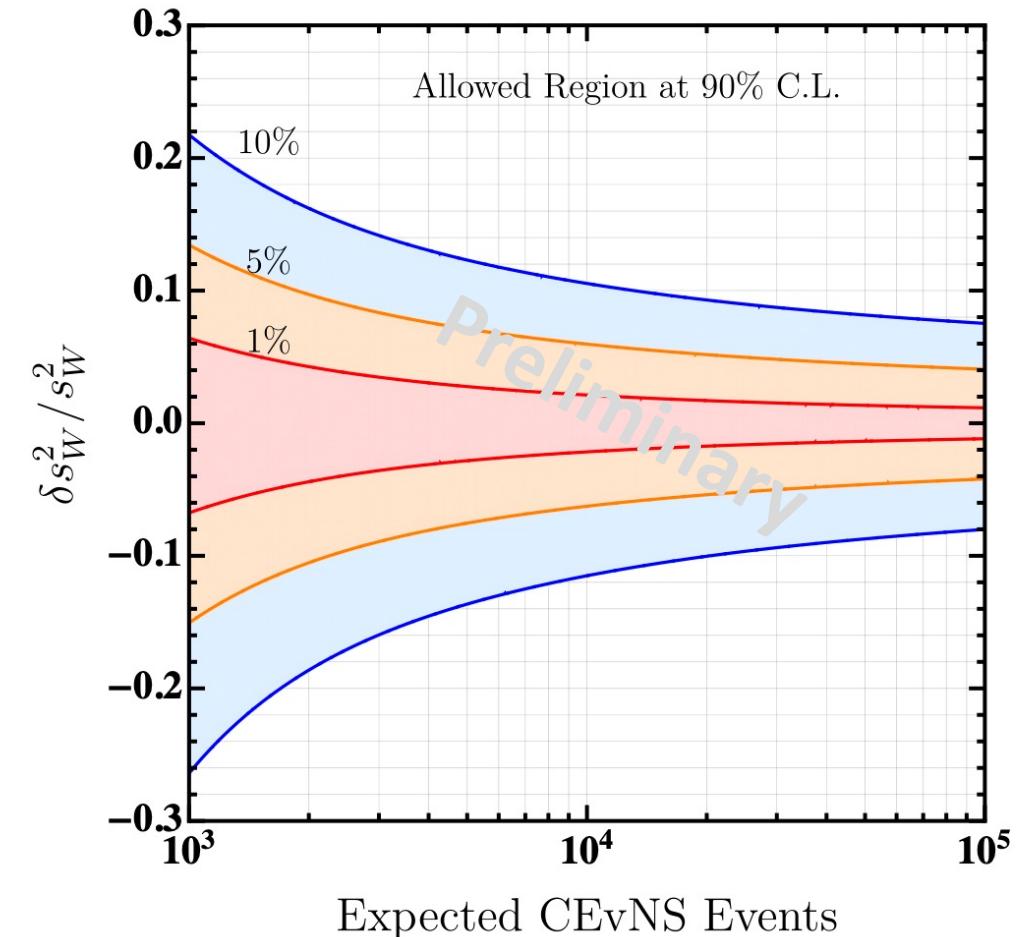
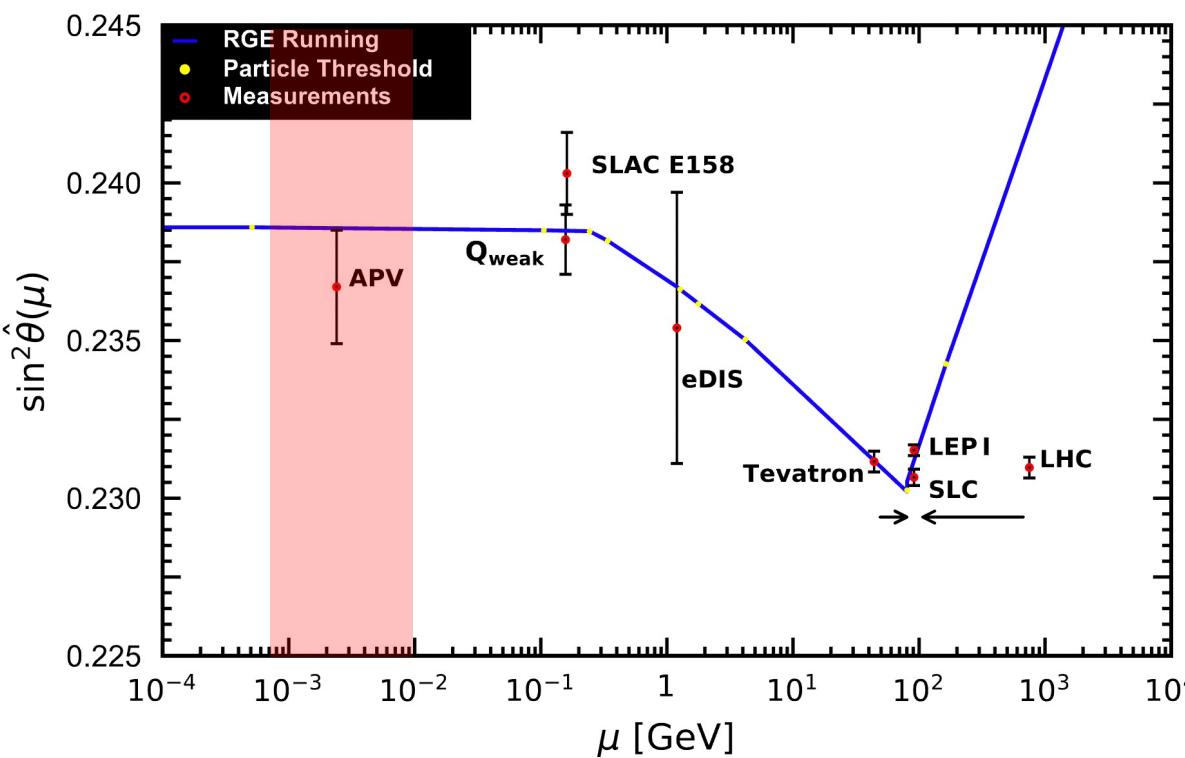


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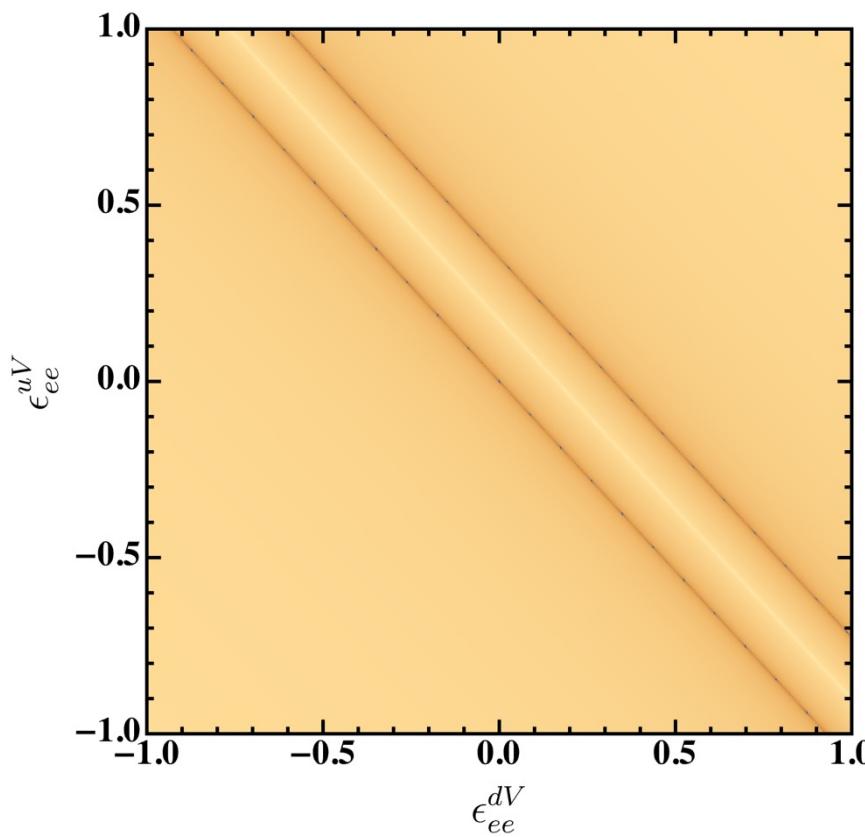
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RECODE: Prospects

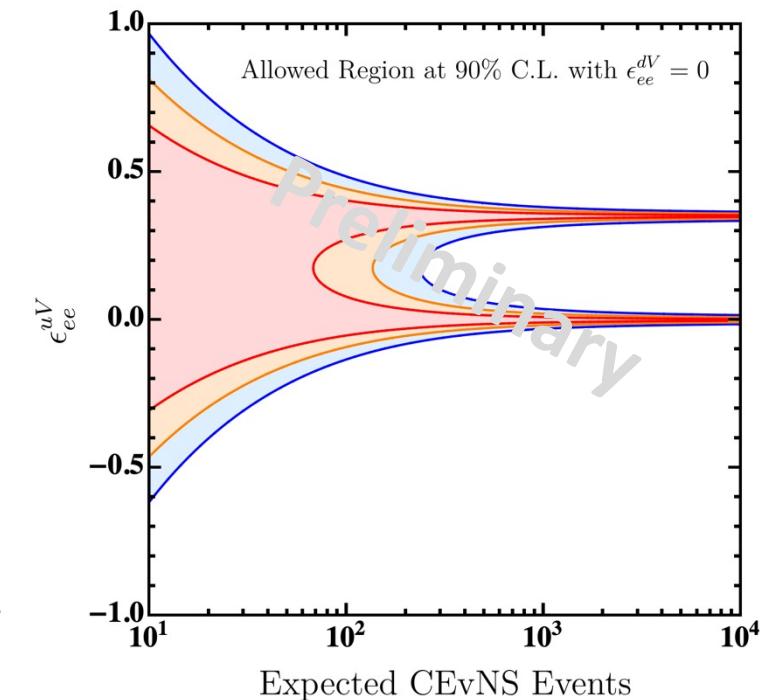
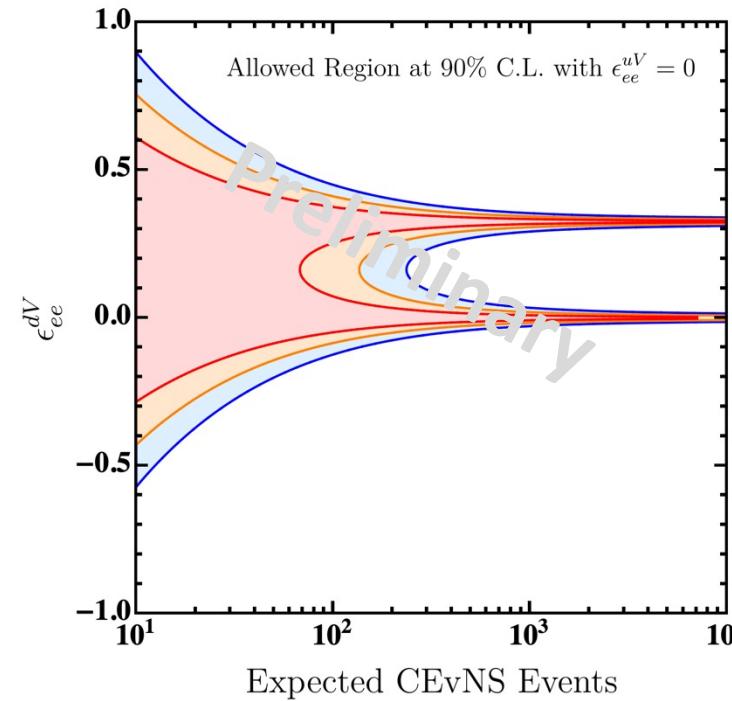
- Neutrino NSI

$$\mathcal{L}^{NSI} = -2\sqrt{2}G_F \epsilon_{\alpha\beta}^{f,V} (\bar{\nu}_{\alpha L} \gamma^\mu \nu_{\beta L})(\bar{f} \gamma_\mu f)$$



$$\frac{d\sigma}{dE_R} = \frac{G_F^2 M}{2\pi} |F(q)|^2 \left(2 - \frac{M E_R}{E_\nu^2} \right) \times \left((Z(g_V^p + 2\epsilon_{ee}^{uV} + \epsilon_{ee}^{dV}) + N(g_V^n + \epsilon_{ee}^{uV} + 2\epsilon_{ee}^{dV}))^2 + \dots \right)$$

$$g_V^p = \frac{1}{2} - 2 \sin^2 \theta_W, \quad g_V^n = -\frac{1}{2}$$



RECODE: Prospects

- Light Mediator

$$\frac{d\sigma}{dE_R} = \frac{G_F^2 M}{8\pi} Q_W^2 |F(q)|^2 \left(2 - \frac{2E_R}{E_\nu} + \left(\frac{E_R}{E_\nu}\right)^2 - \frac{ME_R}{E_\nu^2} \right)$$

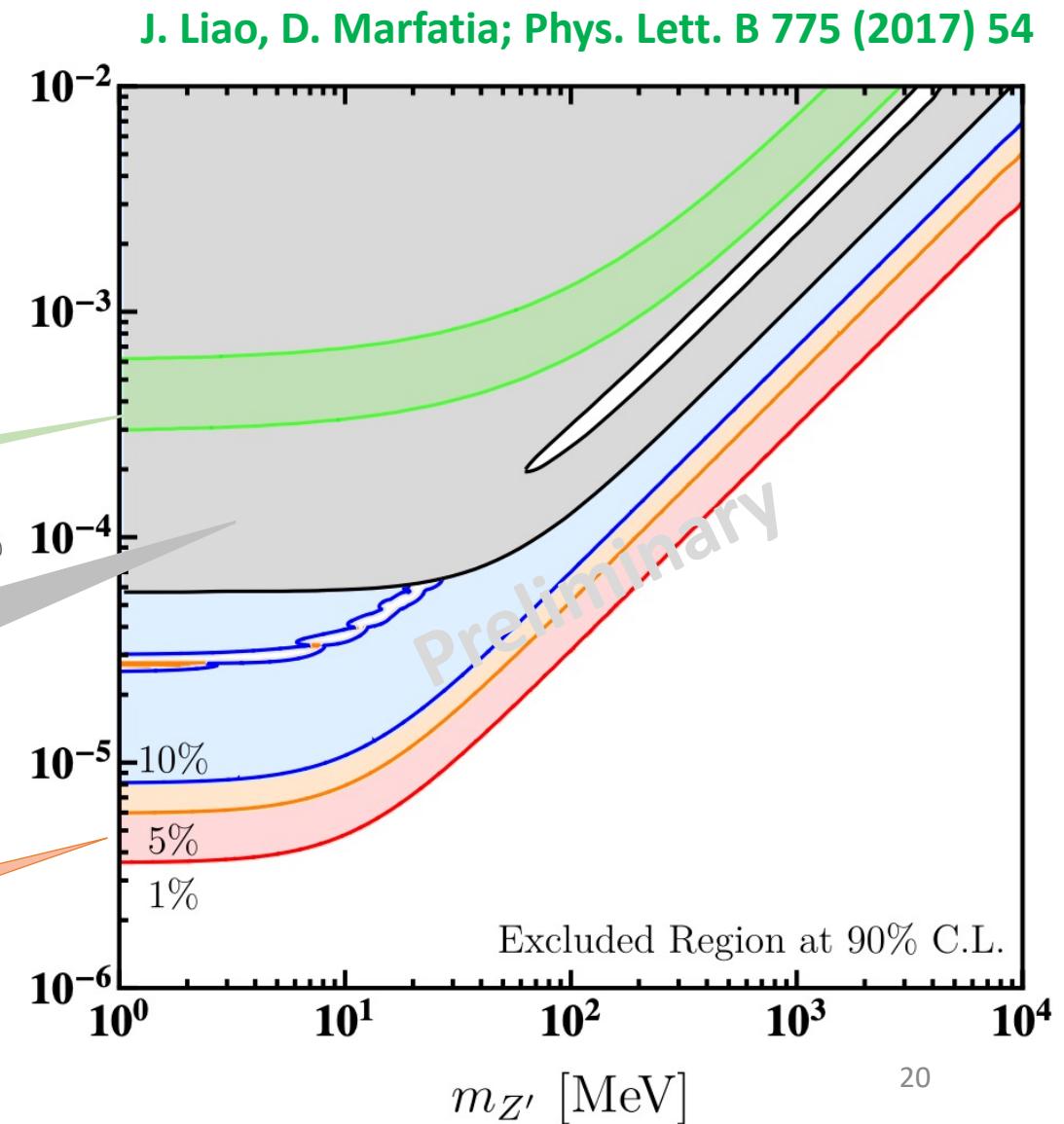
$$Q_{SM}^2 = (Z g_p^V + N g_n^V)^2$$

$$Q_{BSM}^2 = \left[Z \left(g_p^V + \frac{3g'^2}{2\sqrt{2}G_F(Q^2 + M_{Z'}^2)} \right) + N \left(g_n^V + \frac{3g'^2}{2\sqrt{2}G_F(Q^2 + M_{Z'}^2)} \right) \right]^2$$

Explain the
g-2 anomaly

Excluded at
2 σ From
COHERENT

Excluded at 90% with 1-year
RECODE Running

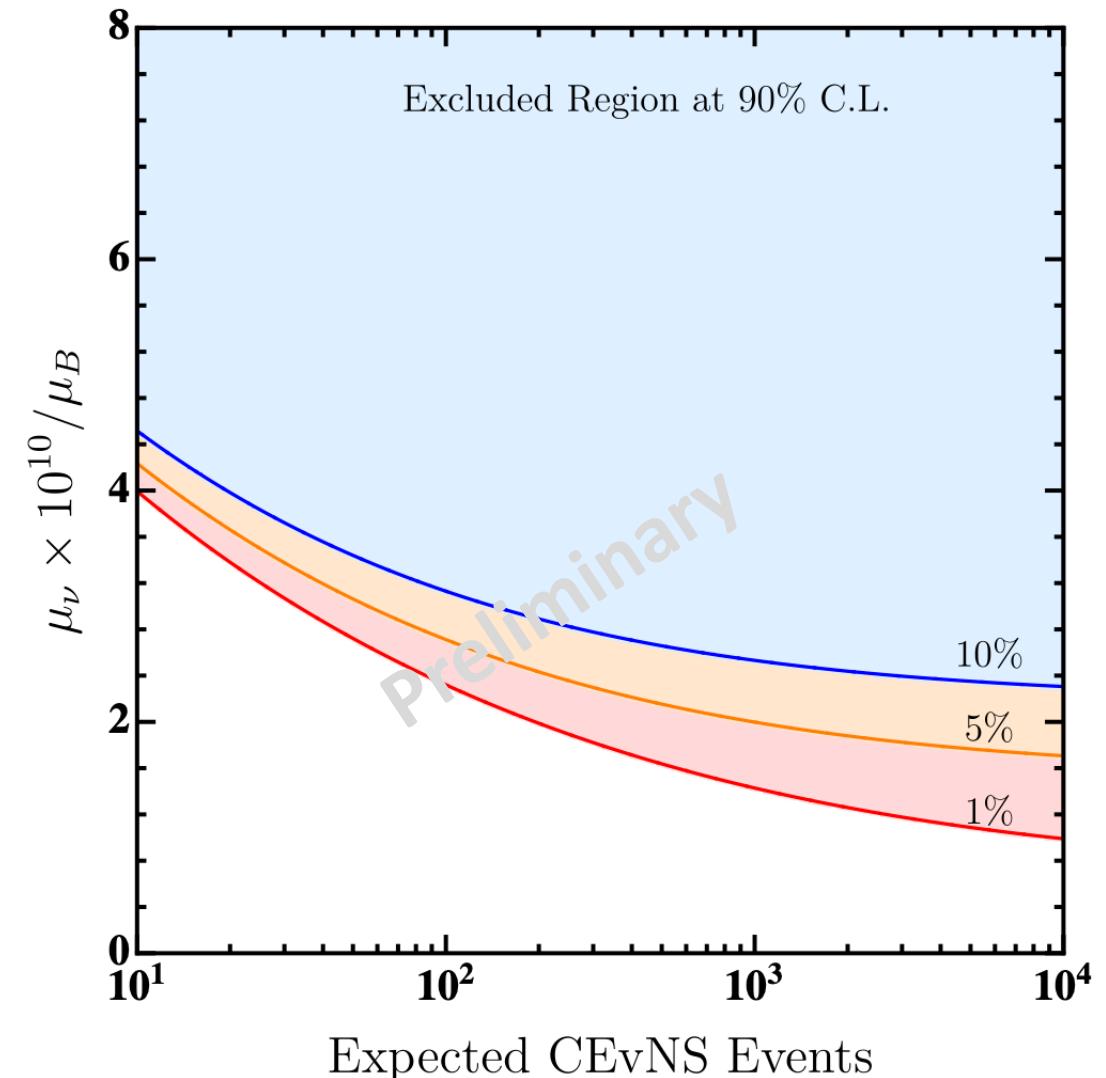
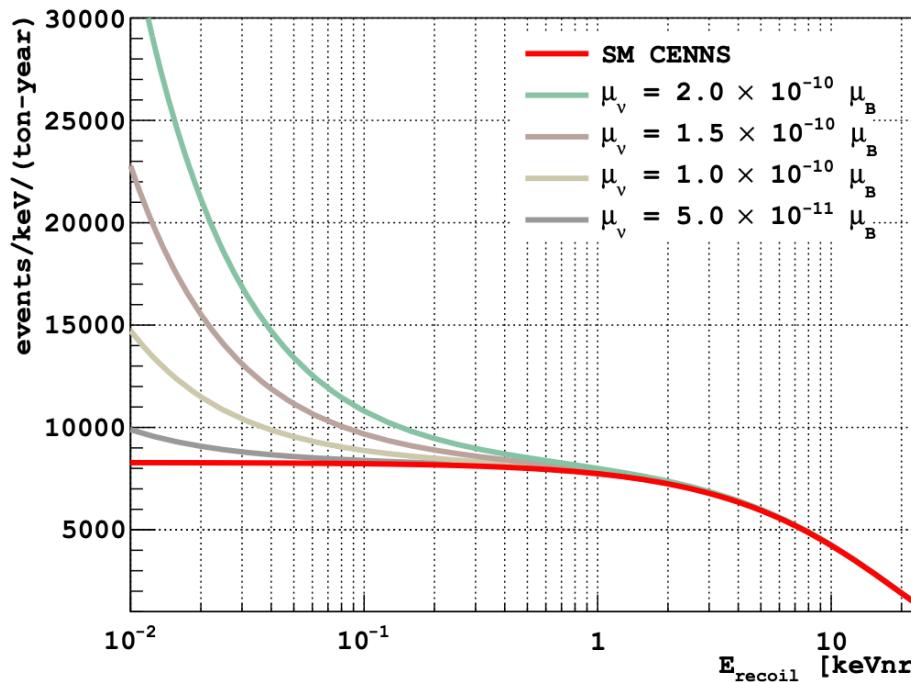


RECODE: Prospects

- Neutrino Magnetic Moment

$$\frac{d\sigma}{dE_R} = \left(\frac{d\sigma}{dE_R} \right)_{SM} + \frac{\pi\alpha^2\mu_\nu^2 Z^2}{m_e^2} \left(\frac{1 - \frac{E_R}{E_\nu}}{E_R} + \frac{E_R}{4E_\nu^2} \right) F_Z^2(Q)$$

- Lower threshold is better



Summary

